

Physics at ILC

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Tsinghua Univ., August 21, 2014

arXiv: 1306.6352 (TDR Phys.)

arXiv: 1310.0763 (Higgs)

arXiv: 1307.5248 (BSM)

arXiv: 1307.8265 (Top)

arXiv: 1307.3962 (EW)

Electroweak Symmetry Breaking

Mystery of something in the vacuum

- Success of the SM = success of gauge principle

W_T and Z_T = gauge fields of the EW gauge symmetry

- Gauge symmetry forbids explicit mass terms for W and Z

→ it must be broken by something condensed in the vacuum:

$$\langle 0 | I_3, Y | 0 \rangle \neq 0 \quad \langle 0 | I_3 + Y | 0 \rangle = 0$$

- This “something” supplies 3 longitudinal modes of W and Z :

$$W_L^+, W_L^-, Z_L \longleftrightarrow \chi^+, \chi^-, \chi_3 : \text{Goldstone modes}$$

- Left- (f_L) and right-handed (f_R) matter fermions carry different EW charges.

Their explicit mass terms also forbidden by the EW gauge symmetry

They must be generated through their Yukawa interactions with some weak-charged vacuum

- In the SM, the same “something” mixes f_L and $f_R \rightarrow$ generating masses and inducing flavor-mixings

- In order to form the Yukawa interaction terms, we need a complex doublet scalar field, which has four real components. The SM identifies three of them with the Goldstone modes.

- We need one more to form a complex doublet, which is the physical Higgs boson.

- This SM symmetry breaking sector is the simplest and the most economical, but there is no reason for it. The symmetry breaking sector might be more complex.

- We don't know whether the “something” is elementary or composite.

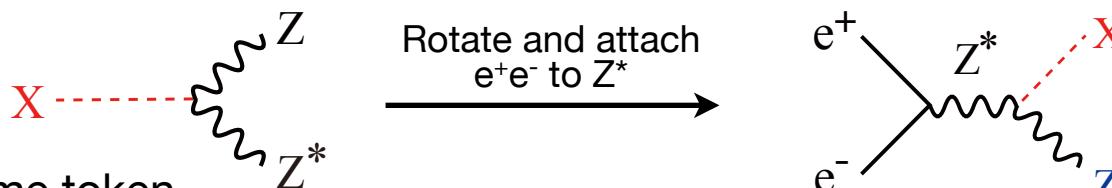
- We don't know why and how it condensed in the vacuum.

- We knew it's there in the vacuum with a vev of 246 GeV and a custodial SU(2) ($\rho=1$). But other than that we didn't know almost anything about the “something” until July 4, 2012.

Since the July 4th, the world has changed!

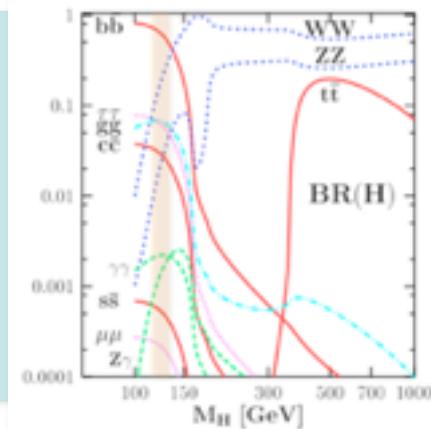
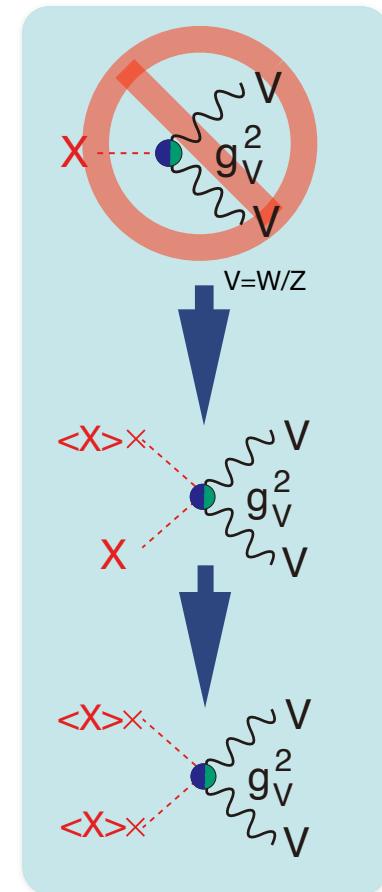
The discovery of the ~ 125 GeV boson at LHC could be called a quantum jump.

- $X(125) \rightarrow \gamma\gamma$ means X is a neutral boson and $J \neq 1$ (Landau-Yang theorem).
Recent LHC results strongly suggest $J^P=0^+$.
- $X(125) \rightarrow ZZ^*, WW^* \Rightarrow \exists XVV$ couplings: ($V=W/Z$: gauge bosons)
- There is, however, no gauge coupling like XVV , only $XXVV$ or XXV
 $\Rightarrow XVV$ probably from $XXVV$ with one X replaced by $\langle X \rangle \neq 0$, namely $\langle X \rangle XVV$
 \Rightarrow There must be $\langle X \rangle \langle X \rangle VV$, a mass term for V .
 \Rightarrow **X is at least part of the origin of the masses of $V=W/Z$. $\rightarrow X$ is a Higgs!**
 \Rightarrow This is a great step forward but we need to know whether $\langle X \rangle$ saturates
the SM vev = 246GeV. We need to know WHY X condensed in the vacuum.
- $X \rightarrow ZZ^*$ means, X can be produced via $e^+e^- \rightarrow Z^* \rightarrow ZX$.



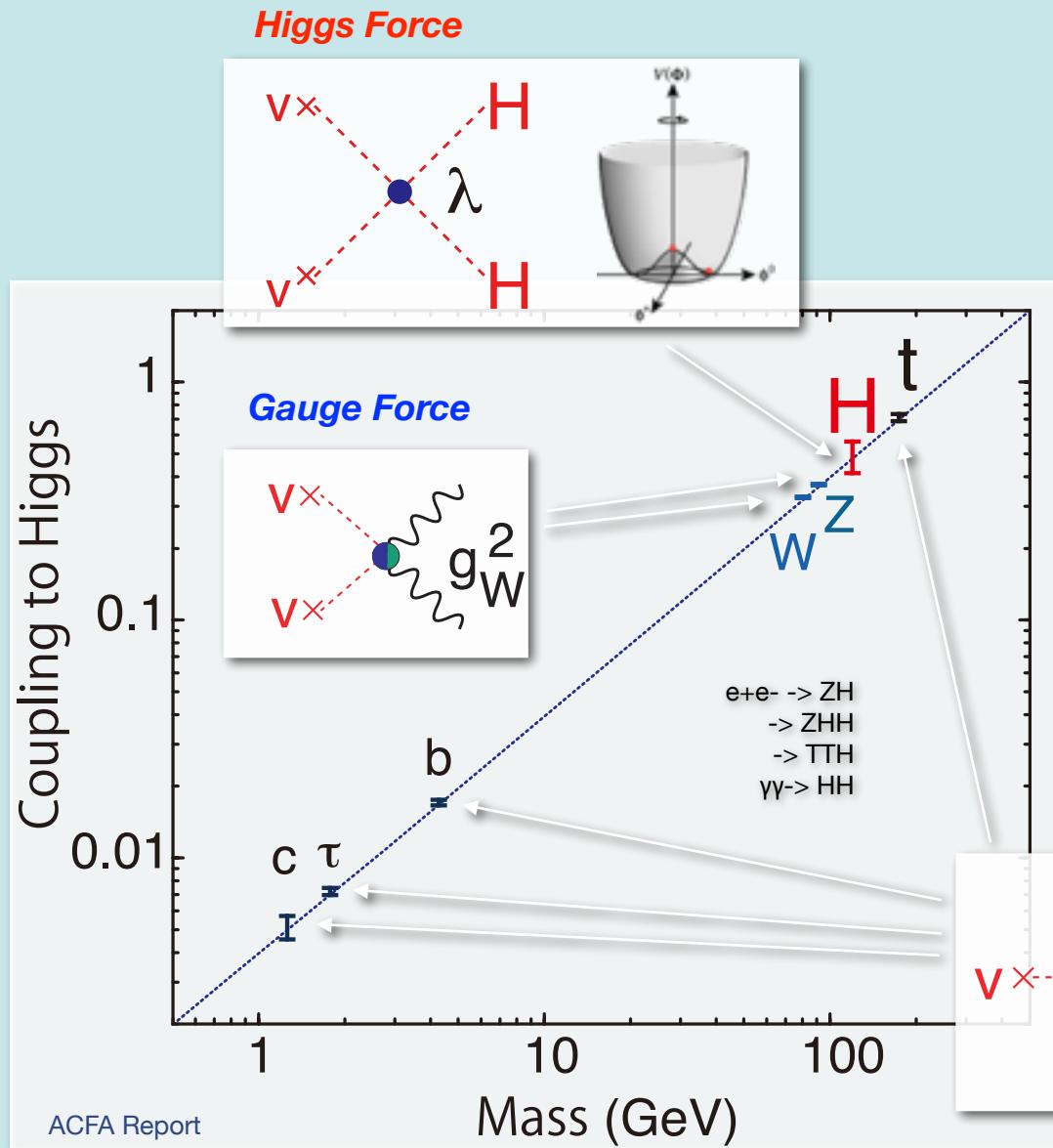
- By the same token,
 $X \rightarrow WW^*$ means, X can be produced via W fusion: $e^+e^- \rightarrow \nu\nu X$.

- So we now know that the major Higgs production mechanisms in e^+e^- collisions are indeed available at the ILC \Rightarrow No lose theorem for the ILC.
- ~ 125 GeV is the best place for the ILC, where variety of decay modes are accessible.
- We need to check this ~ 125 GeV boson in detail to see if it has indeed all the required properties of the something in the vacuum.



What Properties to Measure?

The Key is the Mass-Coupling Relation



- Properties to measure are
 - mass, width, J^{PC}
 - Gauge couplings
 - Yukawa couplings
 - Self-coupling
- The key is to measure the mass-coupling relation

If the 125GeV boson is the one to give masses to all the SM particles, coupling should be proportional to mass.

Any deviation from the straight line signals BSM!

The Higgs is a window to BSM physics!

Our Mission = Bottom-up Model-Independent Reconstruction of the EWSB Sector through Precision Higgs Measurements

- Multiplet structure :

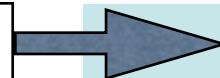
- Additional singlet? $(\phi + S)$
- Additional doublet? $(\phi + \phi')$
- Additional triplet? $(\phi + \Delta)$

- Underlying dynamics :

- Why did the Higgs condense?
- Weakly interacting or strongly interacting?
= elementary or composite ?

- Relations to other questions of HEP :

- $\phi + S \rightarrow$ (B-L) gauge, DM, ...
- $\phi + \phi' \rightarrow$ Type I : m_v from small vev, ...
 \rightarrow Type II: SUSY, DM, ...
 \rightarrow Type X: m_v (rad.seesaw), ...
- $\phi + \Delta \rightarrow m_v$ (Type II seesaw), ...
- $\lambda > \lambda_{SM} \rightarrow$ EW baryogenesis ?
- $\lambda \downarrow 0 \rightarrow$ inflation ?



There are many possibilities!

Different models predict different deviation patterns --> Fingerprinting!

Model	μ	τ	b	c	t	g_V
Singlet mixing	↓	↓	↓	↓	↓	↓
2HDM-I	↓	↓	↓	↓	↓	↓
2HDM-II (SUSY)	↑	↑	↑	↓	↓	↓
2HDM-X (Lepton-specific)	↑	↑	↓	↓	↓	↓
2HDM-Y (Flipped)	↓	↓	↑	↓	↓	↓

Mixing with singlet

$$\frac{g_{hVV}}{g_{h_{SM}VV}} = \frac{g_{hff}}{g_{h_{SM}ff}} = \cos \theta \simeq 1 - \frac{\delta^2}{2}$$

Composite Higgs

$$\frac{g_{hVV}}{g_{h_{SM}VV}} \simeq 1 - 3\%(1 \text{ TeV}/f)^2$$

$$\frac{g_{hff}}{g_{h_{SM}ff}} \simeq \begin{cases} 1 - 3\%(1 \text{ TeV}/f)^2 & (\text{MCHM4}) \\ 1 - 9\%(1 \text{ TeV}/f)^2 & (\text{MCHM5}) \end{cases}$$

SUSY

$$\frac{g_{hb\bar{b}}}{g_{h_{SM}b\bar{b}}} = \frac{g_{h\tau\tau}}{g_{h_{SM}\tau\tau}} \simeq 1 + 1.7\% \left(\frac{1 \text{ TeV}}{m_A} \right)^2$$

Expected deviations are small --> Precision!

For the precision we need a 500GeV ILC

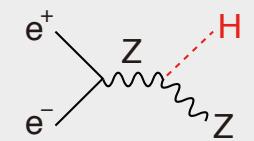
LC 250-500

Why 250-500 GeV?

Three well known thresholds

ZH @ 250 GeV (~ $M_Z + M_H + 20\text{GeV}$) :

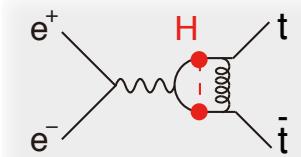
- Higgs mass, width, J^{PC}
- Gauge quantum numbers
- Absolute measurement of HZZ coupling (recoil mass) -> couplings to H (other than top)
- $\text{BR}(h \rightarrow VV, q\bar{q}, ll, \text{invisible})$: $V=W/Z$ (direct), g, γ (loop)



ttbar @ 340-350GeV (~ $2m_t$) : ZH meas. Is also possible

- Threshold scan --> theoretically clean mt measurement: $\Delta m_t(\overline{MS}) \simeq 100\text{ MeV}$
 - > test stability of the SM vacuum
 - > indirect meas. of top Yukawa coupling
- A_{FB} , Top momentum measurements
- Form factor measurements

$\gamma\gamma \rightarrow HH$ @ 350GeV possibility



vvH @ 350 - 500GeV :

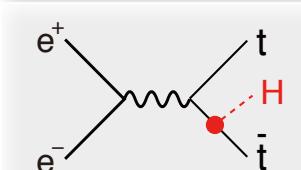
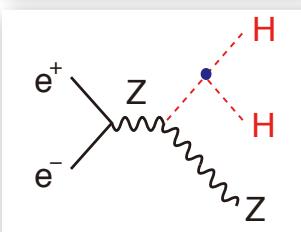
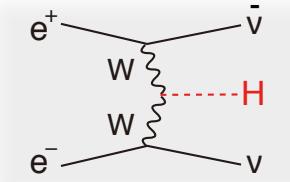
- HWW coupling -> total width --> absolute normalization of Higgs couplings

ZHH @ 500GeV (~ $M_Z + 2M_H + 170\text{GeV}$) :

- Prod. cross section attains its maximum at around 500GeV -> Higgs self-coupling

ttbarH @ 500GeV (~ $2m_t + M_H + 30\text{GeV}$) :

- Prod. cross section becomes maximum at around 800GeV.
- QCD threshold correction enhances the cross section -> top Yukawa measurable at 500GeV concurrently with the self-coupling

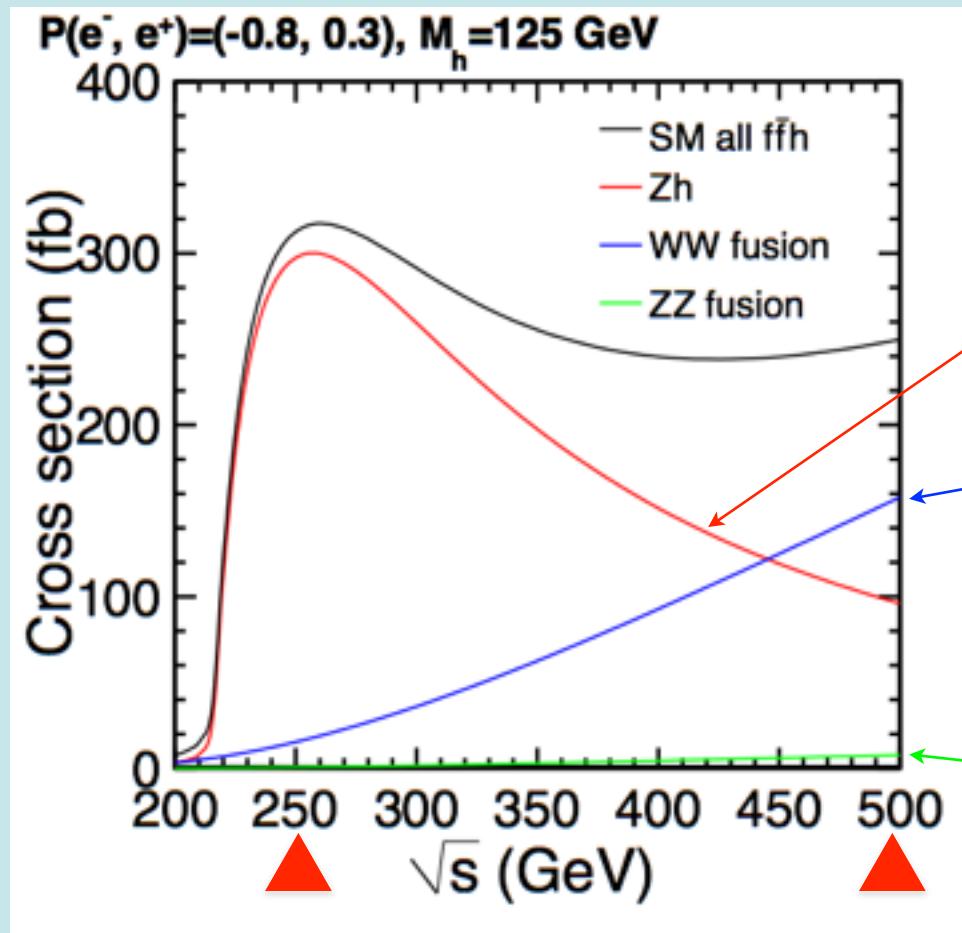


We can complete the mass-coupling plot at ~500GeV!

Main Production Processes

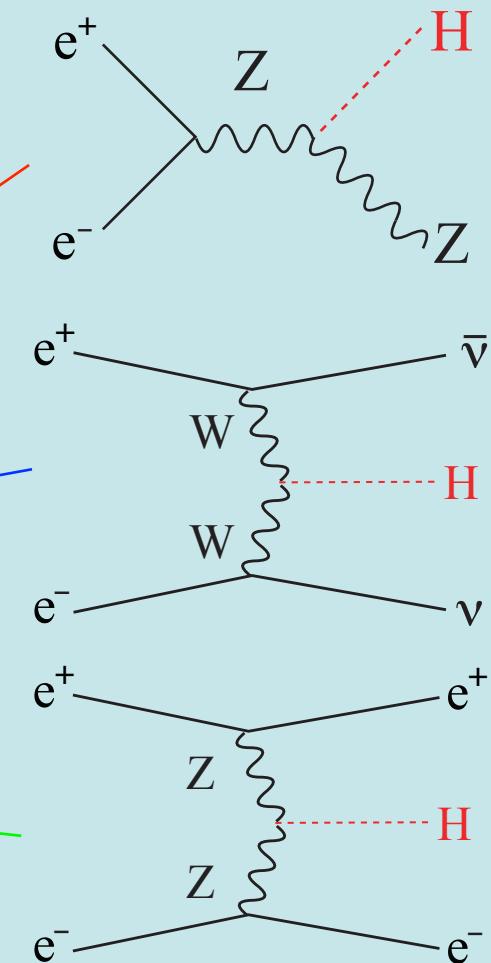
Single Higgs Production

Production cross section



ZH dominates at 250 GeV
(~80k ev: 250 fb^{-1})

vvH takes over at 500 GeV
(~125k ev: 500 fb^{-1})

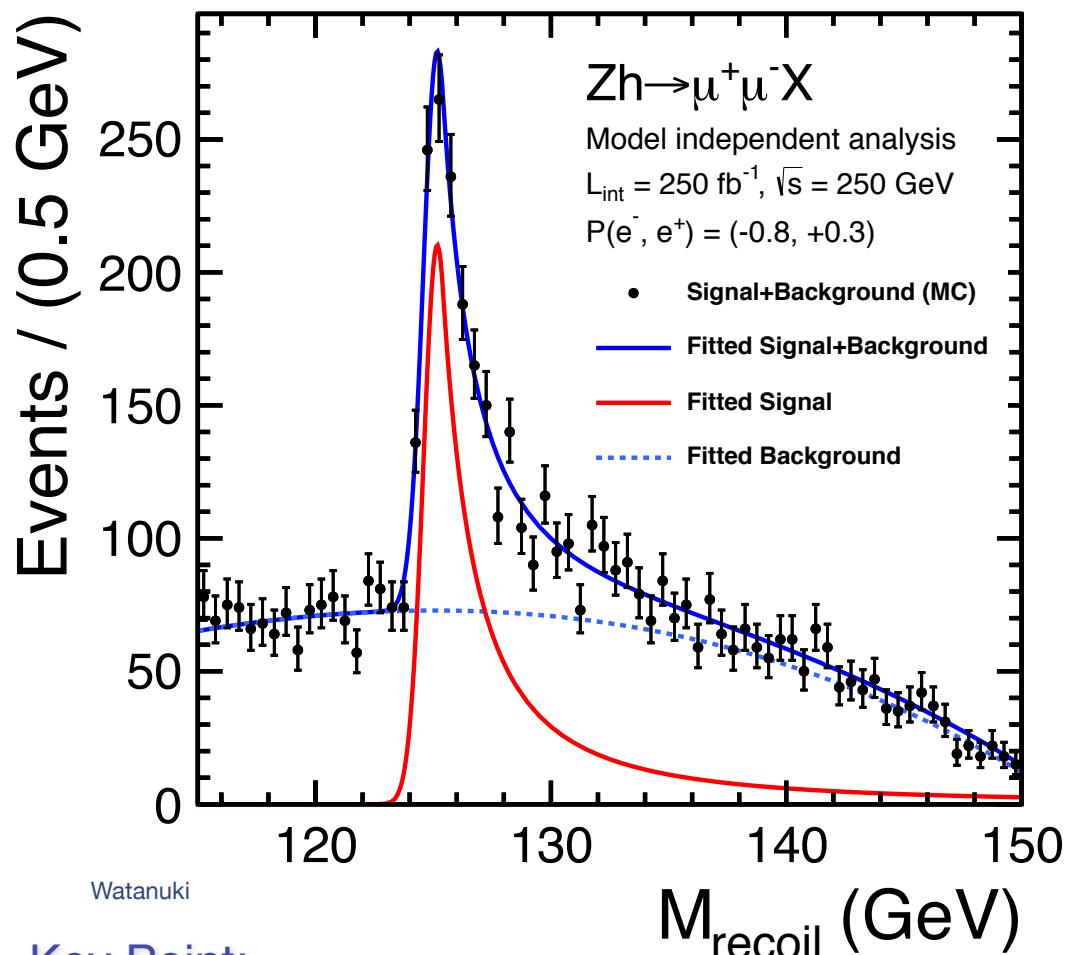


Possible to rediscover the Higgs in one day!

ILC 250

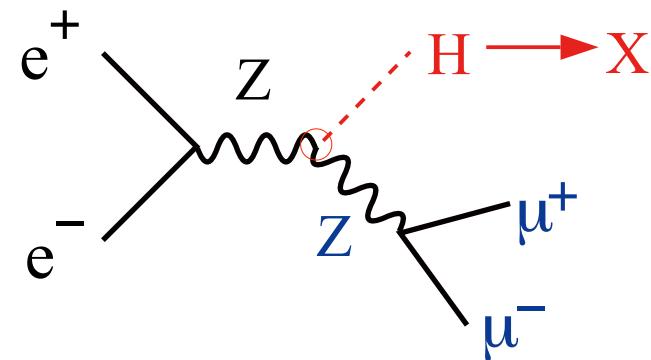
Recoil Mass Measurement: The Key to unlock the door to fully model-independent determinations of various BRs, Higgs couplings, and total widths

Recoil Mass



Key Point:

σ_{ZH} is the key to extract $BR(h \rightarrow AA)$ from $\sigma \times BR(h \rightarrow AA)$ and g_{hAA} from $BR(h \rightarrow AA)$ through determination of the total width Γ_h ! (great advantage of ILC)



$$M_X^2 = (p_{CM} - (p_{\mu^+} + p_{\mu^-}))^2$$

Invisible decay detectable!

250 fb⁻¹ @ 250 GeV m_H = 125 GeV

$$\Delta\sigma_H/\sigma_H = 2.6\%$$

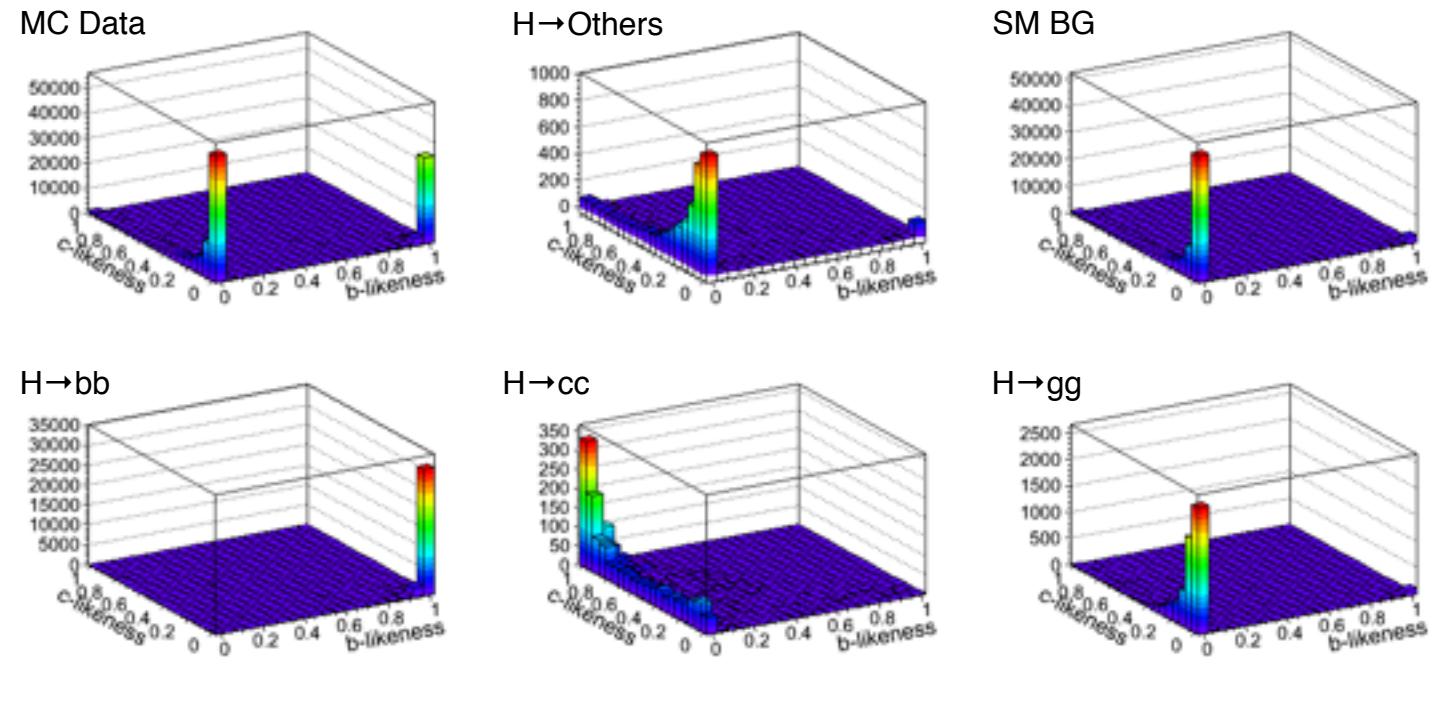
$$\Delta m_H = 30 \text{ MeV}$$

BR(invisible) < 1% @ 95% C.L.

scaled from mH=120 GeV

High Performance Flavor Tagging : The Key to directly access major couplings: bb , cc , $\tau\tau$, gg , WW^*

By template fitting, we can separate $H \rightarrow bb$, cc , gg , others!



What we measure here is not BR itself but $\sigma \times BR$.

$$BR = (\sigma \times BR) / \sigma$$

what we measure

--> $\Delta\sigma/\sigma=2.6\%$ eventually limits the BR measurements.

--> luminosity upgrade and/or longer running in a later stage.

250 fb^{-1} @ 250 GeV
 $m_H = 125 \text{ GeV}$
scaled from $m_H=120 \text{ GeV}$

	@250GeV
process	ZH
Int. Lumi.	250
$\Delta\sigma/\sigma$	2.6%
decay mode	$\Delta\sigma\text{Br}/\sigma\text{Br}$
$H \rightarrow bb$	1.2%
$H \rightarrow cc$	8.3%
$H \rightarrow gg$	7%
$H \rightarrow WW^*$	6.4%
$H \rightarrow \tau\tau$	4.2%

DBD Physics Chap.

Clean environment and a high performance vertex detector are the two powerful weapons of the ILC to directly access all of the major couplings (great advantage of the ILC)

Total Width and Coupling Extraction

One of the major advantages of the LC

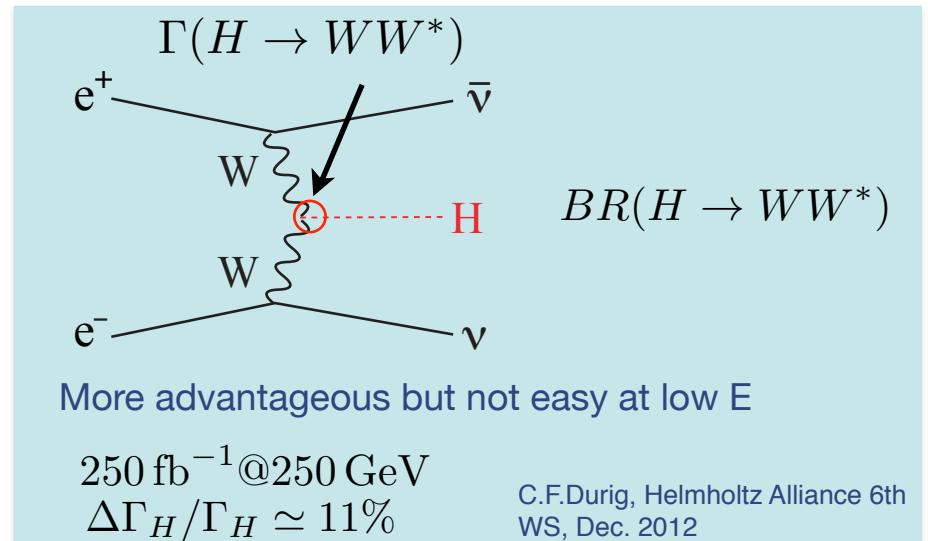
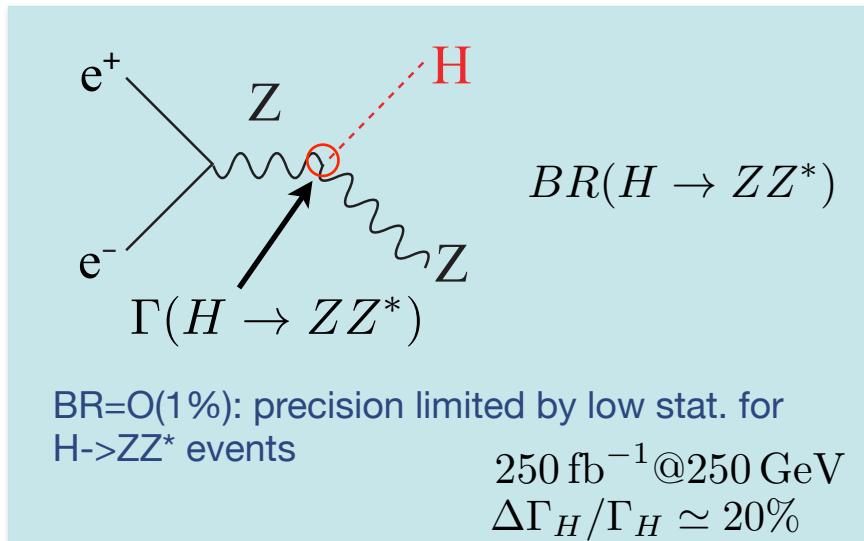
To extract couplings from BRs, we need the total width:

$$g_{HAA}^2 \propto \Gamma(H \rightarrow AA) = \Gamma_H \cdot BR(H \rightarrow AA)$$

To determine the total width, we need at least one partial width and corresponding BR:

$$\Gamma_H = \Gamma(H \rightarrow AA)/BR(H \rightarrow AA)$$

In principle, we can use A=Z, or W for which we can measure both the BRs and the couplings:



ILC 500

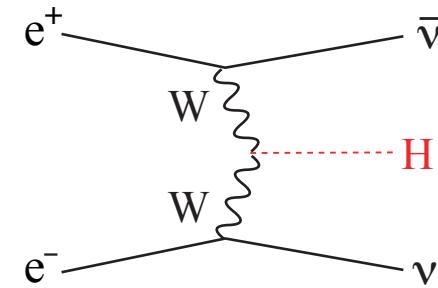
Width and BR Measurements at 500 GeV

Addition of 500GeV data to 250GeV data

E	independent measurements	relative error
250	σ_{ZH}	2.6%
	$\sigma_{ZH} \cdot Br(H \rightarrow b\bar{b})$	1.2%
	$\sigma_{ZH} \cdot Br(H \rightarrow c\bar{c})$	8.3%
	$\sigma_{ZH} \cdot Br(H \rightarrow gg)$	7%
	$\sigma_{ZH} \cdot Br(H \rightarrow WW^*)$	6.4%
	$\sigma_{ZH} \cdot Br(H \rightarrow \tau^+\tau^-)$	4.2%
	$\sigma_{\nu\bar{\nu}H} \cdot Br(H \rightarrow b\bar{b})$	10.5%
500	σ_{ZH}	3%
	$\sigma_{ZH} \cdot Br(H \rightarrow b\bar{b})$	1.8%
	$\sigma_{ZH} \cdot Br(H \rightarrow c\bar{c})$	13%
	$\sigma_{ZH} \cdot Br(H \rightarrow gg)$	11%
	$\sigma_{ZH} \cdot Br(H \rightarrow WW^*)$	9.2%
	$\sigma_{ZH} \cdot Br(H \rightarrow \tau^+\tau^-)$	5.4%
	$\sigma_{\nu\bar{\nu}H} \cdot Br(H \rightarrow b\bar{b})$	0.66%
	$\sigma_{\nu\bar{\nu}H} \cdot Br(H \rightarrow c\bar{c})$	6.2%
	$\sigma_{\nu\bar{\nu}H} \cdot Br(H \rightarrow gg)$	4.1%
	$\sigma_{\nu\bar{\nu}H} \cdot Br(H \rightarrow WW^*)$	2.4%

250 fb^{-1} @ 250 GeV
+ 500 fb^{-1} @ 500 GeV
 $m_H = 125 \text{ GeV}$

ILD DBD Full Simulation Study



comes in as a powerful tool!

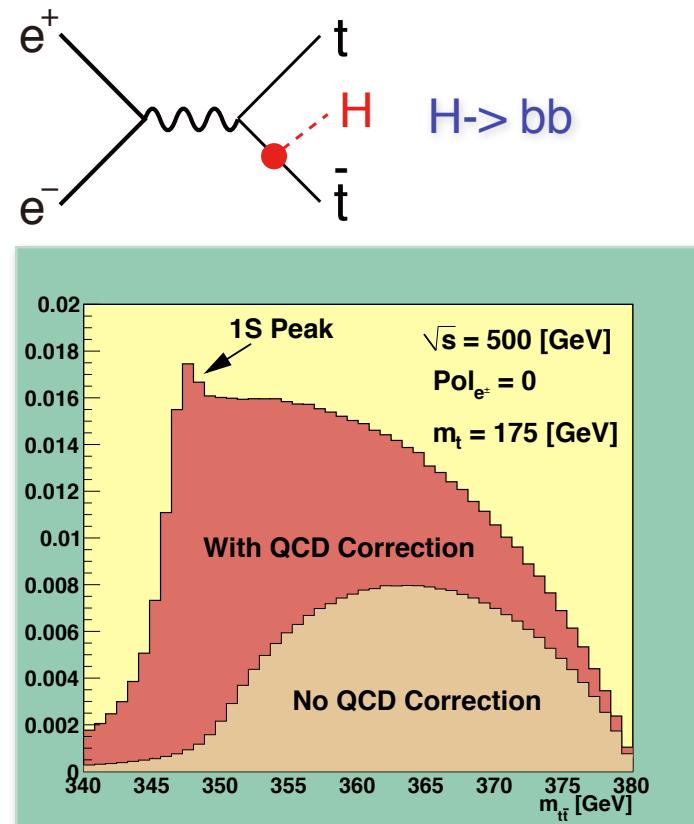
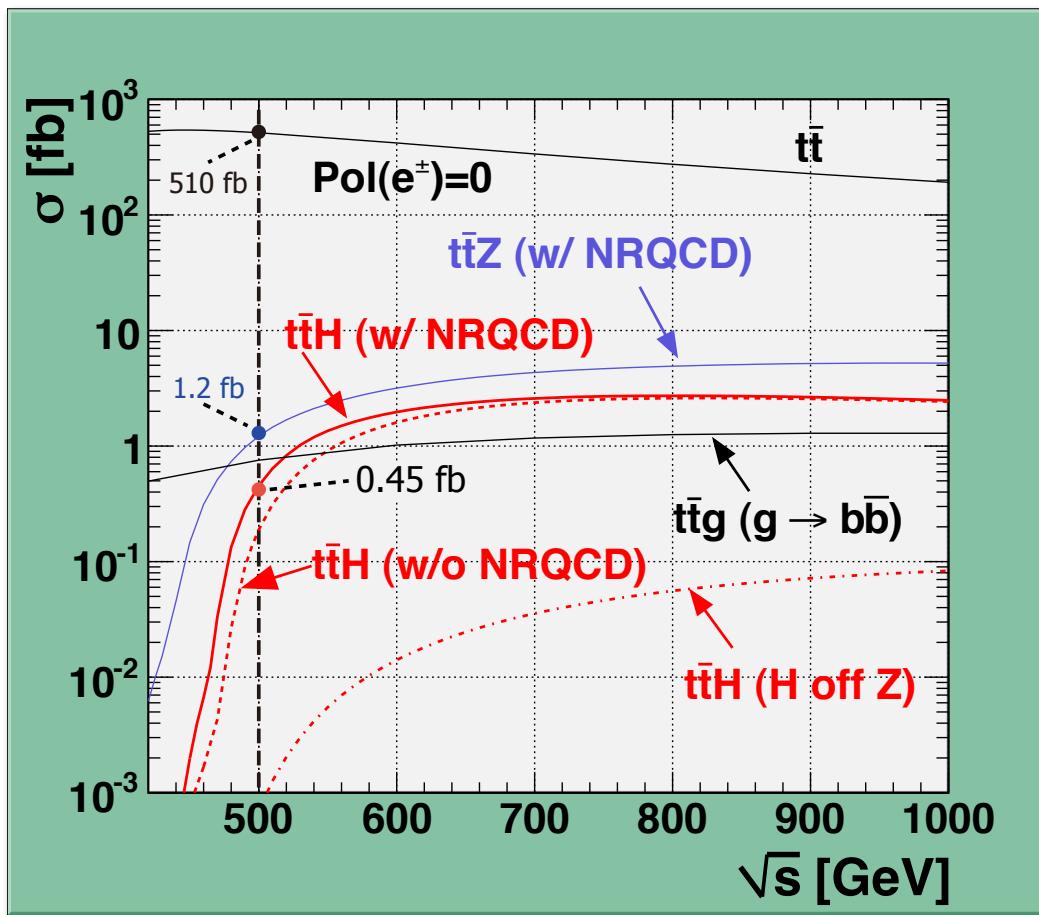
$$\Delta \Gamma_H / \Gamma_H \simeq 5\%$$

Mode	$\Delta \text{BR}/\text{BR}$
bb	2.2 (2.9)%
cc	5.1 (8.7)%
gg	4.0 (7.5)%
WW*	3.1 (6.9)%
$\tau\tau$	3.7 (4.9)%

The numbers in the parentheses are as of 250 fb^{-1} @ 250 GeV

Top Yukawa Coupling

The largest among matter fermions, but not yet directly observed



A factor of 2 enhancement from QCD bound-state effects

$$1 \text{ ab}^{-1} @ 500 \text{ GeV} \quad m_H = 125 \text{ GeV}$$

$$\Delta g_Y(t)/g_Y(t) = 9.9\%$$

Tony Price, LCWS12

scaled from $m_H=120 \text{ GeV}$

Notice $\sigma(500+20\text{GeV})/\sigma(500\text{GeV}) \sim 2$
Moving up a little bit helps significantly!

Cross section maximum at around
 $E_{cm} = 800 \text{ GeV}$

Philipp Roloff, LCWS12

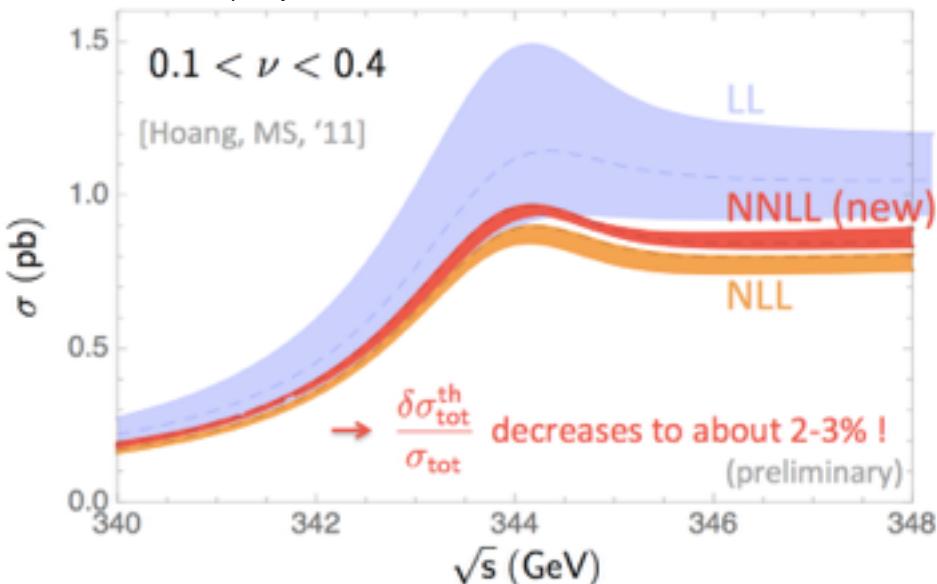
Tony Price, LCWS12

DBD Full Simulation

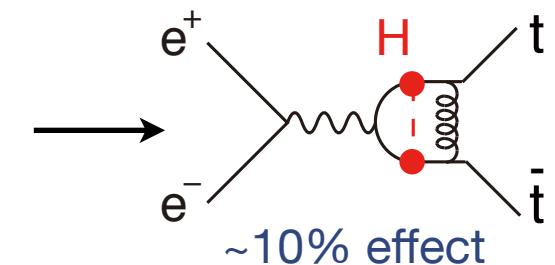
Top at Threshold

Threshold Scan

M.Stahlhofen Top Phys WS 2012



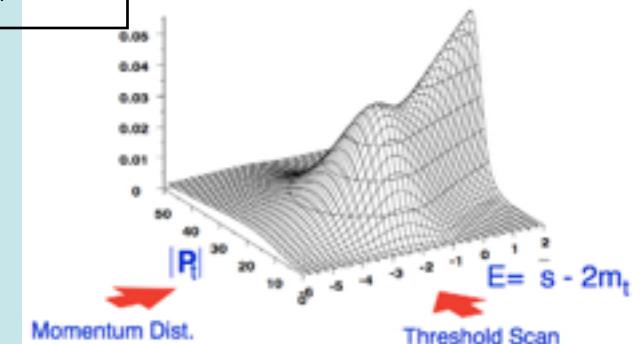
Theory improving!



Expected accuracies

$$\begin{aligned}\Delta m_t &= 34 \text{ MeV} \\ \Delta \alpha_s(m_Z) &= 0.0023 \\ \Delta \Gamma_t &= 42 \text{ MeV}\end{aligned}$$

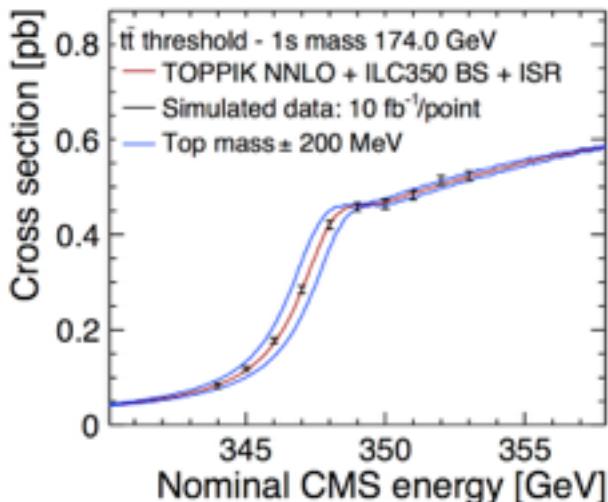
Threshold scan alone



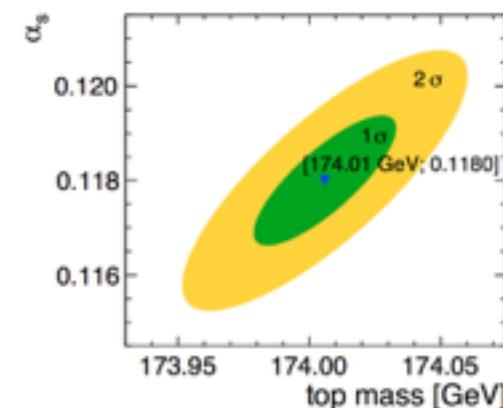
+ A_{FB} & Top Momentum

$$\begin{aligned}\Delta m_t &= 19 \text{ MeV} \\ \Delta \alpha_s(m_Z) &= 0.0012 \\ \Delta \Gamma_t &= 32 \text{ MeV}\end{aligned}$$

arXiv:hep-ph/0601112v2

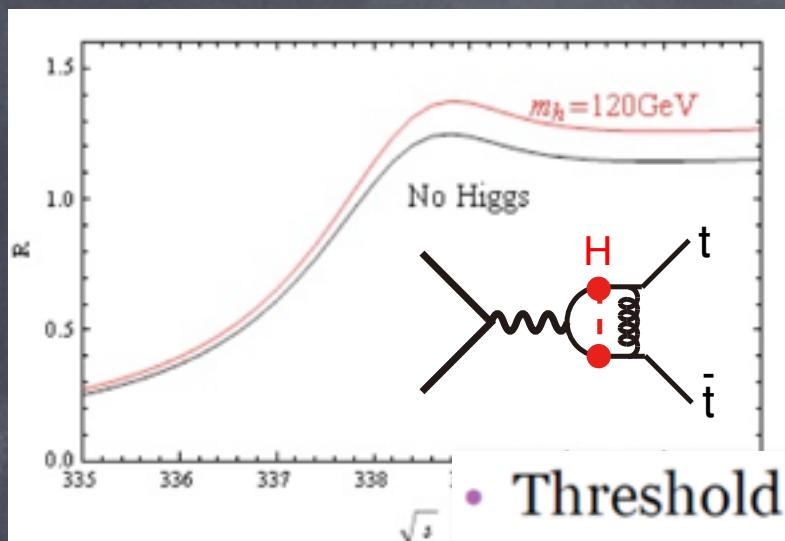


F.Simon Top Phys WS 2012



$$\Delta m_t(\overline{MS}) \simeq 100 \text{ MeV}$$

Reducing Theoretical Ambiguities



9% effect on the X-section

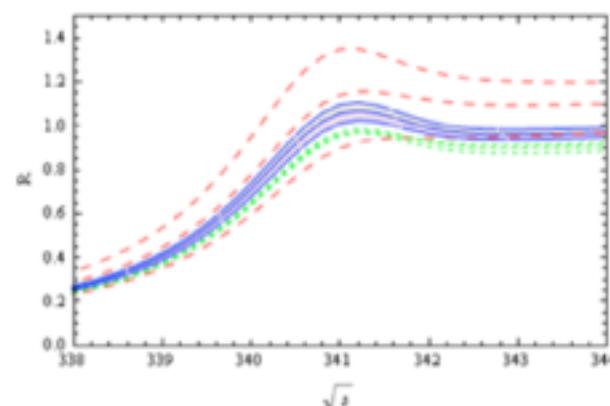
Normalization ambiguity due to the QCD enhancement has been an obstacle to do this measurement

- Threshold enhancement is due to Coulomb resummation
- ↓
- Below RG improvement is applied to QCD static potential.
(In the plots below we neglected other corrections as a first study)

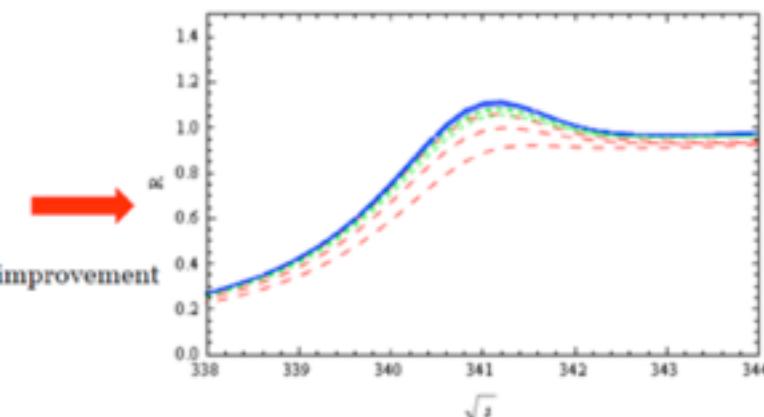
Yuichiro Kiyo
@ LCWS10

Use of the RG improved potential can significantly improve the situation!

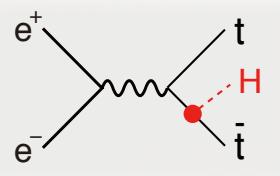
Still preliminary but prospect is bright!



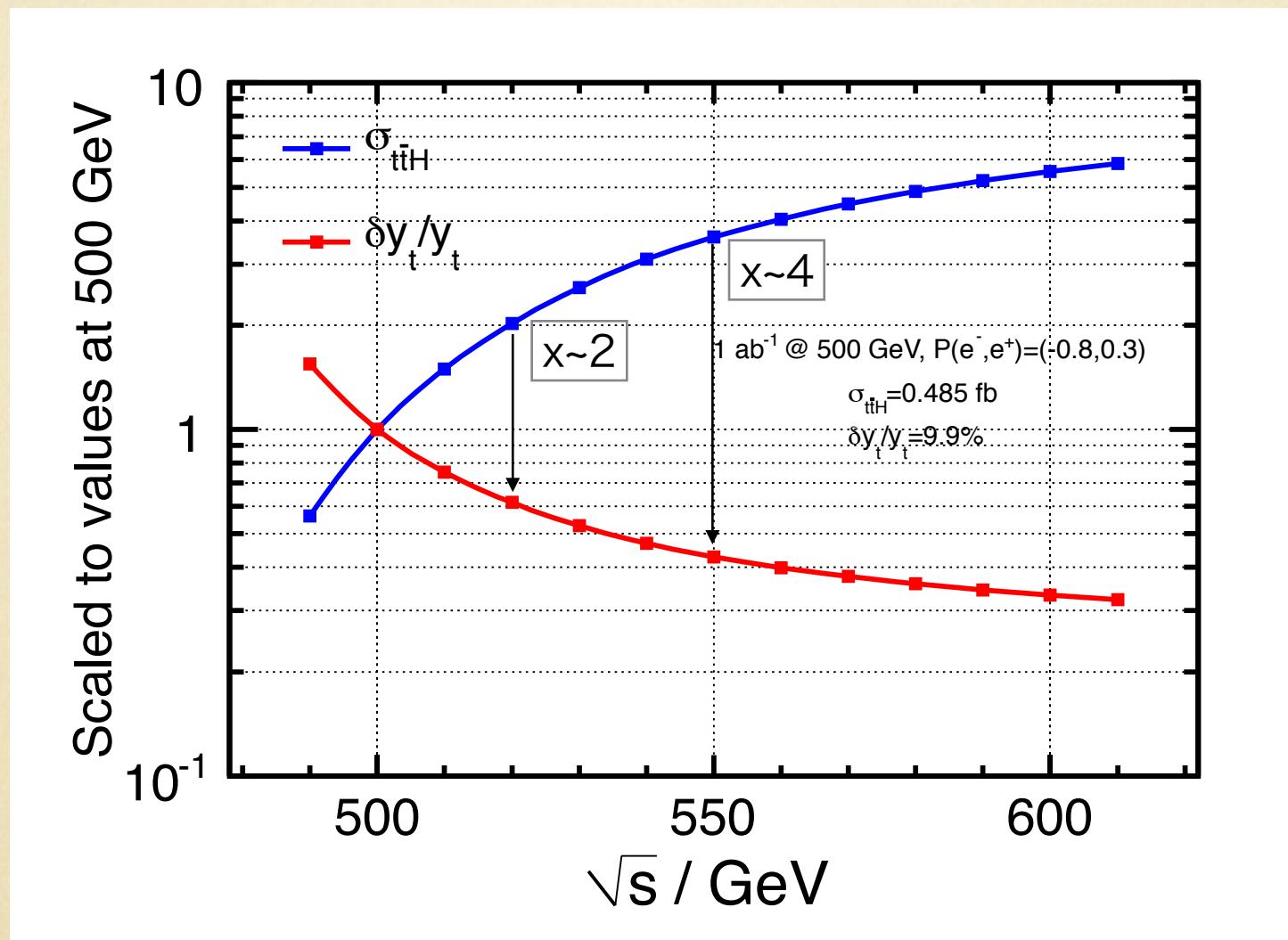
improvement



$M_{t,PS} = 170 \text{ GeV}$, LO(Red)/NLO(Green)/NNLO(Blue) for $\mu = 20, 30, 40 \text{ GeV}$



Top Yukawa coupling

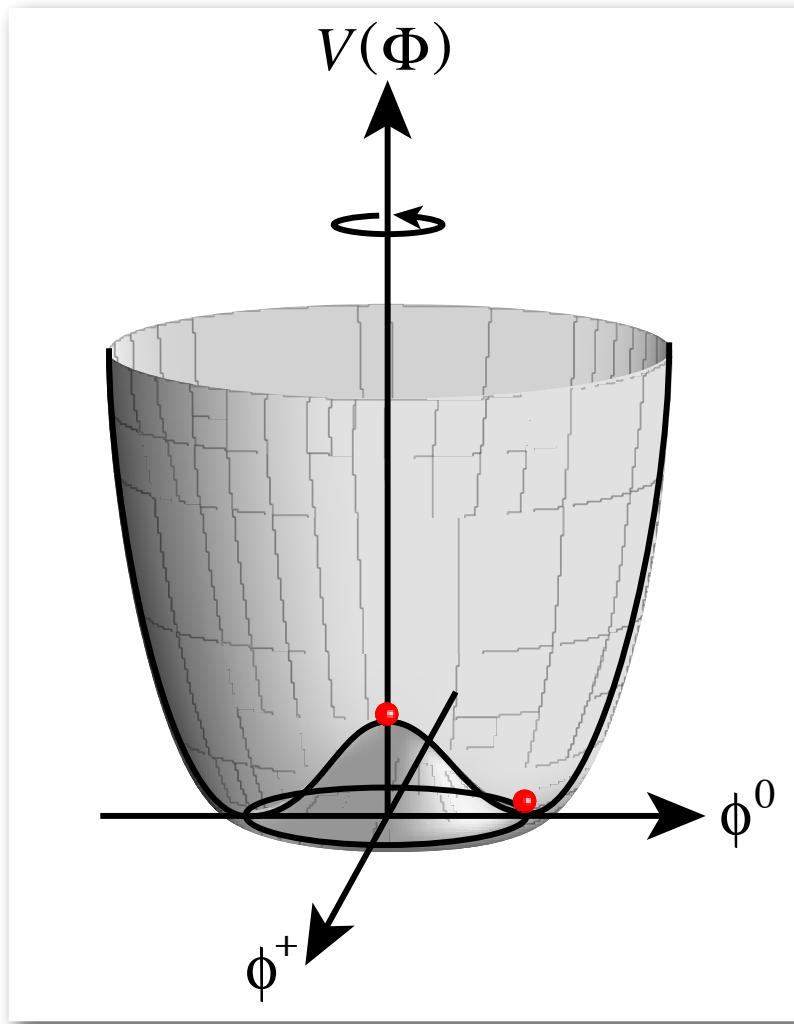


Y. Sudo

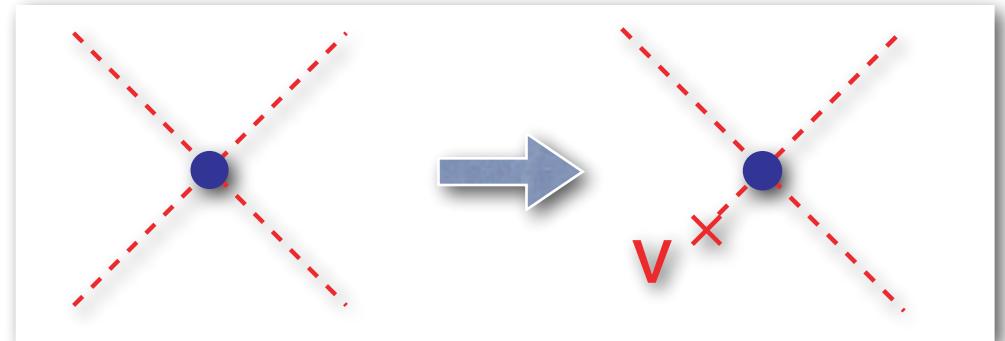
Slight increase of E_{\max} is very beneficial!

And then Higgs Self-coupling

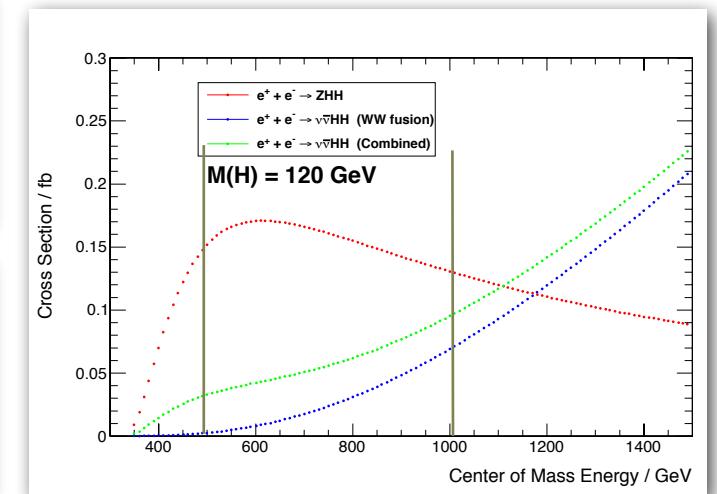
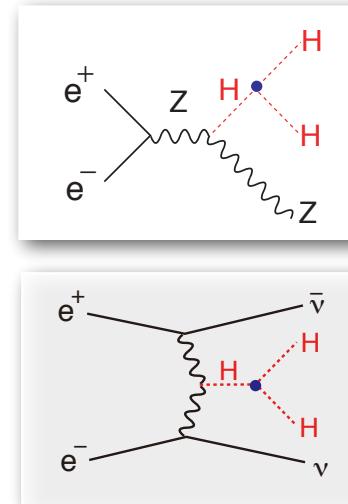
the force that made the Higgs condense in the vacuum



We need to measure the Higgs self-coupling

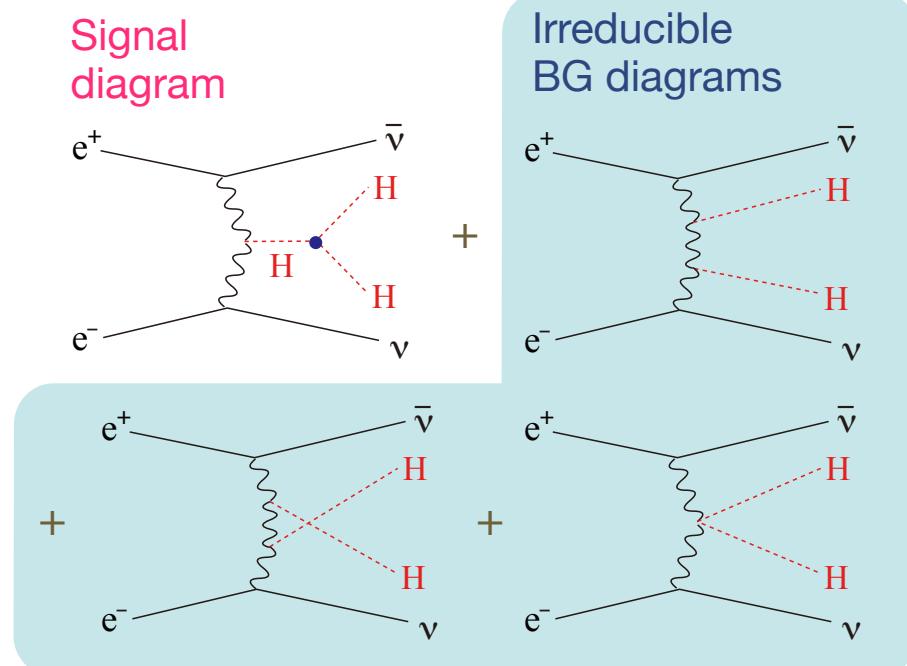
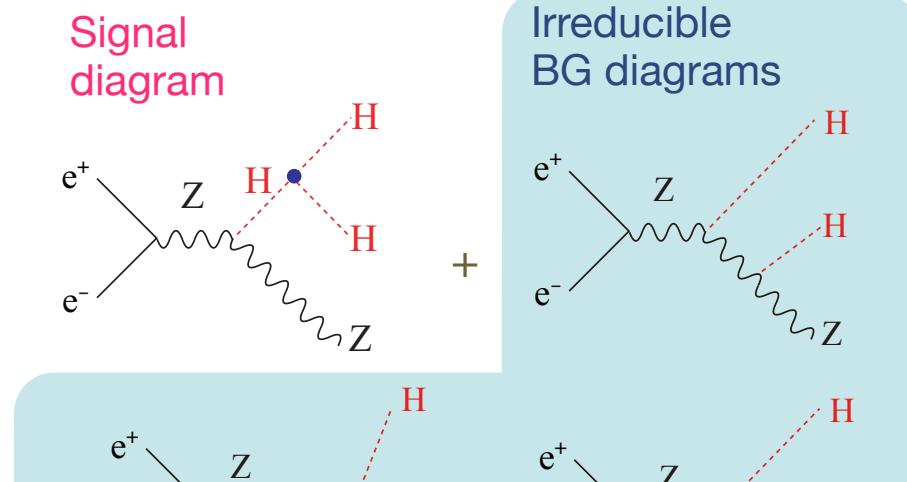


= We need to measure the shape
of the Higgs potential



The measurement is very difficult even at ILC.

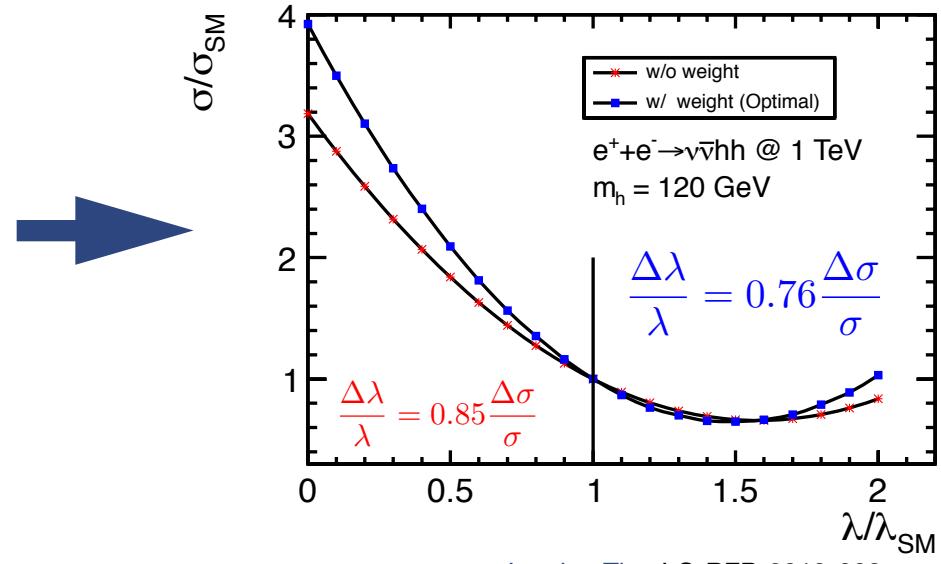
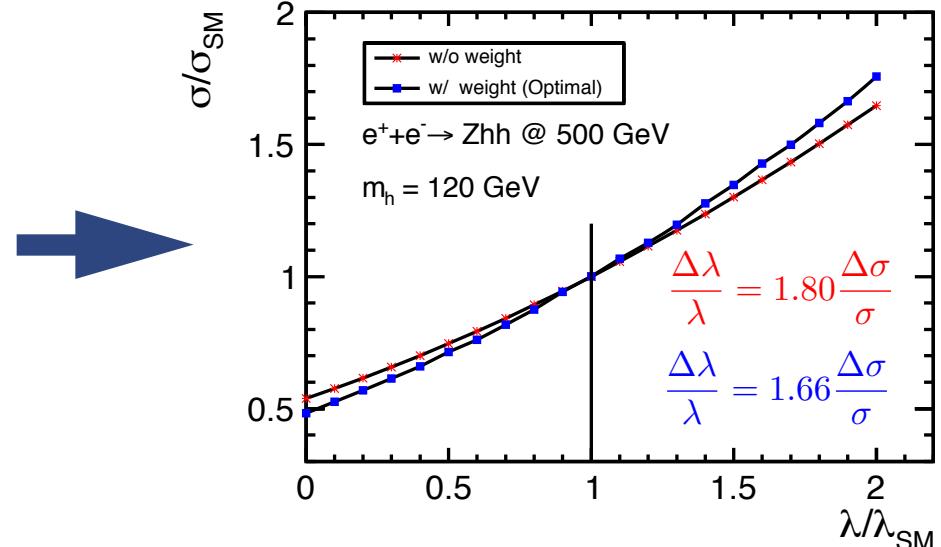
The Problem : BG diagrams dilute self-coupling contribution



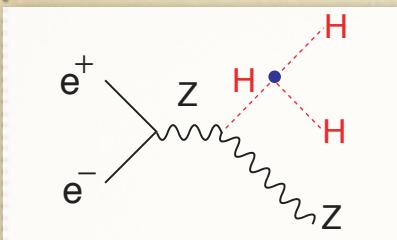
$$\sigma = \lambda^2 S + \lambda I + B$$

$$\frac{\Delta\lambda}{\lambda} = F \cdot \frac{\Delta\sigma}{\sigma}$$

F=0.5 if no BG diagrams



Higgs self-coupling @ 500 GeV



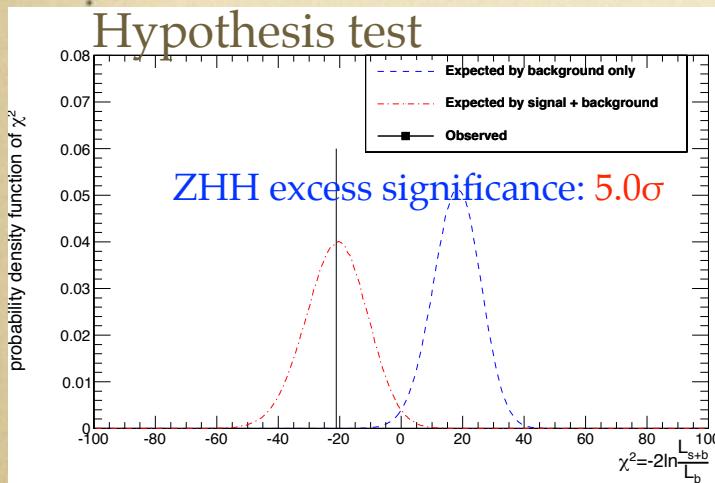
$$e^+ + e^- \rightarrow ZHH$$

$$M(H) = 120\text{GeV} \quad \int L dt = 2ab^{-1}$$

$$P(e^-, e^+) = (-0.8, +0.3)$$

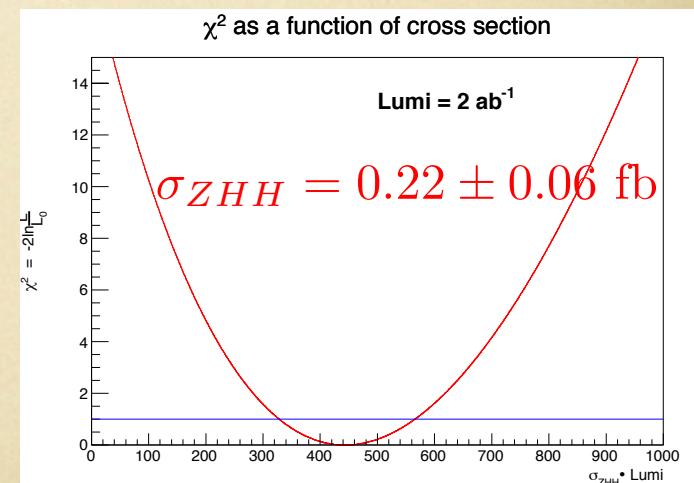
Energy (GeV)	Modes	signal	background ($t\bar{t}$, ZZ, ZZH / ZZZ)	significance	
				excess (I)	measurement (II)
500	$ZHH \rightarrow (l\bar{l})(b\bar{b})(b\bar{b})$	3.7	4.3	1.5σ	1.1σ
		4.5	6	1.5σ	1.2σ
500	$ZHH \rightarrow (\nu\bar{\nu})(b\bar{b})(b\bar{b})$	8.5	7.9	2.5σ	2.1σ
500	$ZHH \rightarrow (q\bar{q})(b\bar{b})(b\bar{b})$	13.6	30.7	2.2σ	2.0σ
		18.8	90.6	1.9σ	1.8σ

Hypothesis test



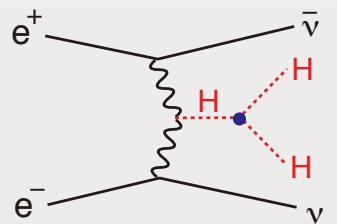
$$\frac{\delta\sigma}{\sigma} = 27\%$$

$$\frac{\delta\lambda}{\lambda} = 44\%$$



(cf. 80% for qqbbbb at the LoI time)

ILC 1000



Higgs self-coupling @ 1 TeV

$$e^+ + e^- \rightarrow \nu \bar{\nu} HH$$

$$M(H) = 120\text{GeV} \quad \int L dt = 2ab^{-1}$$

P(e-,e+)=(-0.8,+0.2)

	Expected	After Cut
vvh _h (WW-F)	272	35.7
vvh _h (ZHH)	74	3.88
BG (tt/vvZH)	7.86×10^5	33.7
significance	0.3	4.29

- better sensitivity factor
- benefit more from beam polarization
- BG tt x-section smaller
- more boosted b-jets

$$\frac{\Delta\sigma}{\sigma} \approx 23\%$$

$$\frac{\Delta\lambda}{\lambda} \approx 18\%$$

Double Higgs excess significance: $> 7\sigma$

Higgs self-coupling significance: $> 5\sigma$

HHH Prospects

Scaled to $M(H)=125\text{GeV}$

Scenario A: $\text{HH} \rightarrow \text{bbbb}$, full simulation done

Scenario B: by adding $\text{HH} \rightarrow \text{bbWW}^*$, full simulation ongoing,
expect ~20% relative improvement

Scenario C: color-singlet clustering, future improvement,
expected ~20% relative improvement (conservative)

HHH	500 GeV			500 GeV + 1 TeV		
	Scenario	A	B	C	A	B
Baseline	104%	83%	66%	26%	21%	17%
LumiUP	58%	46%	37%	16%	13%	10%

250 GeV: 250 fb^{-1}
 500 GeV: 500 fb^{-1}
 1 TeV: 1000 fb^{-1}

Baseline



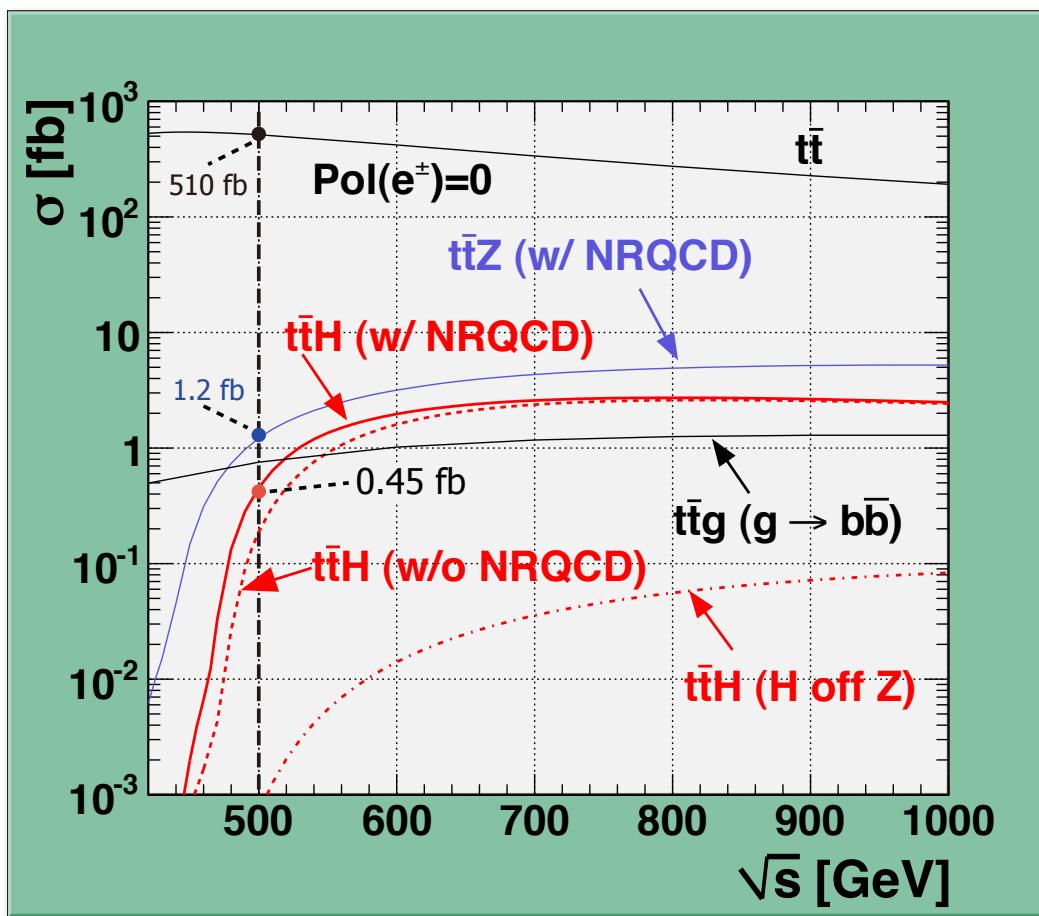
250 GeV: 1150 fb^{-1}
 500 GeV: 1600 fb^{-1}
 1 TeV: 2500 fb^{-1}

LumiUP

ILD DBD Study
 (Junping Tian, Masakazu Kurata)

Top Yukawa Coupling at 1TeV

Now it is fully open!

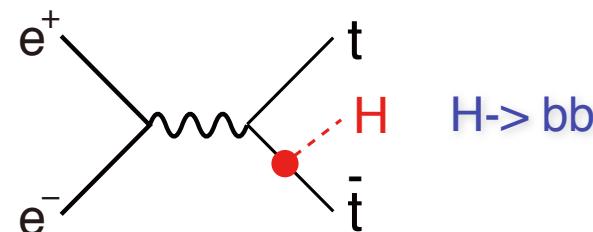


Cross section maximum at around
Ecm = 800GeV

Tony Price & Tomohiko Tanabe: ILD DBD Study

Philipp Roloff & Jan Strube: SiD DBD Dtudy

DBD Full Simulation



Similar significance in both modes

8-jet mode: 7.9σ (TMVA)

L+6-jet mode: 8.4σ (TMVA)

Tony Price & Tomohiko Tanabe: ILD DBD Study

$1 \text{ ab}^{-1} @ 500 \text{ GeV}$ $m_H = 125 \text{ GeV}$

$\Delta g_Y(t)/g_Y(t) = 9.9\%$

Tony Price, LCWS12

scaled from $m_H=120 \text{ GeV}$



$1 \text{ ab}^{-1} @ 1 \text{ TeV}$ $m_H = 125 \text{ GeV}$

$\Delta g_Y(t)/g_Y(t) = 3.1\%$

ILD / SiD DBD Studies

Independent Higgs Measurements at ILC

Baseline ILC program

250 GeV: 250 fb⁻¹
 500 GeV: 500 fb⁻¹
 1 TeV: 1000 fb⁻¹

(M_H = 125 GeV)

Ecm	250 GeV		500 GeV		1 TeV
luminosity [fb]	250		500		1000
polarization (e)	(-0.8, +0.3)		(-0.8, +0.3)		(-0.8, +0.2)
process	ZH	vvH(fusion)	ZH	vvH(fusion)	vvH(fusion)
cross section	2.6%	-	3%	-	
	$\sigma \cdot \text{Br}$				
H→bb	1.2%	10.5%	1.8%	0.66%	0.32%
H→cc	8.3%		13%	6.2%	3.1%
H→gg	7%		11%	4.1%	2.3%
H→WW*	6.4%		9.2%	2.4%	1.6%
H→ττ	4.2%		5.4%	9%	3.1%
H→ZZ*	18%		25%	8.2%	4.1%
H→γγ	34%		34%	19%	7.4%
H→μμ	100%	-	-	-	31%

ILC 250+500+1000

Model-independent Global Fit for Couplings

33 $\sigma \times \text{BR}$ measurements (Y_i) and $\sigma_{Z\text{H}}$ ($Y_{34,35}$)

$$\chi^2 = \sum_{i=1}^{35} \left(\frac{Y_i - Y'_i}{\Delta Y_i} \right)^2$$

$$Y'_i = F_i \cdot \frac{g_{HA_i A_i}^2 \cdot g_{HB_i B_i}^2}{\Gamma_0} \quad (A_i = Z, W, t)$$

(B_i = b, c, τ , μ , g, γ , Z, W : decay)

\vdots

$$F_i = S_i G_i \quad G_i = \left(\frac{\Gamma_i}{g_i^2} \right)$$

$$S_i = \left(\frac{\sigma_{ZH}}{g_{HZZ}^2} \right), \left(\frac{\sigma_{\nu\bar{\nu}H}}{g_{HWW}^2} \right), \text{ or } \left(\frac{\sigma_{t\bar{t}H}}{g_{Htt}^2} \right)$$

- It is the recoil mass measurement that is the key to unlock the door to this completely model-independent analysis!
- Cross section calculations (S_i) do not involve QCD ISR.
- Partial width calculations (G_i) do not need quark mass as input.

We are confident that the total theory errors for S_i and G_i will be at the 0.1% level at the time of ILC running.

Systematic Errors

	Baseline	LumUp
luminosity	0.1%	0.05%
polarization	0.1%	0.05%
b-tag efficiency	0.3%	0.15%

arXiv: 1310.0763

Model-independent Global Fit for Couplings

Baseline ILC program

250 GeV: 250 fb⁻¹
 500 GeV: 500 fb⁻¹
 1 TeV: 1000 fb⁻¹

(M_H = 125 GeV)

P(e-,e+)=(-0.8,+0.3) @ 250, 500 GeV

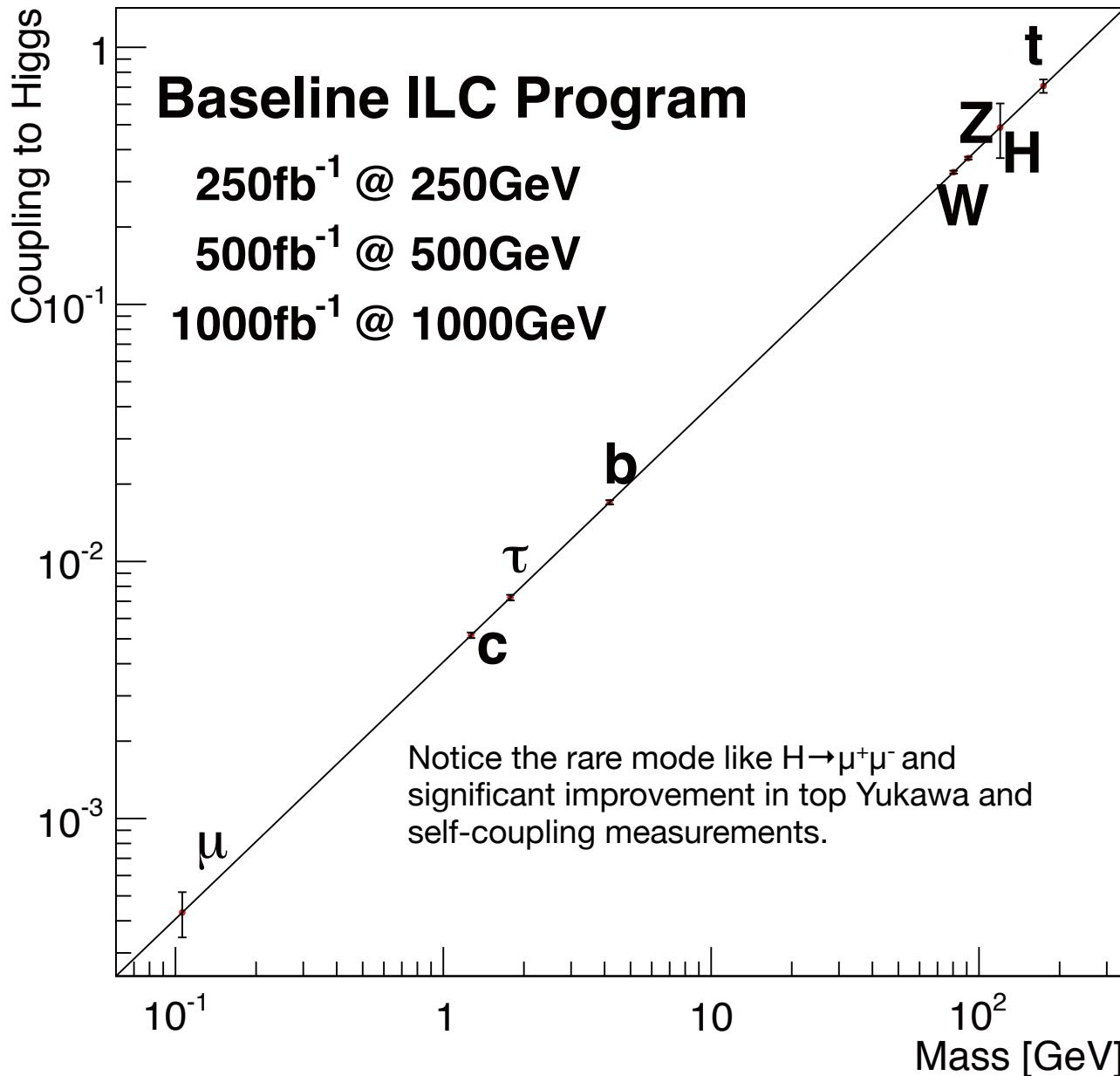
P(e-,e+)=(-0.8,+0.2) @ 1 TeV

coupling	250 GeV	250 GeV + 500	250 GeV + 500
HZZ	1.3%	1%	1%
HWW	4.8%	1.1%	1.1%
Hbb	5.3%	1.6%	1.3%
Hcc	6.8%	2.8%	1.8%
Hgg	6.4%	2.3%	1.6%
H $\tau\tau$	5.7%	2.3%	1.6%
H $\gamma\gamma$	18%	8.4%	4%
H $\mu\mu$	91%	91%	16%
Γ	12%	4.9%	4.5%
Htt	-	14%	3.1%
H h	-	83%(*)	21%(*)

) With H->WW (preliminary), if we include expected improvements in jet clustering it would become 17%!

Mass Coupling Relation

After Baseline ILC Program



Model-independent Global Fit for Couplings

250 GeV: 250 fb⁻¹
 500 GeV: 500 fb⁻¹
 1 TeV: 1000 fb⁻¹



250 GeV: 1150 fb⁻¹
 500 GeV: 1600 fb⁻¹
 1 TeV: 2500 fb⁻¹

Luminosity Upgraded ILC
 $(M_H = 125 \text{ GeV})$

$P(e^-, e^+) = (-0.8, +0.3) @ 250, 500 \text{ GeV}$ $P(e^-, e^+) = (-0.8, +0.2) @ 1 \text{ TeV}$

coupling	250 GeV	250 GeV + 500 GeV	250 GeV + 500 GeV + 1 TeV
HZZ	0.6%	0.5%	0.5%
HWW	2.3%	0.6%	0.6%
Hbb	2.5%	0.8%	0.7%
Hcc	3.2%	1.5%	1%
Hgg	3%	1.2%	0.93%
H $\tau\tau$	2.7%	1.2%	0.9%
H $\gamma\gamma$	8.2%	4.5%	2.4%
H $\mu\mu$	42%	42%	10%
Γ	5.4%	2.5%	2.3%
Htt	-	7.8%	1.9%

HHH

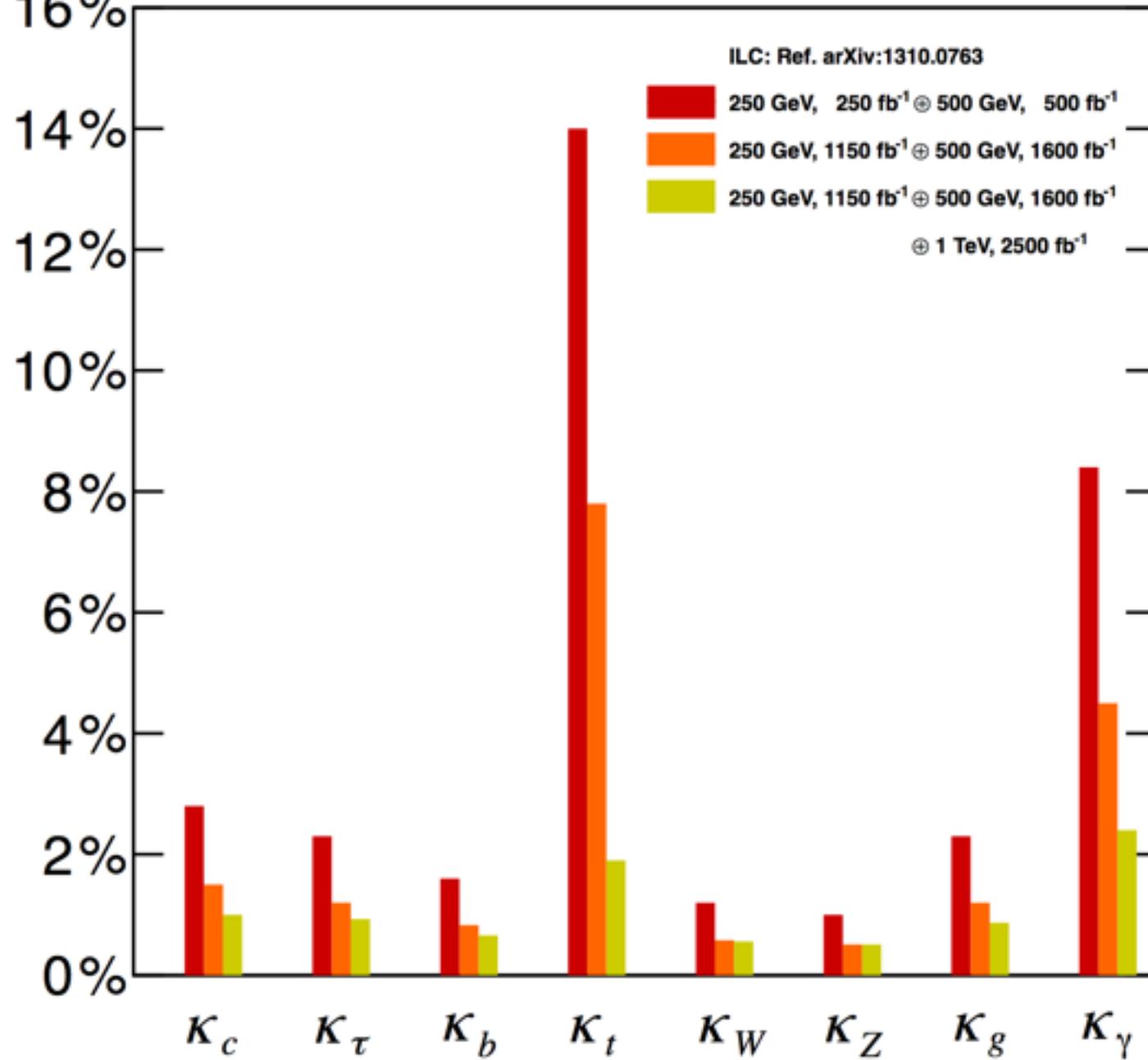
-

46%(*)

13%(*)

) With H->WW (preliminary), if we include expected improvements in jet clustering, it would become 10%!

Projected Higgs Coupling Precision, Model-Independent Fit



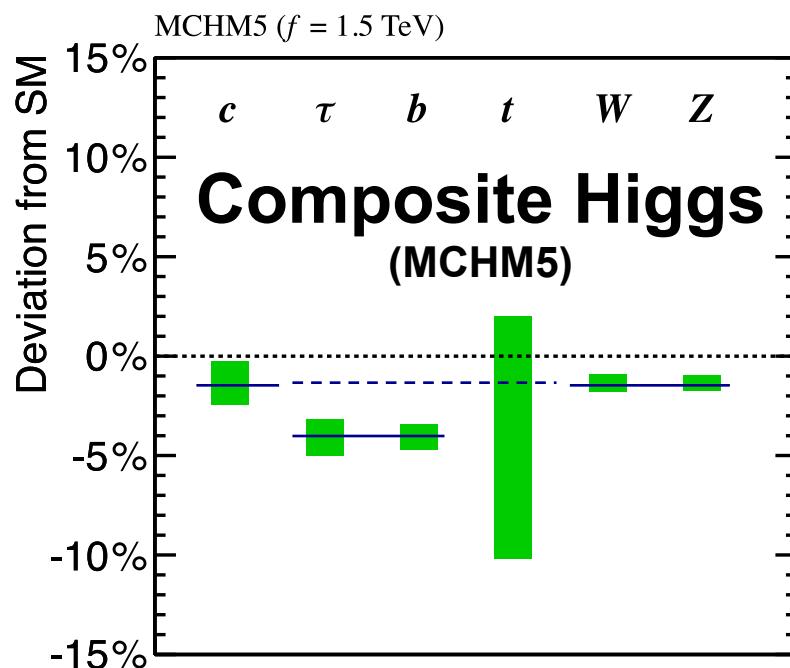
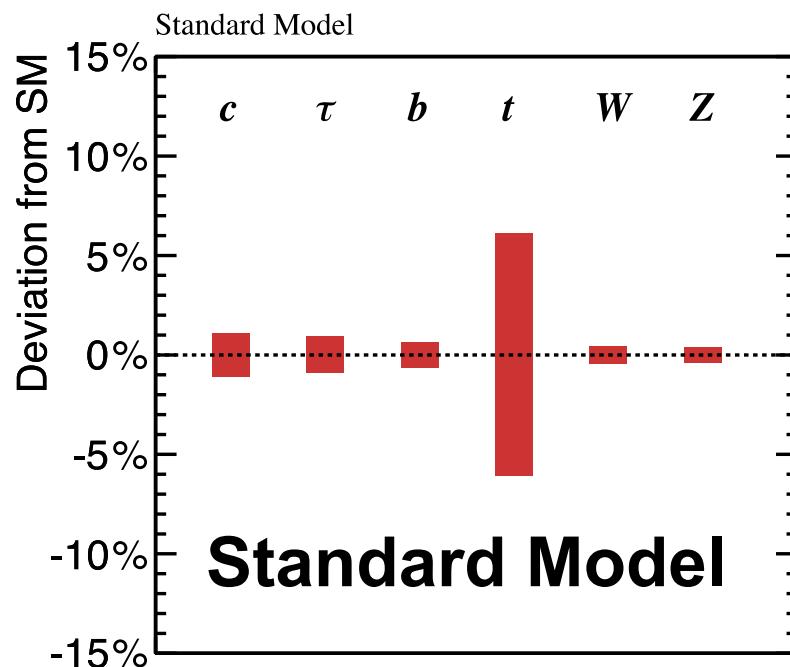
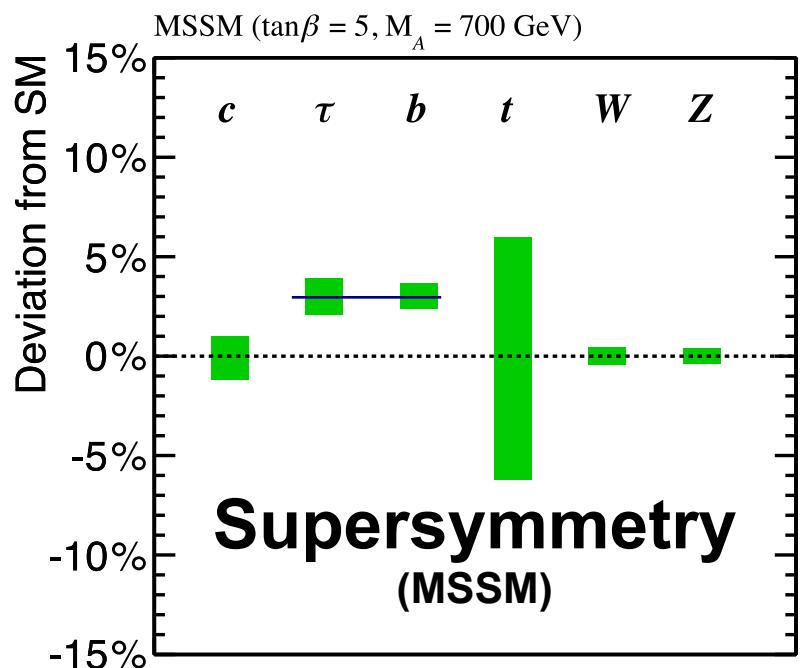
Fully model-independent fit, only possible at LC!

Finger Printing: Elementary v.s. Composite

Deviations in Higgs couplings is a signature of many BSM theories. The pattern of the deviations can be specific to certain models. The precision Higgs coupling measurements at the LC at the 1% level enable us to fingerprint the different models.

ILC 250+500 LumiUP

Lumi 1150 fb⁻¹, $\text{sqrt}(s) = 250 \text{ GeV}$
Lumi 1600 fb⁻¹, $\text{sqrt}(s) = 500 \text{ GeV}$

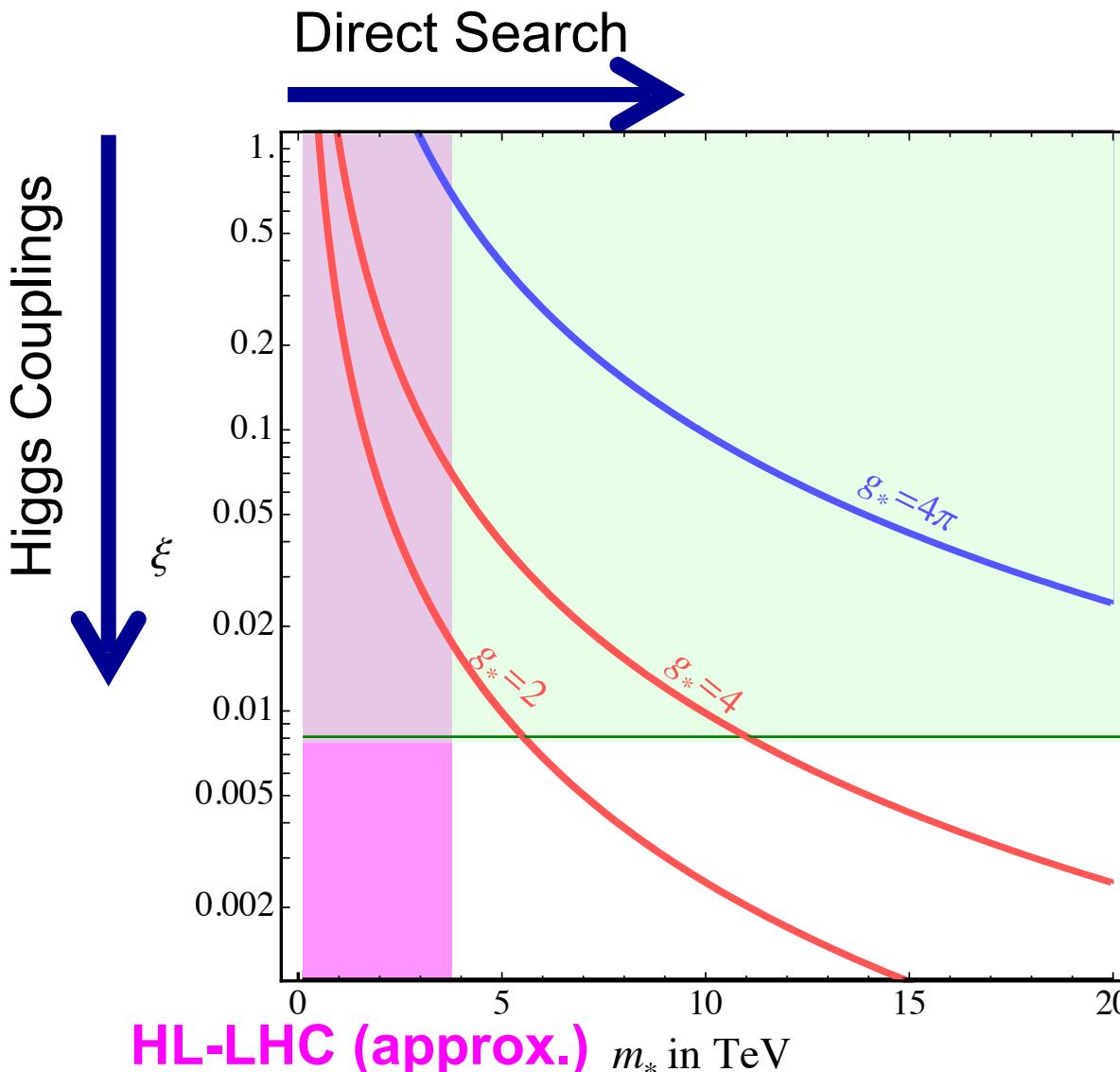


Composite Higgs: Reach

Complementary approaches to probe composite Higgs models

- Direct search for heavy resonances at the LHC
- Indirect search via Higgs couplings at the LC

Comparison depends on the coupling strength (g_*)



$$\xi = \frac{g_*^2}{m_*^2} v^2 = \frac{v^2}{f^2}$$

$$\frac{g_{hVV}}{g_{h_{\text{SM}}VV}} = \sqrt{1 - \xi}$$

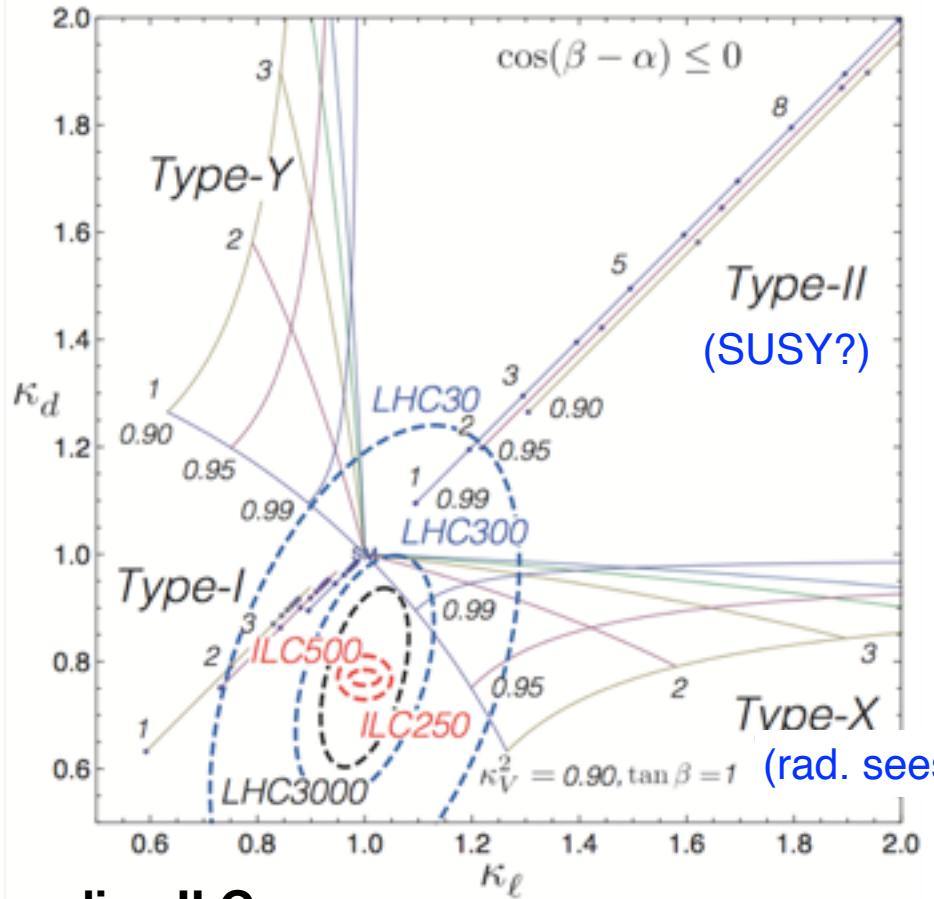
ILC (250+500 LumiUP)

$$\Delta \frac{g_{hVV}}{g_{hVV}} = 0.4\%$$

Finger Printing

2HDM

Down-type lepton vs down-type quark



Baseline ILC

Down-type lepton vs up-type quark

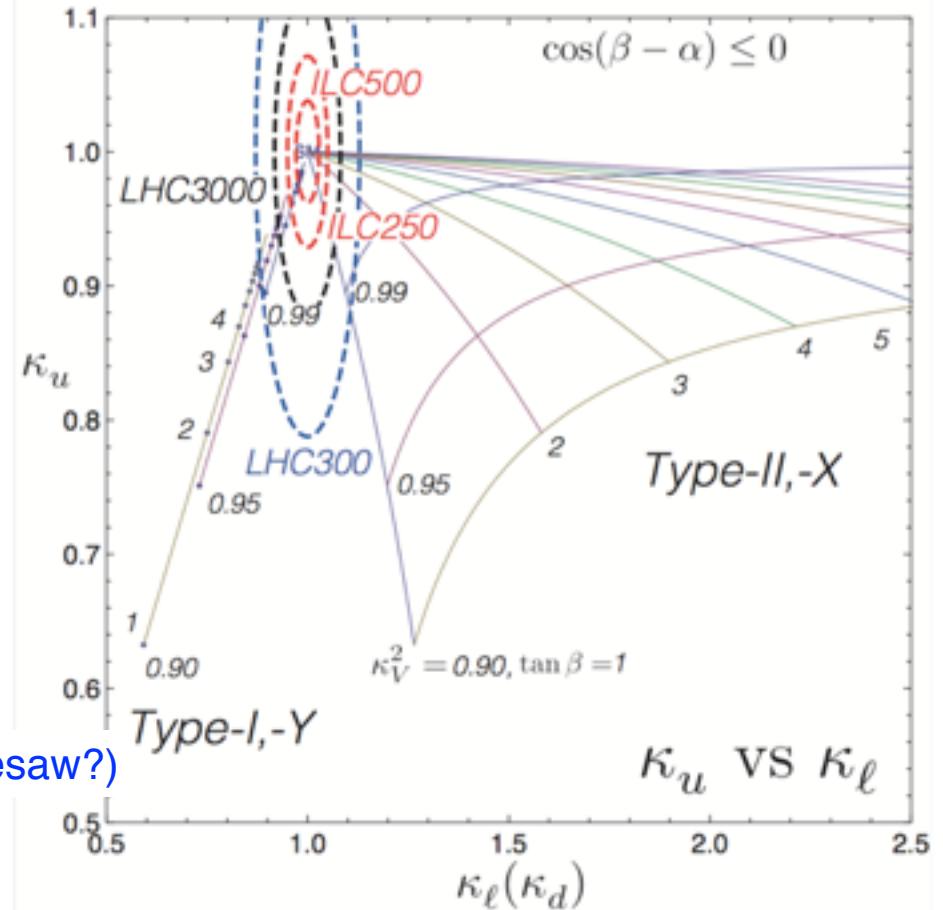
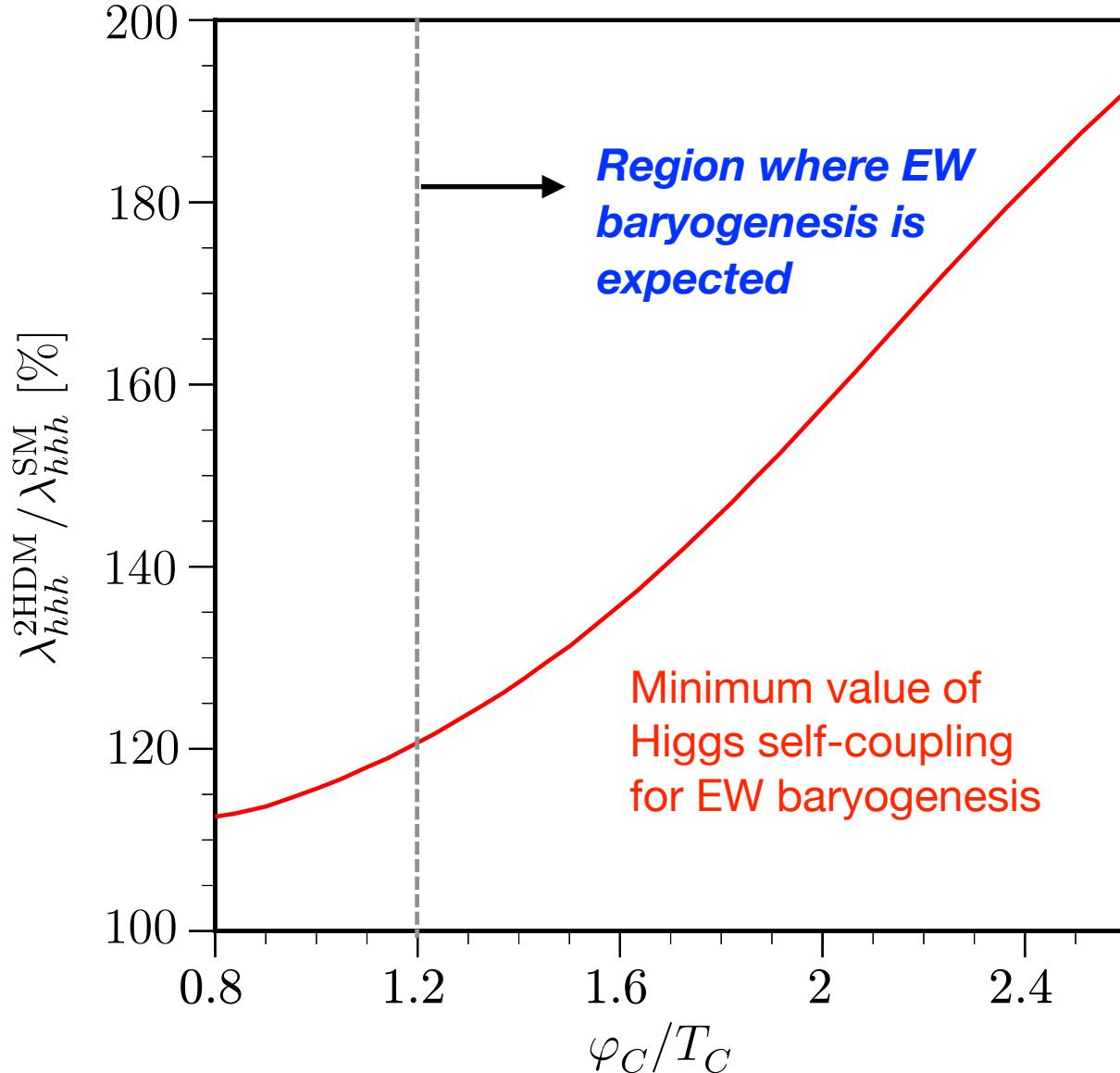


Figure 1.17. The deviation in $\kappa_f = \xi_h^f$ in the 2HDM with Type I, II, X and Y Yukawa interactions are plotted as a function of $\tan\beta = v_2/v_1$ and $\kappa_V = \sin(\beta - \alpha)$ with $\cos(\beta - \alpha) \leq 0$. For the illustration purpose only, we slightly shift lines along with $\kappa_x = \kappa_y$. The points and the dashed curves denote changes of $\tan\beta$ by one steps. The scaling factor for the Higgs-gauge-gauge coupling constants is taken to be $\kappa_V^2 = 0.99, 0.95$ and 0.90 . For $\kappa_V = 1$, all the scaling factors with SM particles become unity. The current LHC constraints, expected LHC and ILC sensitivities on (left) κ_d and κ_ℓ and (right) κ_u and κ_ℓ are added.

Snowmass ILC Higgs White Paper (arXiv: 1310.0763)

Electroweak Baryogenesis



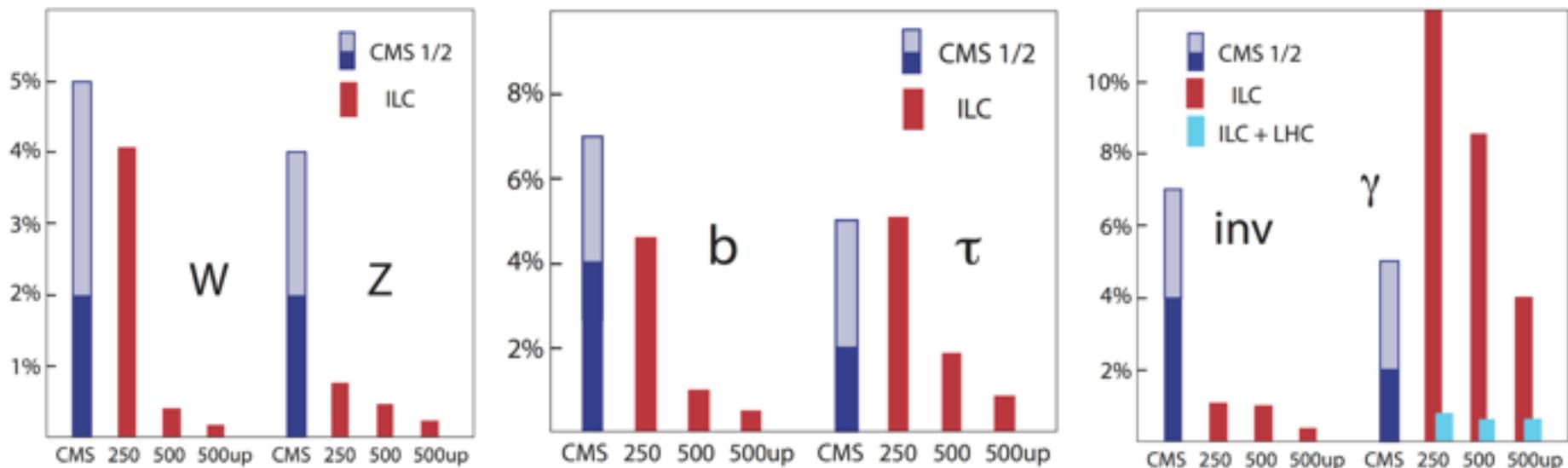
Example:

Electroweak baryogenesis in a **Two Higgs Doublet Model**

Large deviations in Higgs self-coupling are generally predicted in EW baryogenesis scenarios.

ILC can test the idea of baryogenesis occurring at the electroweak scale.

LHC + ILC



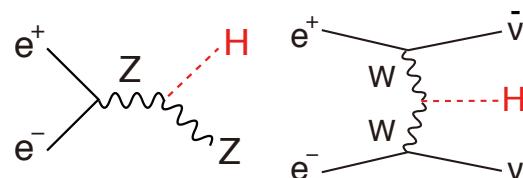
ILC greatly improves the LHC precisions and provides the necessary precision for the fingerprinting

For rare decays such as $H \rightarrow \gamma\gamma$, there is powerful synergy of LHC and ILC!

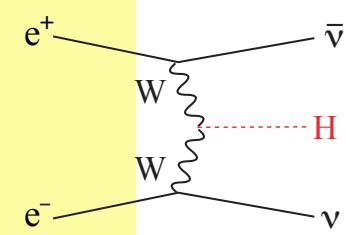
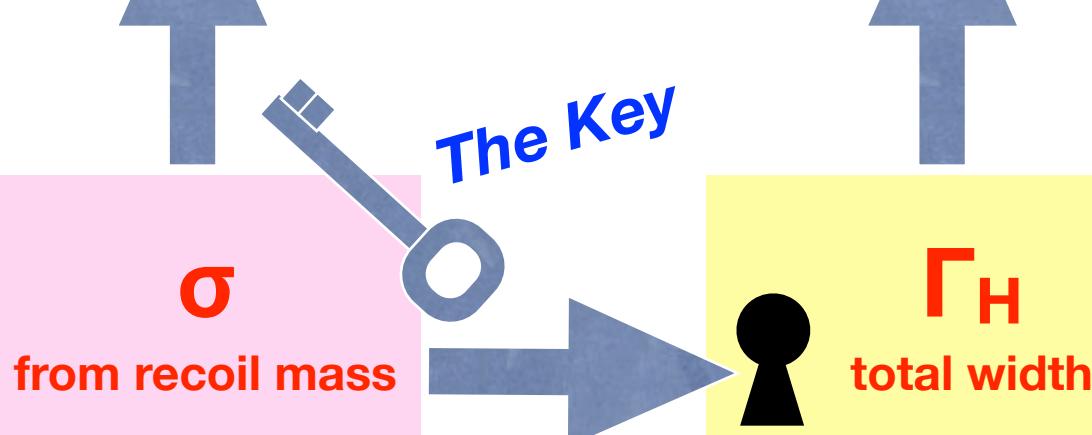
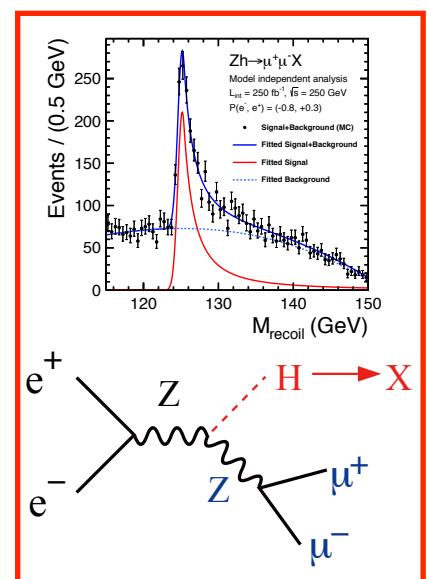
Key Point

At LHC all the measurements are $\sigma \times \text{BR}$ measurements.

At ILC all but the σ measurement using recoil mass technique is $\sigma \times \text{BR}$ measurements.



$$g_{HAA}^2 \propto \Gamma(H \rightarrow AA) = \Gamma_H \cdot BR(H \rightarrow AA)$$



EWSB Summary

- The primary goal for the next decades is to uncover the secret of the EW symmetry breaking. This will open up a window to BSM and set the energy scale for the E-frontier machine that will follow LHC and ILC.
- Probably LHC will hit systematic limits at $O(2\text{-}5\%)$ for most of $\sigma \times BR$ measurements, being not enough to see the BSM effects if we are in the decoupling regime.
Moreover, we need some model assumption to extract couplings from the LHC data.
- The recoil mass measurement at ILC unlocks the door to a fully model-independent analysis. To achieve the primary goal we hence need a 500 GeV LC for self-contained precision Higgs studies to complete the mass-coupling plot
 - starting from $e^+e^- \rightarrow ZH$ at $E_{cm} = 250\text{GeV}$,
 - then $t\bar{t}$ at around 350GeV ,
 - and then ZHH and $t\bar{t}H$ at 500GeV .
- The ILC to cover up to 500 GeV is an ideal machine to carry out this mission (regardless of BSM scenarios) and we can do this *completely model-independently* with staging starting from 250GeV . We may need more data depending on the size of the deviation. The ILC has a luminosity upgrade potential.
- If we are lucky, some extra Higgs boson or some other new particle might be within reach already at ILC 500. Let's hope that the upgraded LHC will make another great discovery in the next run.
- If not, we will most probably need the energy scale information from the precision Higgs studies. Guided by the energy scale information, we will go hunt direct BSM signals with a new machine, if necessary.

Last but Not Least

- So far, I have been focusing on the case where $X(125\text{GeV})$ alone would be the probe for BSM physics, but there is a good chance for the higher energy run of LHC to bring us more.
- It is also very important to stress that *ILC, too, is an energy frontier machine*. It will access the energy region never explored with any lepton collider. There can be a zoo of new uncolored particles or new phenomena that are difficult to find at LHC but can be discovered and studied in detail at ILC.
- For instance

Natural SUSY

- Naturalness prefers μ not far above 100GeV but colored sparticles can be heavy enough to escape LHC detection

$$\frac{m_Z^2}{2} = \frac{m_{H_d}^2 - m_{H_u}^2 \tan^2 \beta}{\tan^2 \beta - 1} - \mu^2$$

→ light chargino/neutralinos will be *higgsino-dominant* and *nearly mass degenerate*

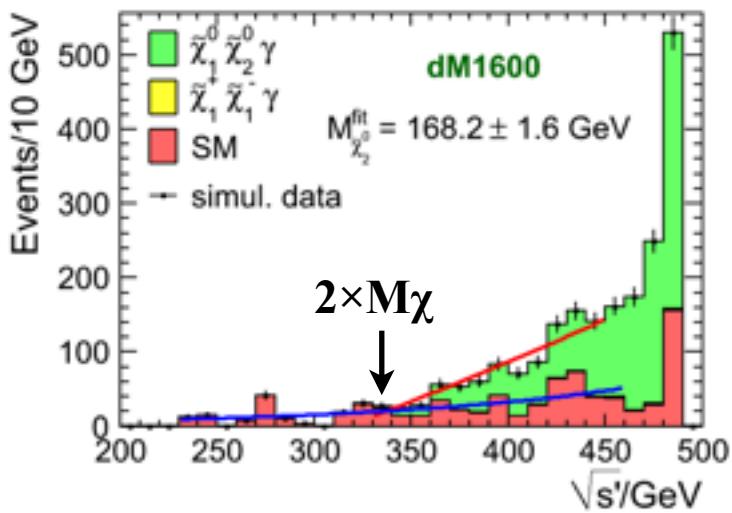
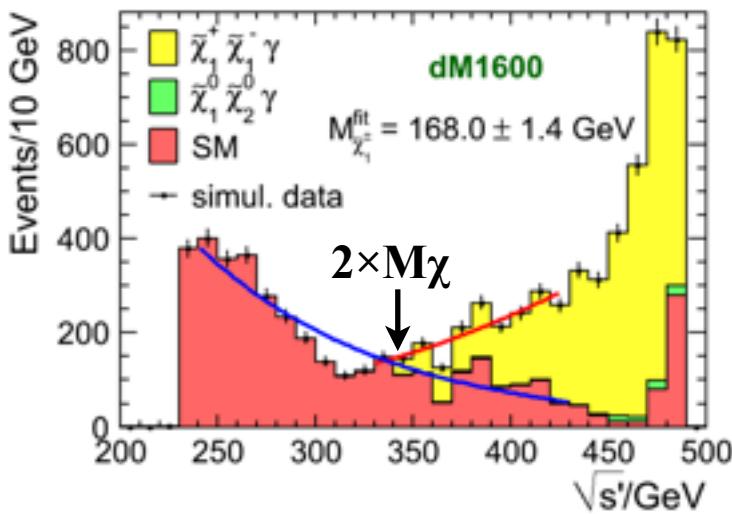
→ *typically Δm of 20 GeV or less* → *very difficult for LHC!*

Higgsinos in Natural SUSY ($\Delta M < \text{a few GeV}$)

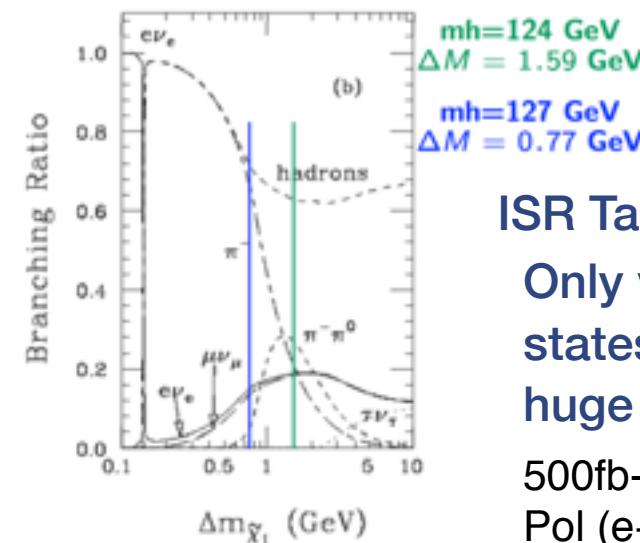
ILC as a Higgsino Factory

ISR Tagging

$$\begin{aligned} e^+e^- &\rightarrow \tilde{\chi}_1^+\tilde{\chi}_1^-\gamma \\ e^+e^- &\rightarrow \tilde{\chi}_2^0\tilde{\chi}_1^0\gamma \end{aligned}$$



Ref: C.-H. Chen et al. hep-ph:9512230



Hale Sert
 ECFA LCWS 2013, DESY
 EPJC (2013) 73:2660

ISR Tagging

Only very soft particles in the final states → Require a hard ISR to kill huge two-photon BG!

500fb-1 @ Ecm=500GeV
 Pol (e+,e-) = (+0.3,-0.8) and (-0.3,+0.8)

$$\delta(\sigma \times BR) \simeq 3\%$$

$$\delta M_{\tilde{\chi}_1^\pm}(M_{\tilde{\chi}_1^0}) \simeq 2.1(3.7) \text{ GeV}$$

$$\delta \Delta M(\tilde{\chi}_1^\pm, \tilde{\chi}_1^0) \simeq 70 \text{ MeV}$$

$$\delta(\sigma \times BR) \simeq 1.5\%$$

$$\delta M_{\tilde{\chi}_1^\pm}(M_{\tilde{\chi}_1^0}) \simeq 1.5(1.6) \text{ GeV}$$

$$\delta \Delta M(\tilde{\chi}_1^\pm, \tilde{\chi}_1^0) \simeq 20 \text{ MeV}$$

dm1600	
Particle	Mass (GeV)
h	124
$\tilde{\chi}_1^0$	164.17
$\tilde{\chi}_1^\pm$	165.77
$\tilde{\chi}_2^0$	166.87
H 's	$\sim 10^3$
$\tilde{\chi}$'s	$\sim 2 - 3 \times 10^3$

$\Delta M(\tilde{\chi}_1^\pm, \tilde{\chi}_1^0) = 1.59 \text{ GeV}$

dm770	
Particle	Mass (GeV)
h	127
$\tilde{\chi}_1^0$	166.59
$\tilde{\chi}_1^\pm$	167.36
$\tilde{\chi}_2^0$	167.63
H 's	$\sim 10^3$
$\tilde{\chi}$'s	$\sim 2 - 3 \times 10^3$

$\Delta M(\tilde{\chi}_1^\pm, \tilde{\chi}_1^0) = 0.77 \text{ GeV}$

Extracting M1 and M2

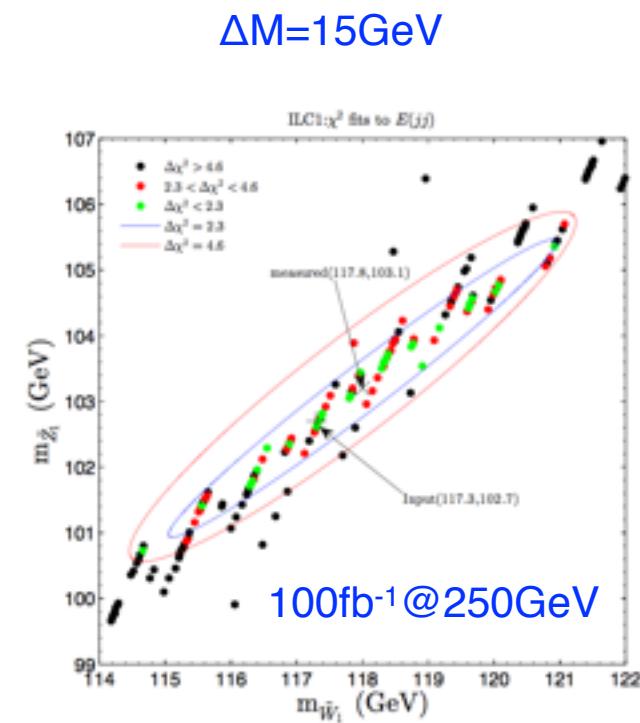
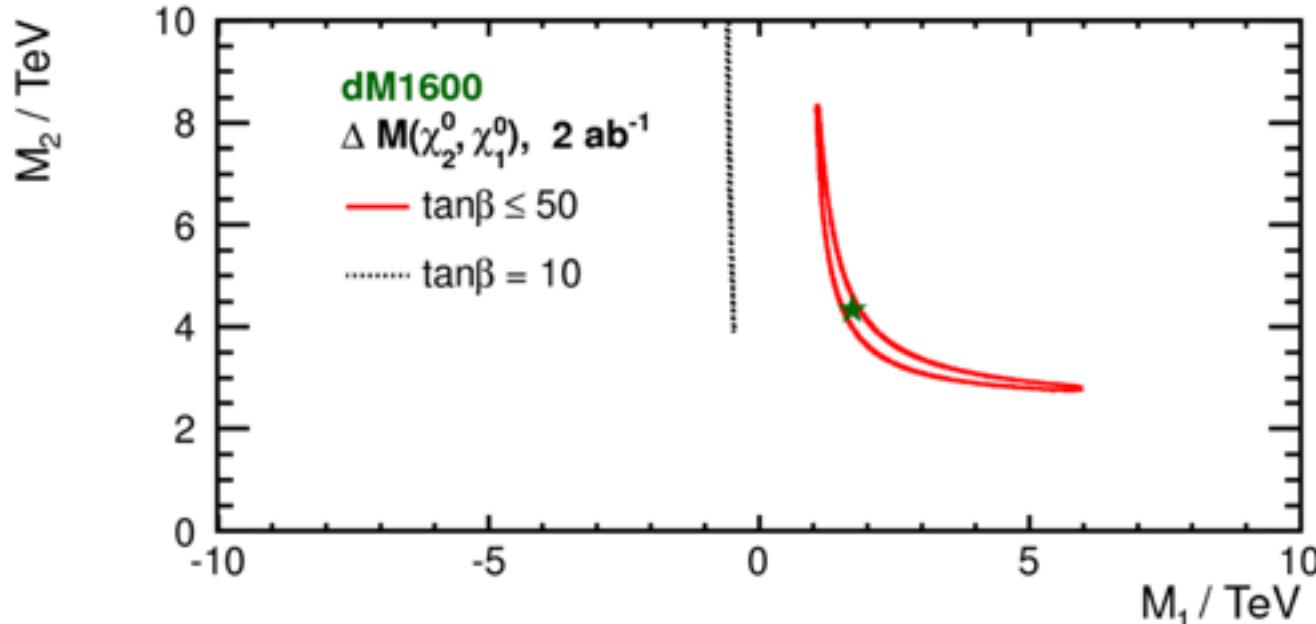
$$e^+ e^- \rightarrow \tilde{\chi}_1^+ \tilde{\chi}_1^- \gamma$$

$$e^+ e^- \rightarrow \tilde{\chi}_2^0 \tilde{\chi}_1^0 \gamma$$

Hale Sert
 ECFA LCWS 2013, DESY
 Berggren et al. EPJC (2013)
 73:2660

$$e^+ e^- \rightarrow \tilde{\chi}_1^+ \tilde{\chi}_1^-$$

RNS: Baer et al.
 arXiv: 1404.7510

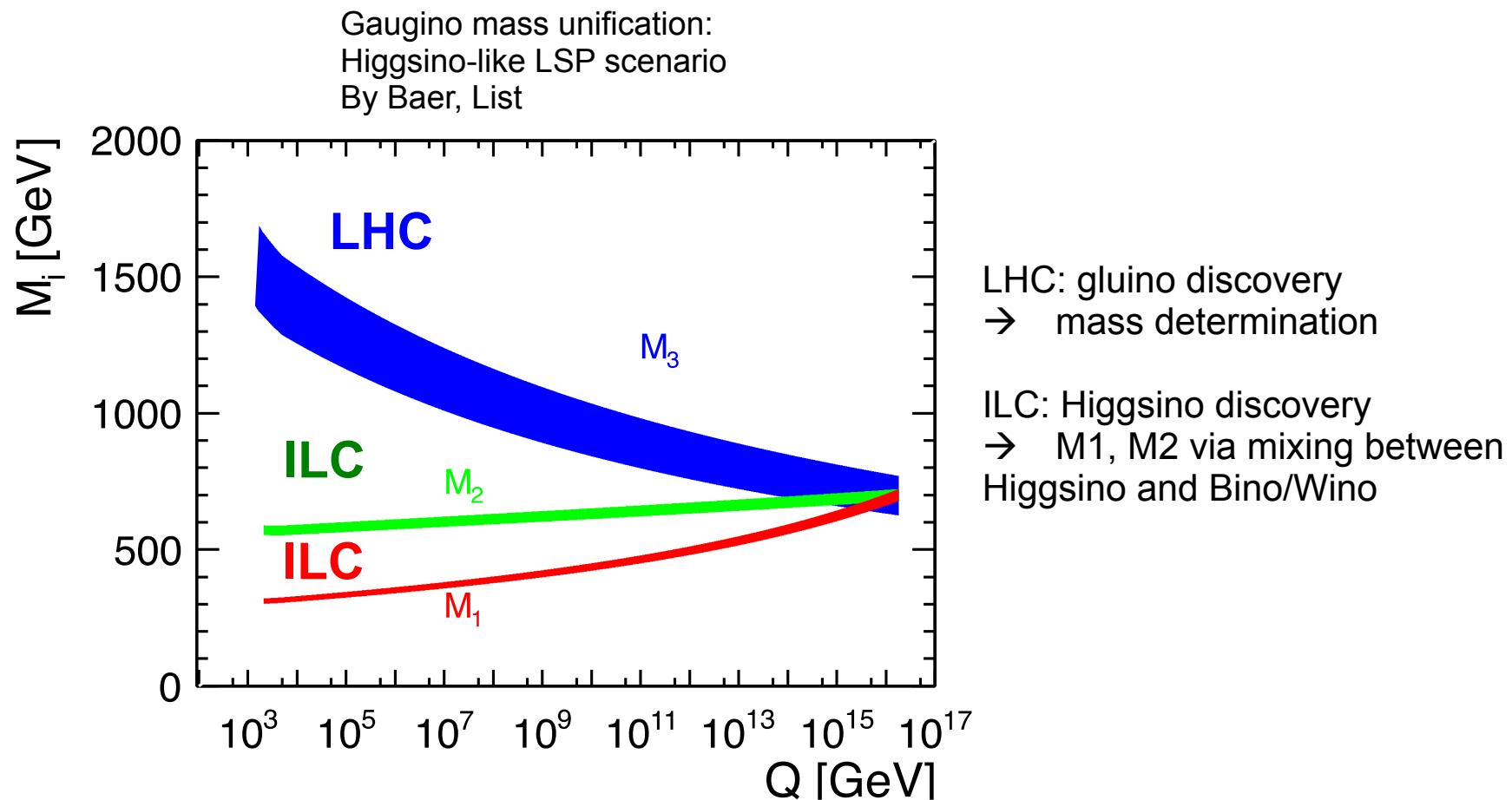


$@ 2 \text{ ab}^{-1}$	input	lower	upper
$M_1 [\text{TeV}]$	1.7	~ 1.0 (-0.4)	~ 6.0
$M_2 [\text{TeV}]$	4.4	~ 2.5 (3.5)	~ 8.5
$\mu [\text{GeV}]$	165.7	166.2	170.1

In the radiatively driven natural SUSY (RNS) scenario as in arXiv: 1404.7510, $\Delta M \sim 10 \text{ GeV}$, we can determine M1 and M2 to a few % or better, allowing us to test GUT relation!

Gaugino mass relation

- Chargino/Neutralino @ ILC \rightarrow probe M_1 - M_2 gaugino mass relation
- Gluino @ LHC \rightarrow test of gaugino mass relation by ILC-LHC complementarity
- Gives a prediction of the gluino mass scale
- Discrimination of SUSY spontaneous symmetry breaking scenarios

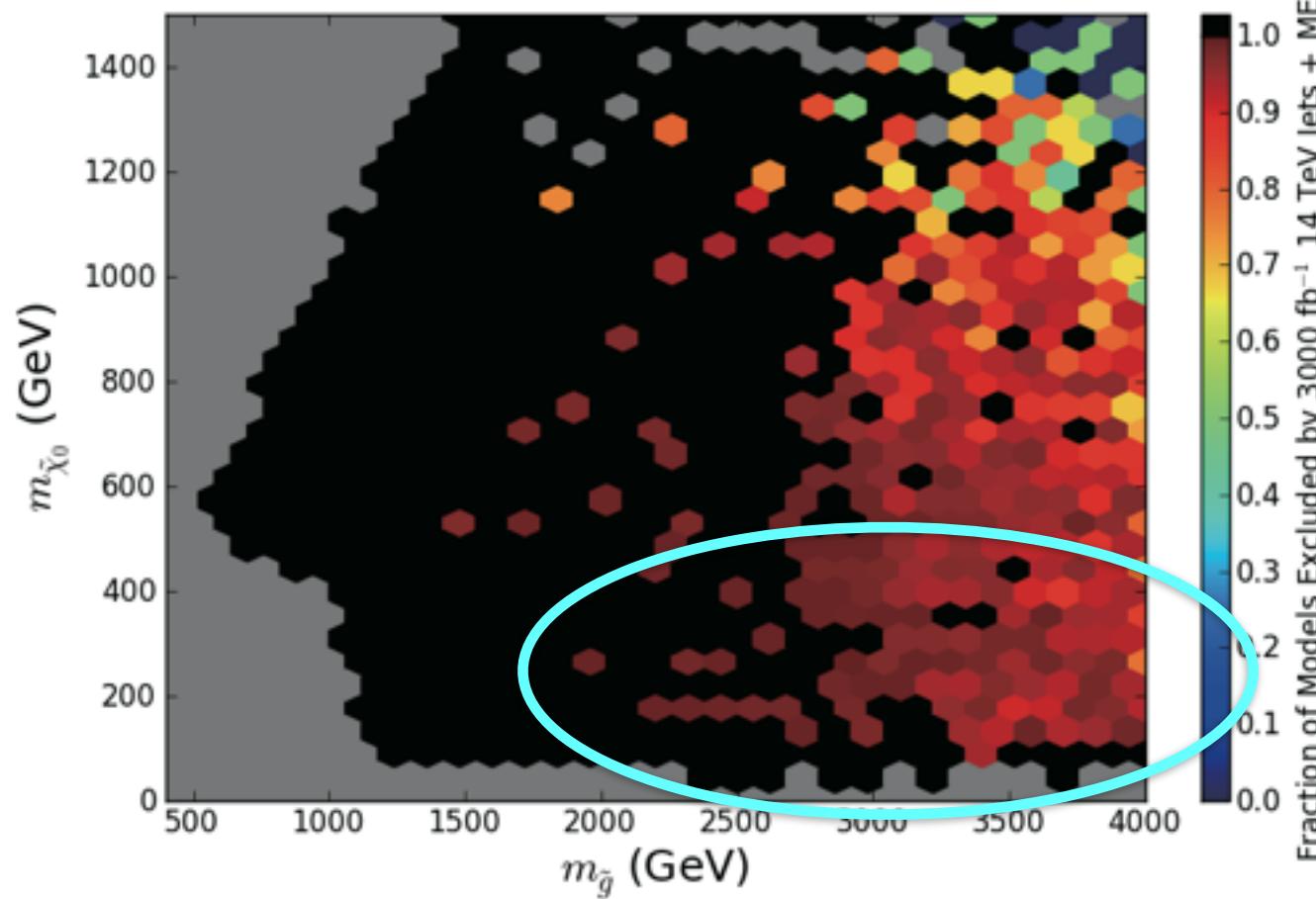


Dark Matter Search

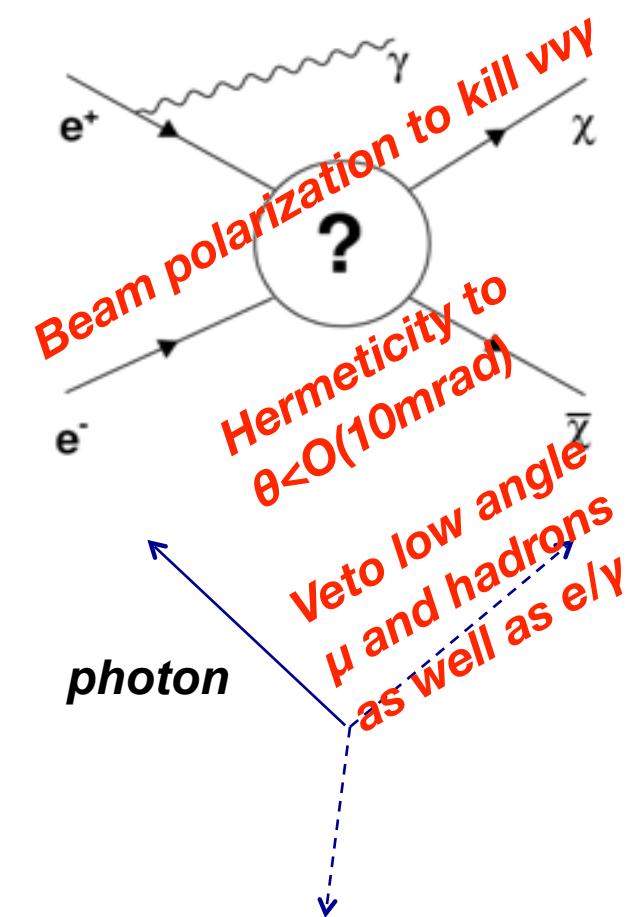
LHC 14 TeV, 3000 fb⁻¹, Jets+MET analysis only
pMSSM Neutralino DM expected exclusion

may use mono-jet

Cahill-Rowley, Hewett, Ismail, Rizzo [arXiv:1307.8444]



LC:
single photon search



Loopholes of HL-LHC → Hunting ground of ILC

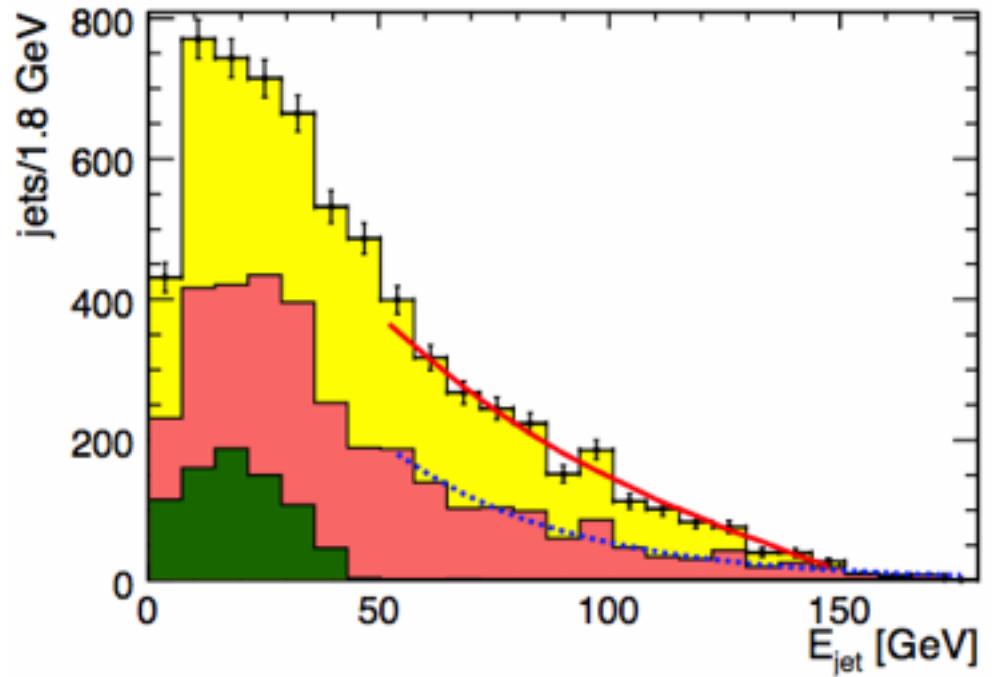
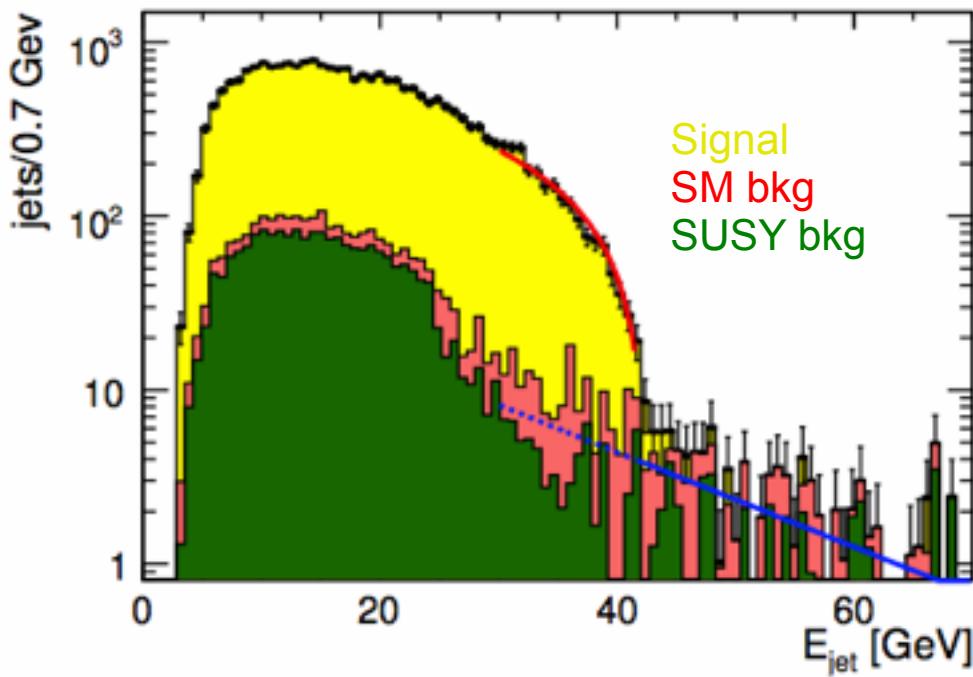
Slepton decays to DM with small mass differences

Study of stau pair production at the ILC

Observation of lighter and heavier stau states with decay to DM + hadronic tau

Benchmark point: $m(\text{LSP}) = 98 \text{ GeV}$, $m(\text{stau1}) = 108 \text{ GeV}$, $m(\text{stau2}) = 195 \text{ GeV}$

Bechtle, Berggren, List, Schade, Stempel, arXiv:0908.0876, PRD82, 055016 (2010)



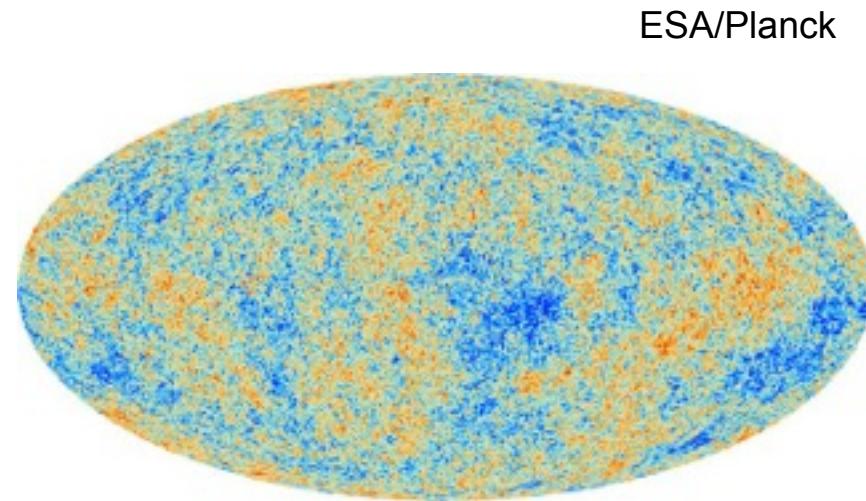
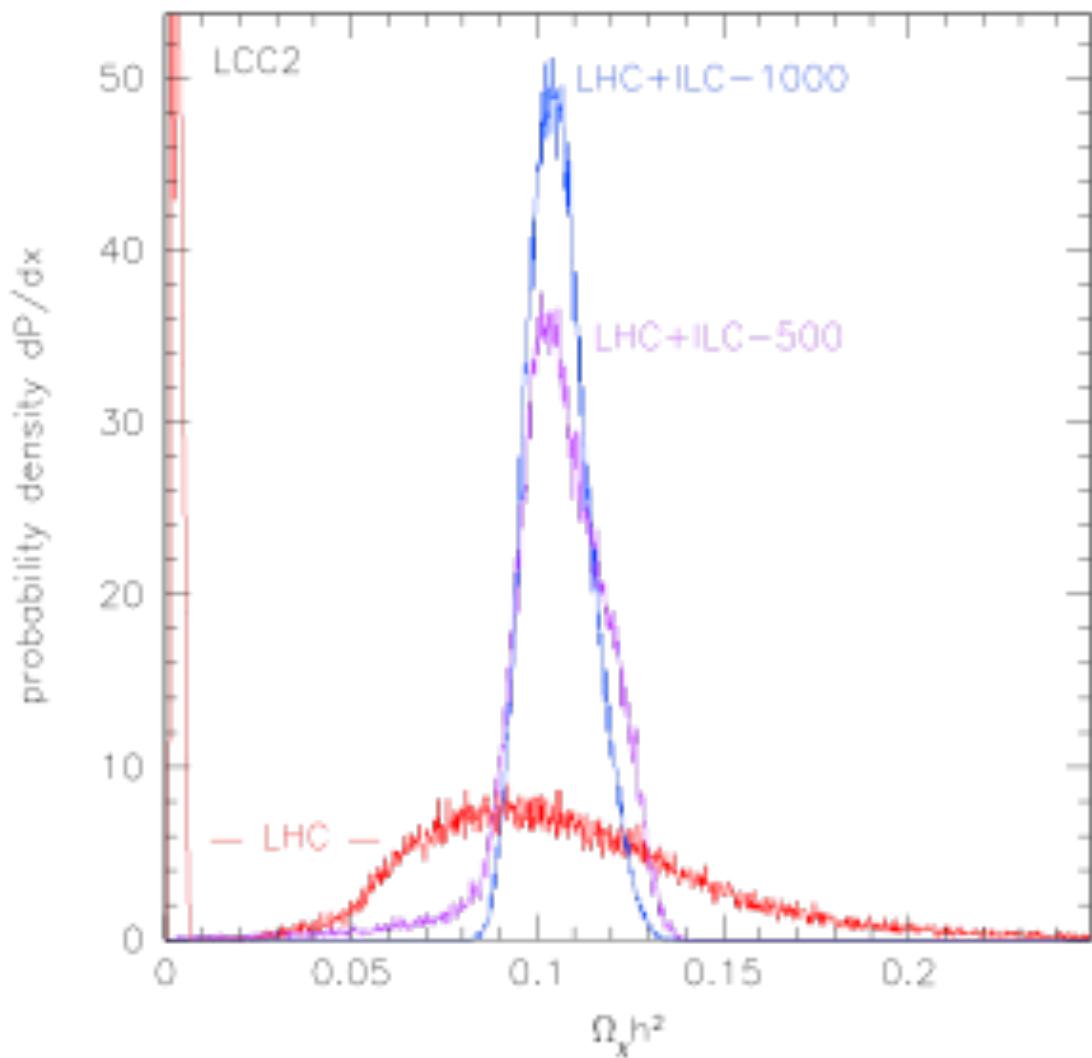
Stau1 mass resolution ~0.1%
Stau2 mass resolution ~3%
LSP mass resolution ~1.7%



DM Relic Abundance

WMAP/Planck

$$\Omega_\chi h^2 = 0.1199 \pm 0.0027$$



Once a DM candidate is discovered,
crucial to test consistency with the
measured DM relic abundance.

→ ILC precise measurements of
mass and cross sections

Top

Open Top Production

Anomalous Couplings in Open Top Production at 500 GeV

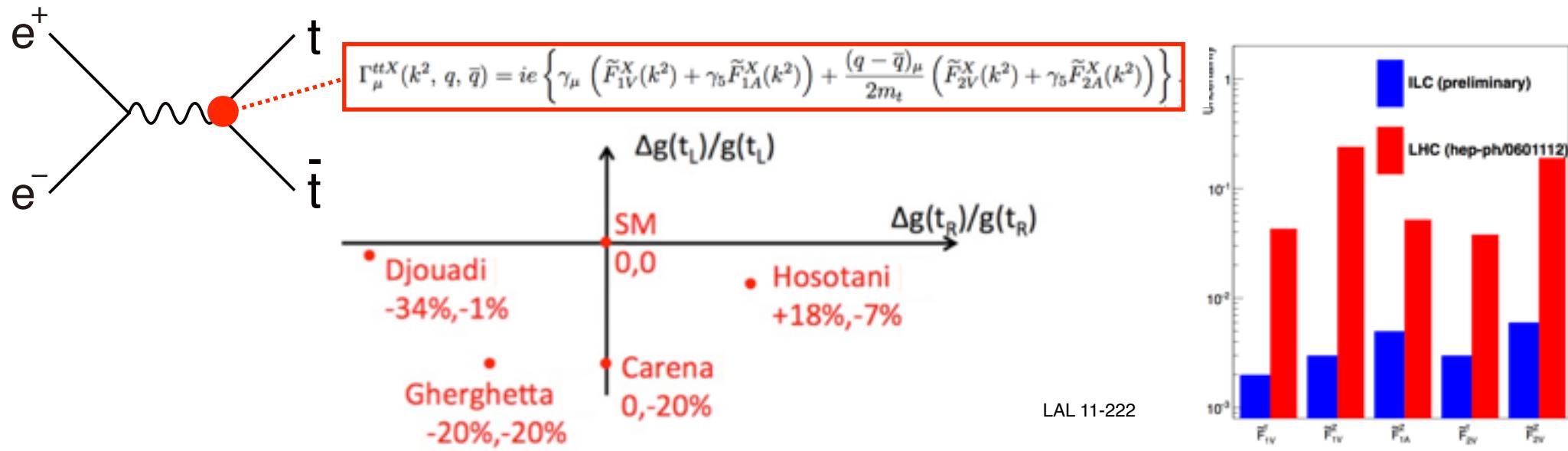


Figure 34: Predictions of various groups [40,42–44] on deviations from Standard Model couplings of the t quark within Randall-Sundrum Models. The cartoon is taken from [47].

Coupling	LHC [40] $\mathcal{L} = 300 \text{ fb}^{-1}$	e^+e^- [52] $P_{e^-} = \pm 0.8$	e^+e^- [45] $\mathcal{L} = 500 \text{ fb}^{-1}, P_{e^-+} = \pm 0.8, \mp 0.3$
$\Delta \tilde{F}_{1V}^{\gamma}$	+0.043 -0.041	+0.047 -0.047, $\mathcal{L} = 200 \text{ fb}^{-1}$	+0.002 -0.002
$\Delta \tilde{F}_{1V}^Z$	+0.24 -0.62	+0.012 -0.012, $\mathcal{L} = 200 \text{ fb}^{-1}$	+0.002 -0.002
$\Delta \tilde{F}_{1A}^Z$	+0.052 -0.060	+0.013 -0.013, $\mathcal{L} = 100 \text{ fb}^{-1}$	+0.006 -0.006
$\Delta \tilde{F}_{2V}^{\gamma}$	+0.038 -0.035	+0.038 -0.038, $\mathcal{L} = 200 \text{ fb}^{-1}$	+0.001 -0.001
$\Delta \tilde{F}_{2V}^Z$	+0.27 -0.19	+0.009 -0.009, $\mathcal{L} = 200 \text{ fb}^{-1}$	+0.002 -0.002

Table 3: Sensitivities achievable at 68.3% CL for the CP-conserving t quark form factors $\tilde{F}_{1V,A}^X$ and \tilde{F}_{2V}^X defined in (1), at LHC and at the ILC. The assumed luminosity samples and, for ILC, beam polarization, are indicated. In the LHC studies and in the study [52], only one form factor at a time is allowed to deviate from its SM value. In study [45] the form factors are allowed to vary independently.

Coupling	LHC [40] $\mathcal{L} = 300 \text{ fb}^{-1}$	e^+e^- [51] $\mathcal{L} = 300 \text{ fb}^{-1}, P_{e^-+} = -0.8$
$\Delta \text{Re } \tilde{F}_{2A}^{\gamma}$	+0.17 -0.17	+0.007 -0.007
$\Delta \text{Re } \tilde{F}_{2A}^Z$	+0.35 -0.35	+0.008 -0.008
$\Delta \text{Im } \tilde{F}_{2A}^{\gamma}$	+0.17 -0.17	+0.008 -0.008
$\Delta \text{Im } \tilde{F}_{2A}^Z$	+0.035 -0.035	+0.015 -0.015

Table 4: Sensitivities achievable at 68.3% CL for the t quark CP-violating magnetic and electric dipole form factors \tilde{F}_{2A}^X defined in (1), at the LHC and at linear e^+e^- colliders as published in the TESLA TDR. The assumed luminosity samples and, for TESLA, the beam polarization, are indicated. In the LHC studies and in the TESLA studies, only one form factor at a time is allowed to deviate from its SM value.

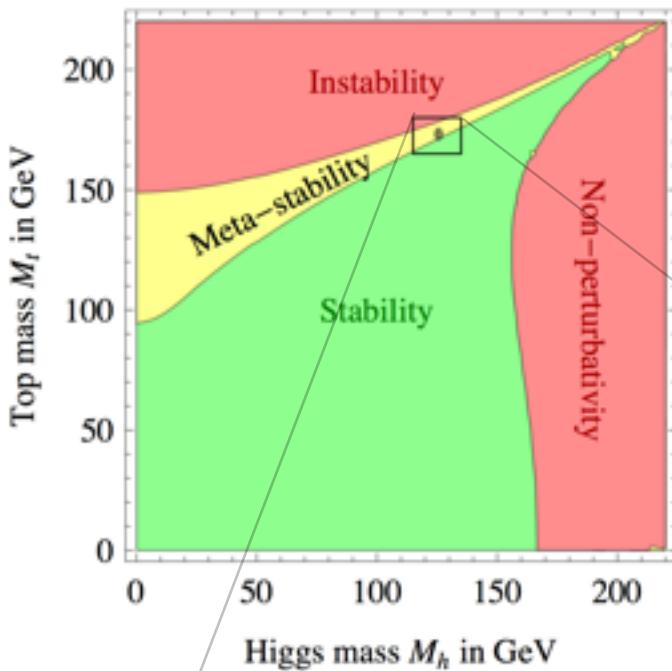
SM up to Λ_{Planck} ?

What if the Higgs properties would turn out to be just like those of the SM Higgs boson to the ILC precision and that no BSM signal found?

We would need to question then the range of validity of the SM.

How far can the SM go?

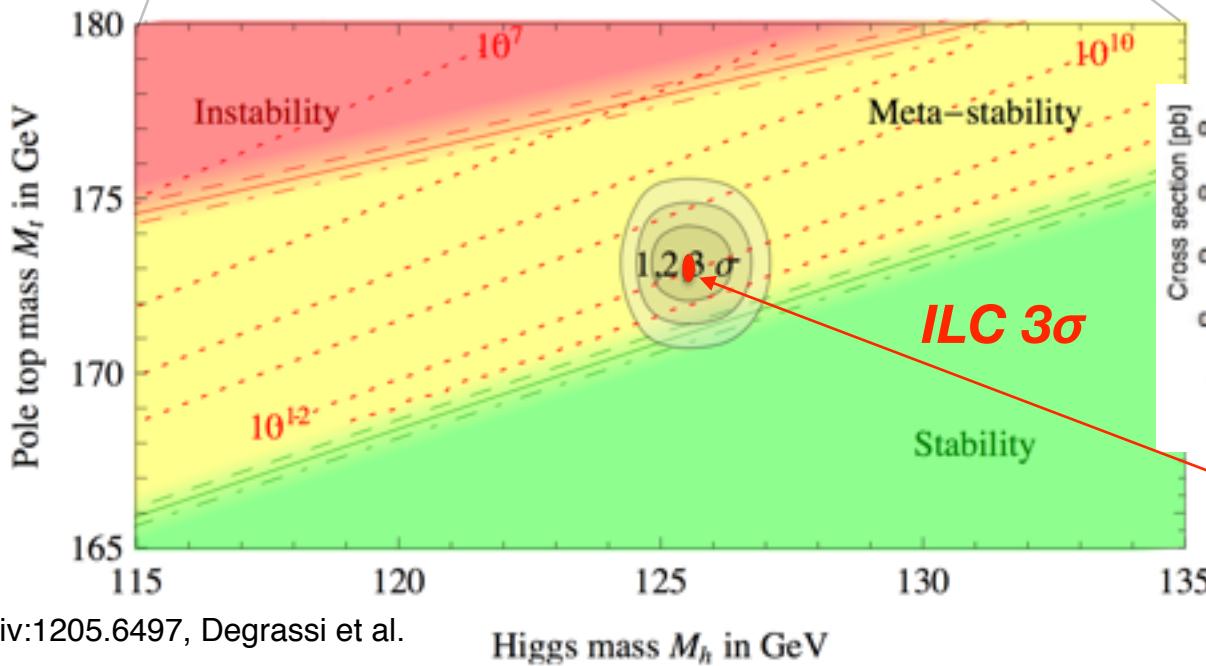
Stability of SM Vacuum



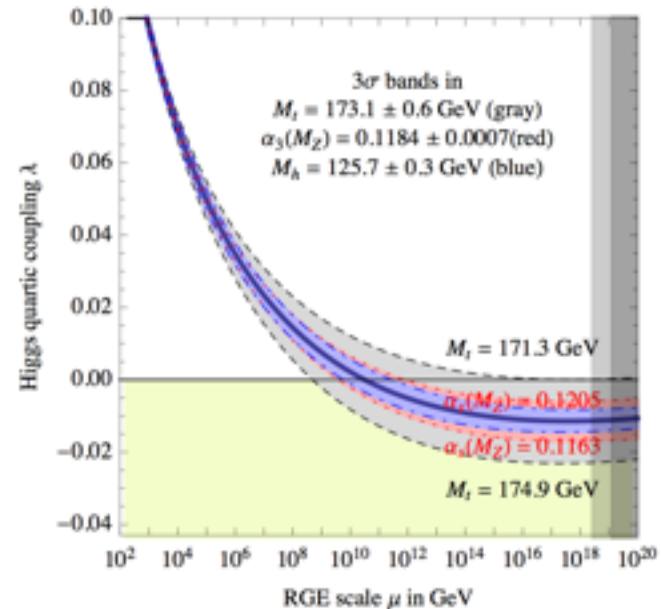
With the 126GeV
Higgs boson, the SM
vacuum seems to be
at a subtle point of
meta-stability!

Does λ really become
negative below Λ_{PI} ?
or $\lambda(\Lambda_{\text{PI}}) = 0$?

To answer this we need a precision m_t measurement!

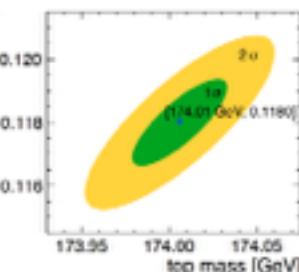
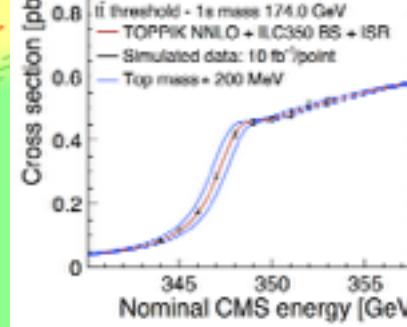


arXiv:1205.6497, Degrassi et al.



Top Pair Threshold

Theoretically very clean
measurement of m_t



$$\Delta m_t(\overline{MS}) \simeq 100 \text{ MeV}$$

$$\Delta m_H = 30 \text{ MeV}$$

ILC pins down the location !

Conclusions

Whatever new physics is awaiting for us, clean environment, polarized beams, and excellent detectors to reconstruct W/Z/t/H in their hadronic decays will enable us to uncover the nature of the new physics through model-independent precision measurements and open up the way to high scale physics!

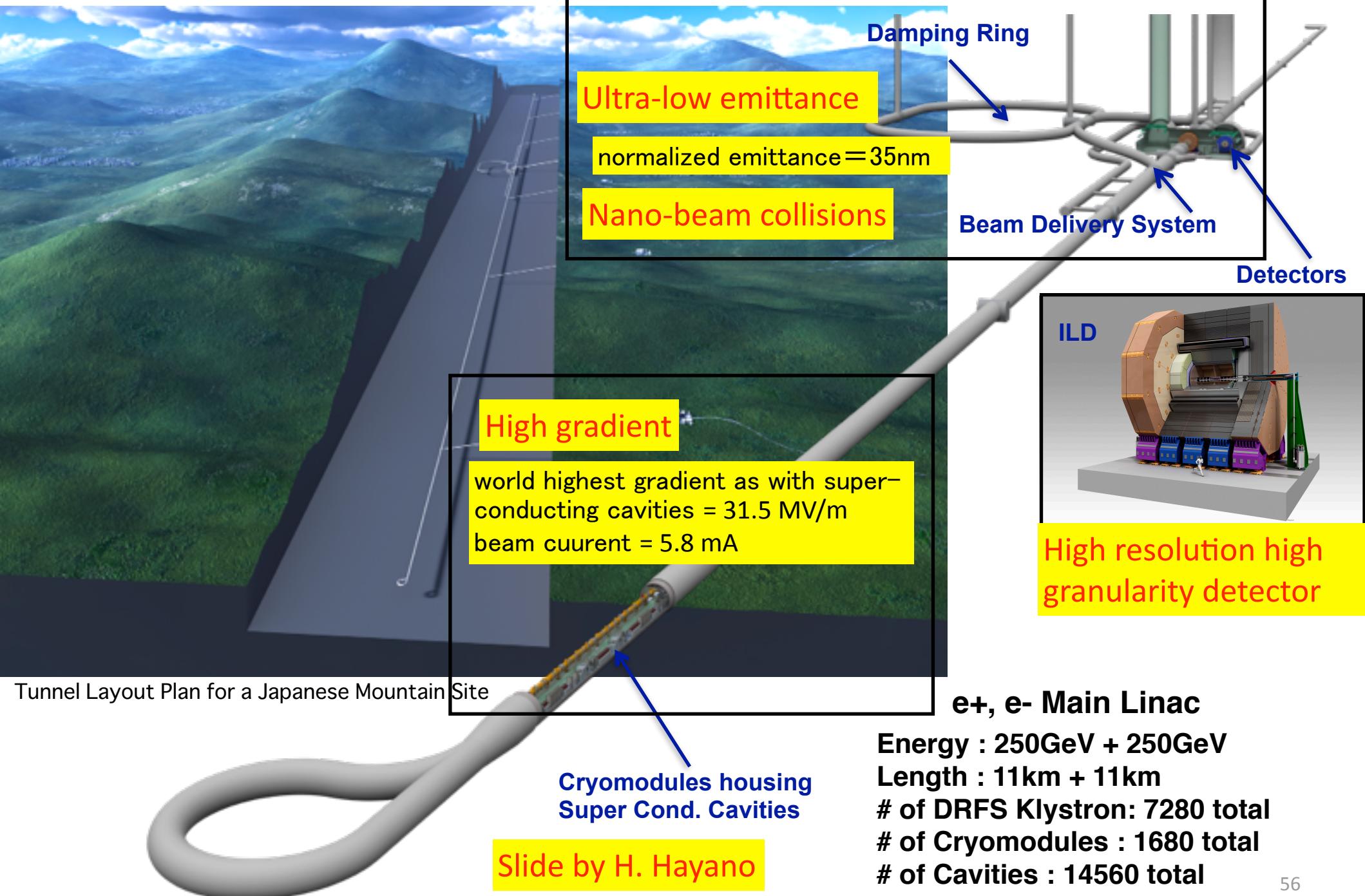
ILC Situation

- ILC TDR completed = Technology is ready
- A preferred candidate site in Japan chosen and site specific design started.
- ILC is now a project officially recognized by the Japanese government, a TF has been formed in MEXT (funding agency), and an official review process in MEXT is about to start.
- However, **ILC is NOT a Japanese project, BUT an INTERNATIONAL project!**
- The Japanese government has just started contacting potential partners in the world.
- **International support at all levels, including the grass root level, is absolutely necessary to make ILC happen!** We need to convince the government that the world

Backup

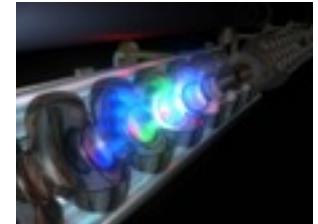
Design to Reality

Bird's Eye View of the ILC Accelerator



ILC Accelerator

Advantage of Superconducting RF



❖ Ultra-high ($Q_0 = 10^{10}$):

- small surface resistance → almost zero power (heat) in cavity walls
- use relatively low-power microwave source to 'charge up' cavity

❖ Long beam pulses (~1 ms) → intra-pulse feedback

❖ Larger aperture / smaller beam loss → better beam quality w/ larger aperture lower wake-fields

❖ Work necessary on engineering for: - Cryomodule (thermal insulation) - Cryogenics - Gradient to be further improved

Luminosity:

$$L \propto \frac{n P_{RF}}{E_{CM}} \sqrt{\frac{\delta_{BS}}{\epsilon_y}}$$

RF efficiency

RF power / beam current

Vertical emittance (tiny beams)

- ❖ Luminosity proportional to RF efficiency ILC
 - ❖ for given total power (electricity bill !),
 - ❖ ~160MW @ 500GeV
- ❖ Capable of efficiently accelerating high beam currents
- ❖ Low impedance aids preservation of high beam quality (low emittance)
- Ideal for Linear Collider

ILC Accelerator R&D at KEK

Achieved >90% yield for ILC spec cavities



ILC super conducting RF cavity R&D

ATF2: International effort hosted by KEK from teams from UK, France, US, Korea, China, Japan; beam spot size: **goal=37nm** (corresponding to 6nm of ILC), **44nm achieved!**



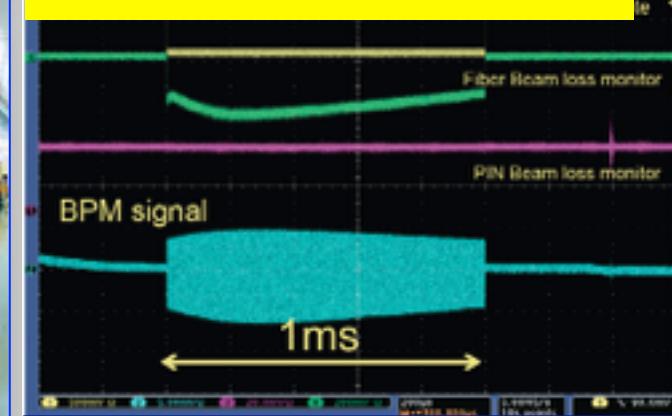
ILC final focus test beam line

ILC cryo-module R&D



S1–Global: international collaboration for cryo-module assembly, connection and high power test by Germany, US, UK, Italy, Japan, hosted by KEK

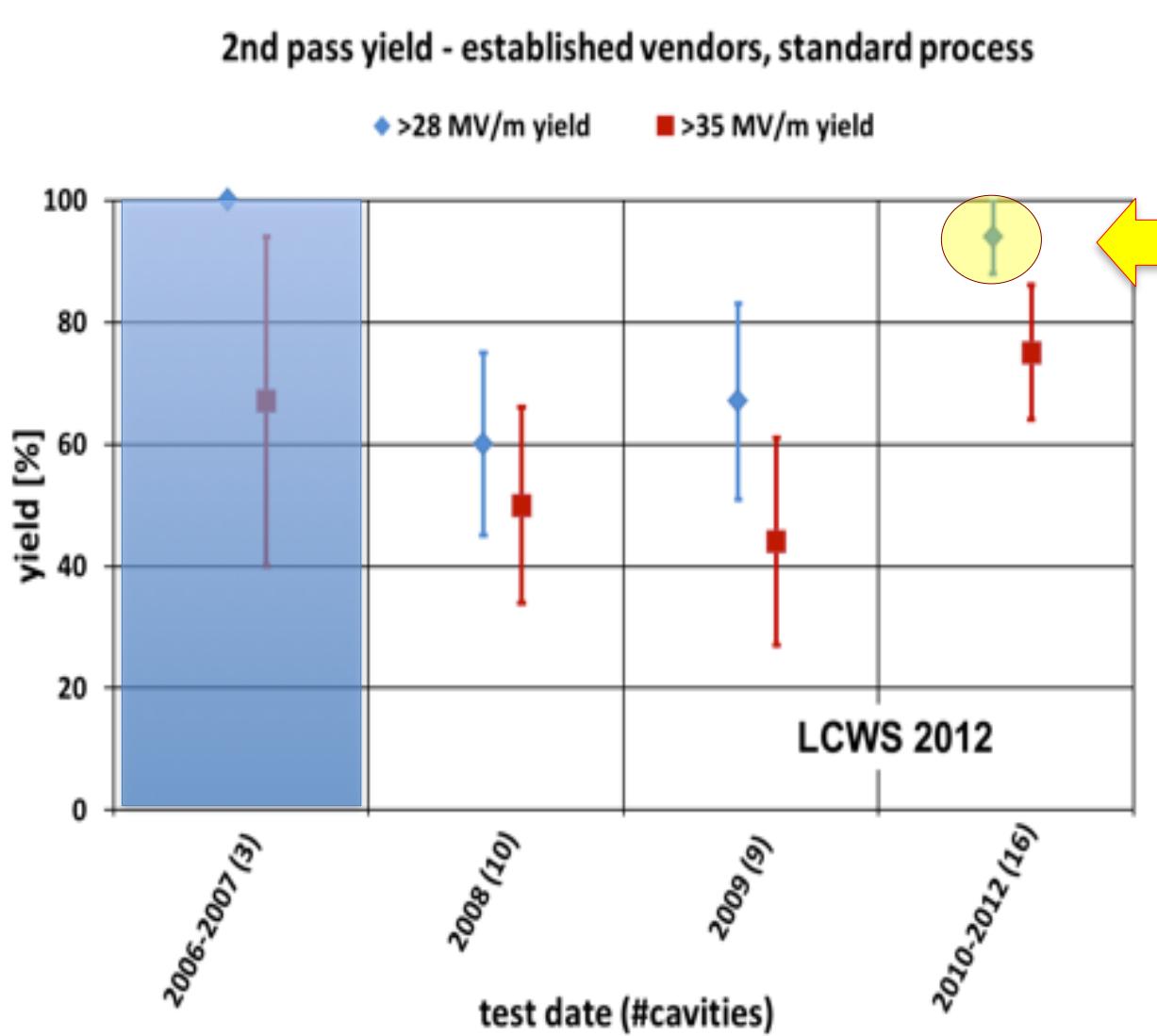
ILC beam acceleration test



Achieved stable operation with the same duration (1 ms) and current (6.6 mA) as ILC

High gradient acceleration with super-conducting RF cavities

Progress in SCRF Cavity Gradient



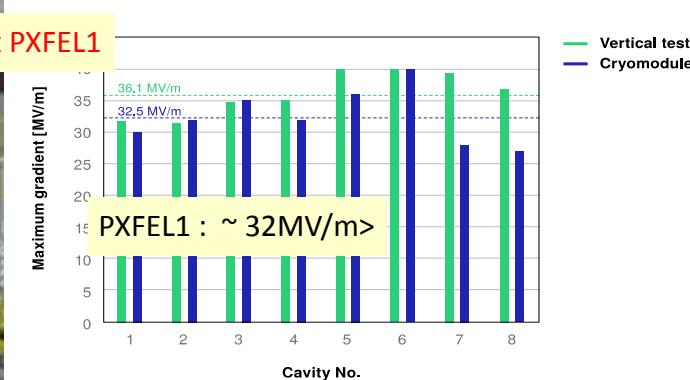
Production yield:
94 % at $> 35 \pm 20\%$

Average gradient:
37.1 MV/m
reached (2012)

Cryomodule System Test

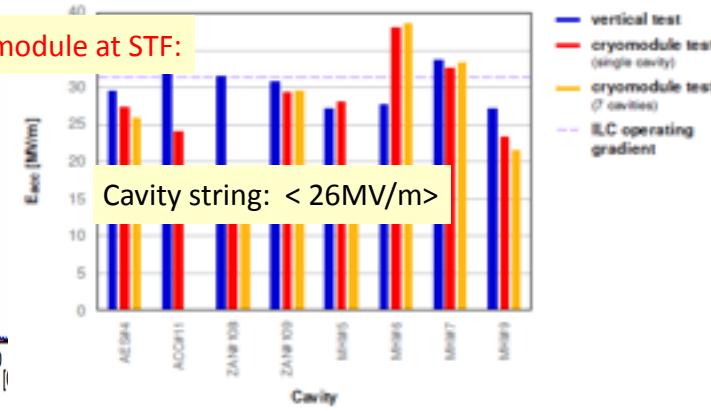
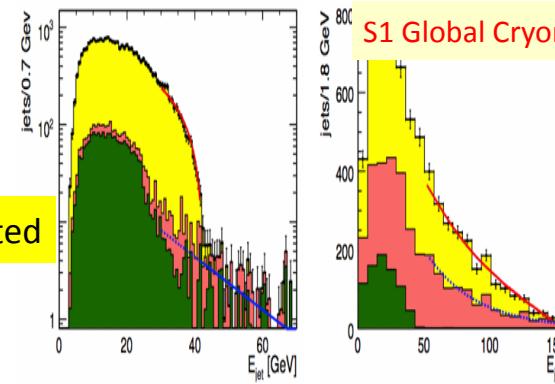
DESY: FLASH

- ❖ 1.25 GeV linac (TESLA-Like tech.)
- ❖ ILC-like bunch trains:
- ❖ 600 ms, **9 mA** beam (2009); ← Demonstrated
- ❖ 800 ms 4.5 mA (2012)
- ❖ RF-cryomodule string with beam → PXFEL1 operational at FLASH



KEK: STF/STF2

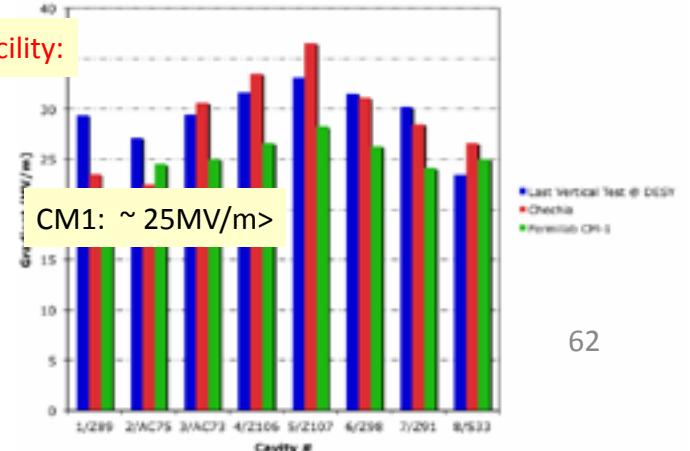
- ❖ S1-Global: completed (2010)
- ❖ Quantum Beam Accelerator (Inverse Laser Compton): 6.7 mA, **1 ms**
- ❖ CM1 test with beam (2014 ~2015) ← Demonstrated
- ❖ STF-COI: Facility to demonstrate CM assembly/test in near future



FNAL: ASTA

(Advanced Superconducting Test Accelerator)

- ❖ CM1 test complete
- ❖ CM2 operation (2013)
- ❖ CM2 with beam (soon)

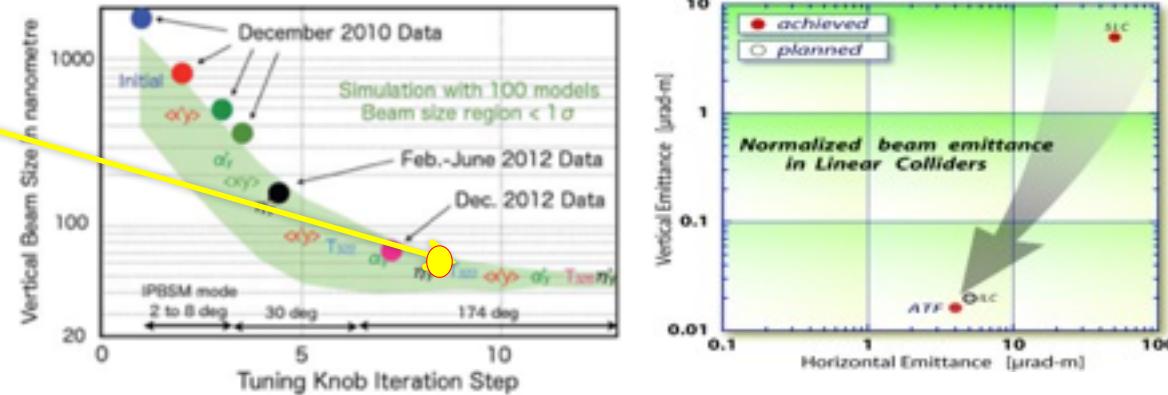
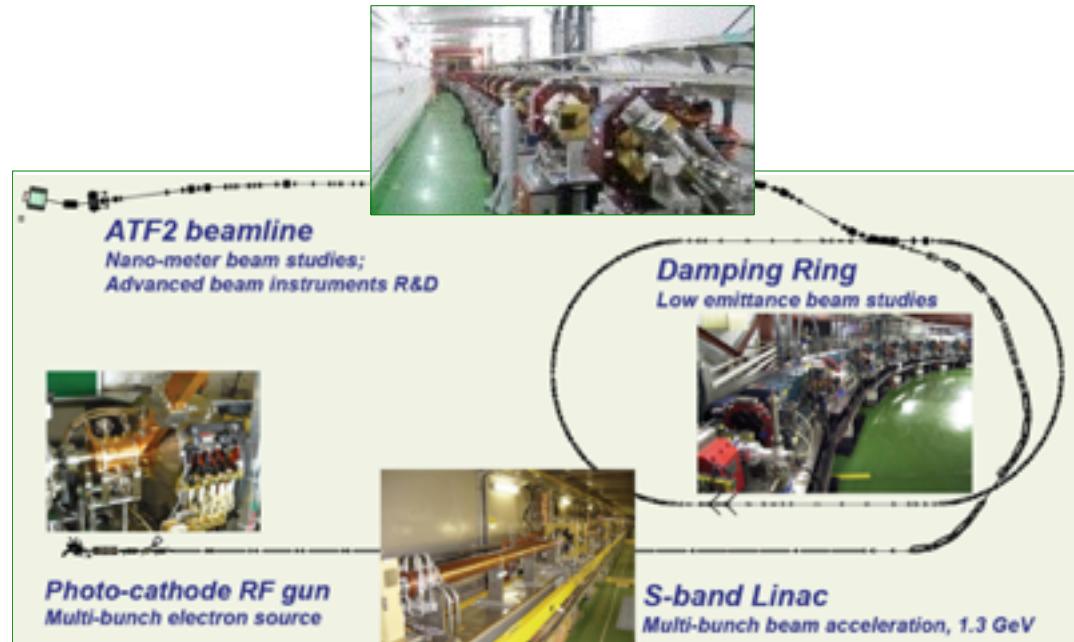


Nano-beam generation / control

ATF2 Progress by 2013

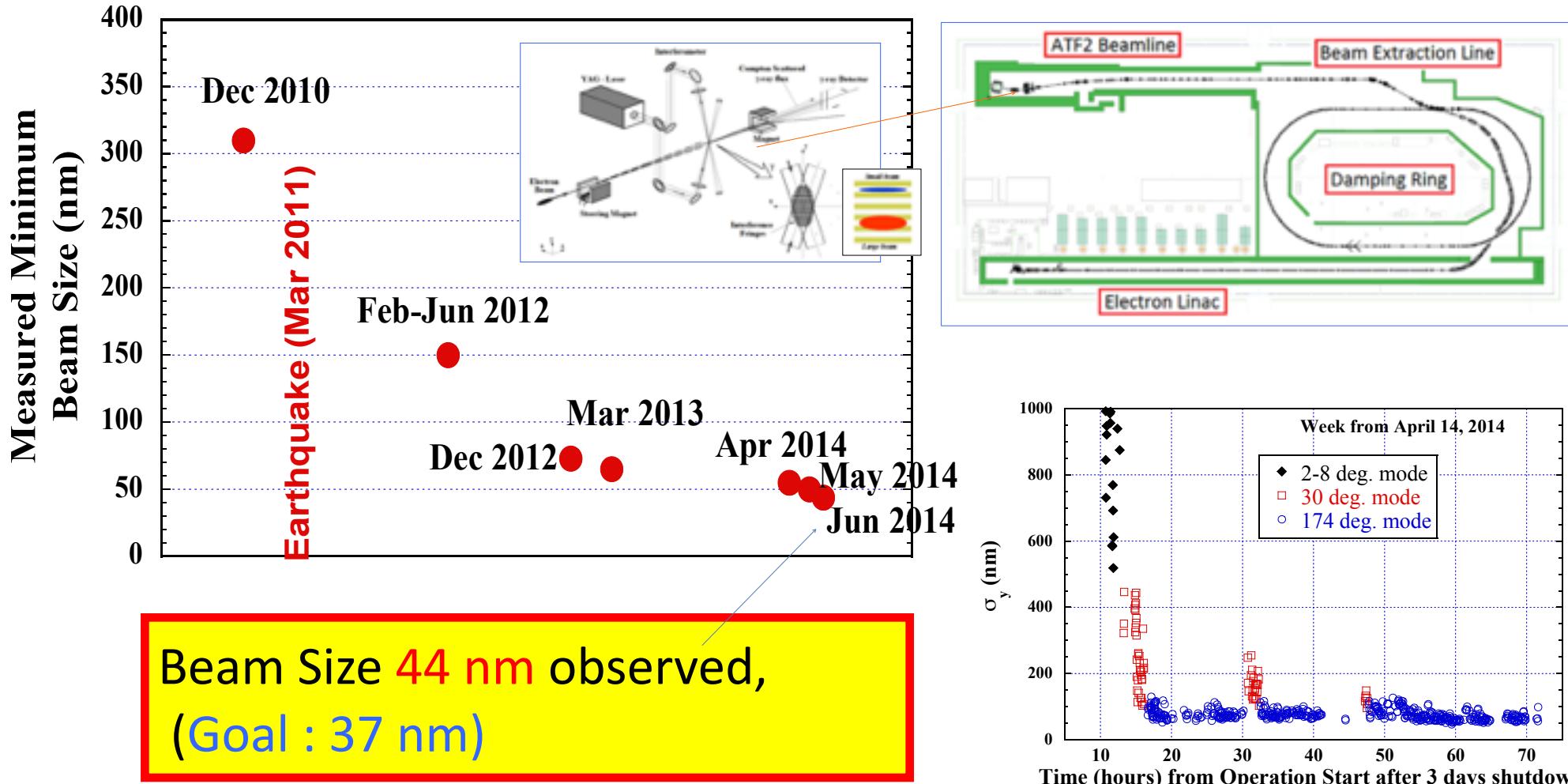
Ultra-small beam

- Low emittance : KEK-ATF
 - 4 pm achieved
 - (ILC target value, in 2004).
- Small vertical beam size : KEK ATF2
 - Goal = 37 nm,
 - 160 nm (spring, 2012)
 - 65 nm (April, 2013) at low beam current



Progress in measured min. beam size at ATF2

Progress in 2014 (We are almost there!)



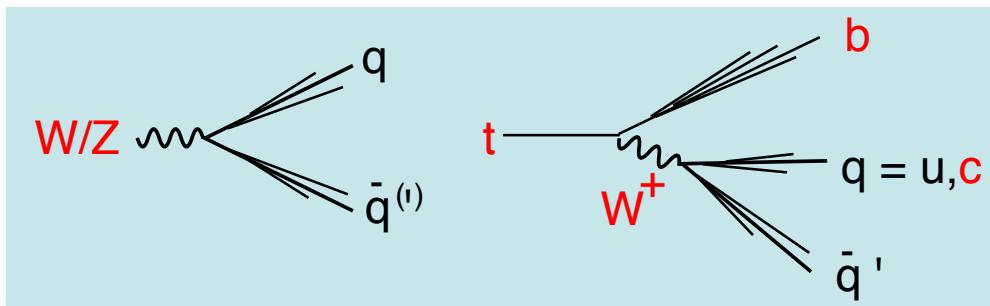
Reproducible in short time!

ILC Detector

ILC Experiments

View events as viewing Feynman diagrams

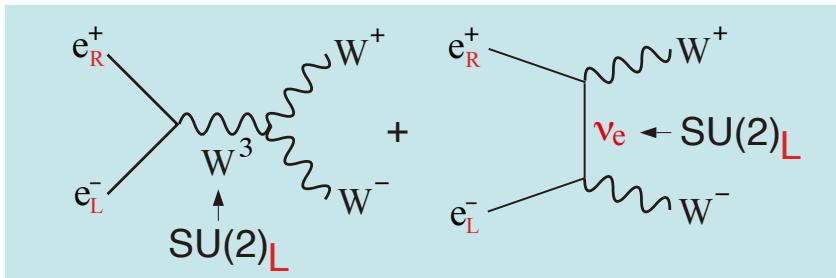
Reconstruct events in terms of (q, l, gb, hb)



Jet invariant mass \rightarrow W/Z/t/h ID $\rightarrow p^\mu$
 \rightarrow angular analysis $\rightarrow s^\mu$

Missing momentum \rightarrow neutrinos

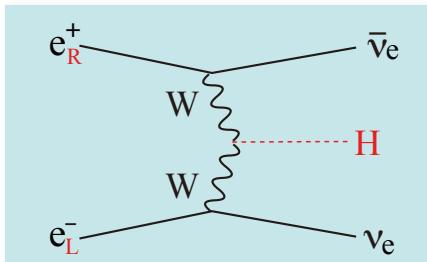
Select Feynman diagrams with polarized beams



To these processes, only left-handed electrons and right-handed positrons contribute !

If you have a wrong combination, cross section is zero.

Beam polarization plays an essential role !

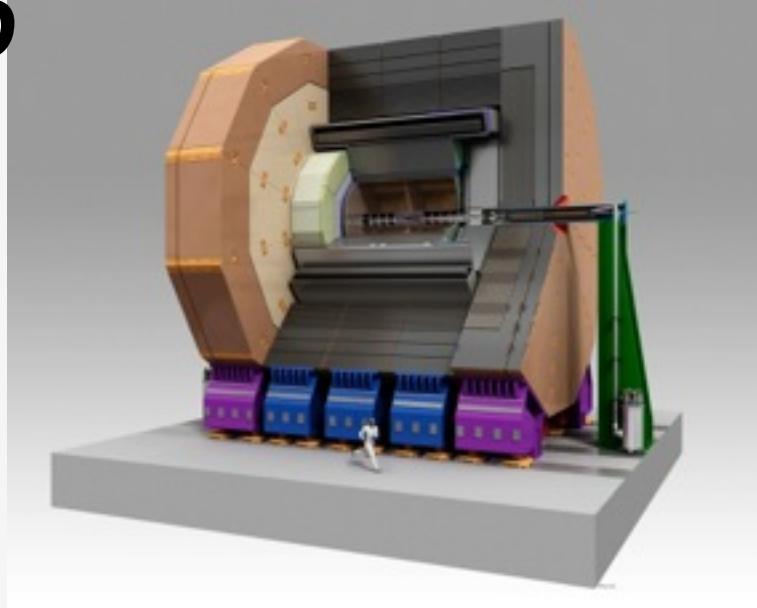


	ILC	CLIC	TLEP
Pol (e _R)	-0.8	-0.8	0
Pol (e _L)	+0.3	0	0
(σ/σ)	1.8x1.3=2.34	1.8x1.0=1.8	1

Beam polarization acts as luminosity doubler !

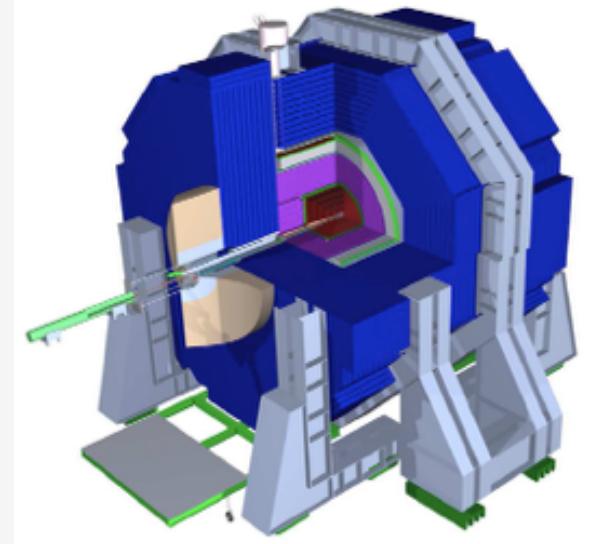
Detailed Baseline Design Document

ILD



- Large R with TPC tracker
- 32 countries, 151 institutions, ~700 members
- Most members from Asia and Europe
- $B=3.5T$, TPC + Si trackers
- ECal: $R=1.8m$

SiD

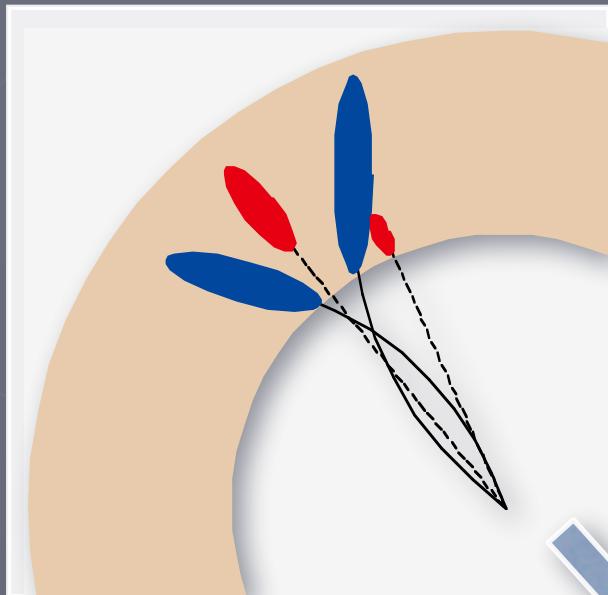


- High B with Si strip tracker
- 18 countries, 77 institutions, ~240 members
- Mostly American
- $B=5T$, Si only tracker
- ECal: $R=1.27m$

Both detector concepts are optimized for Particle Flow Analysis

Particle Flow Analysis

How to measure jet energies precisely?



PFA

Remove charged particle signals in calorimeters

Needs 1-to-1 matching of tracks and calorimeter clusters

Needs ultra-high granularity calorimeter

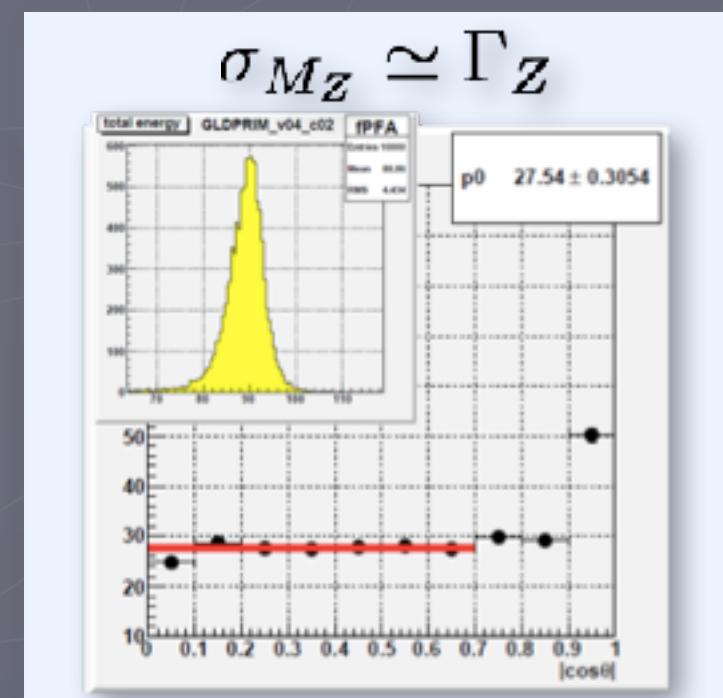
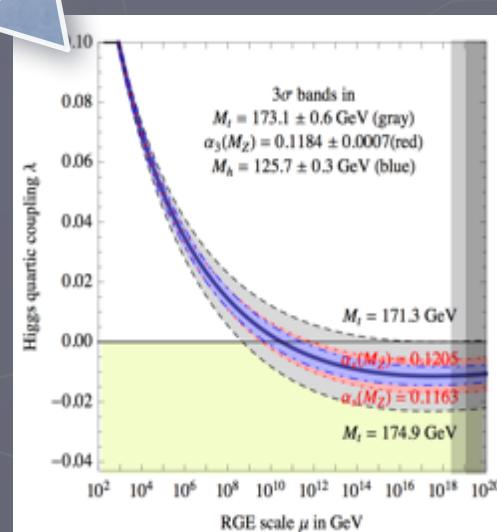
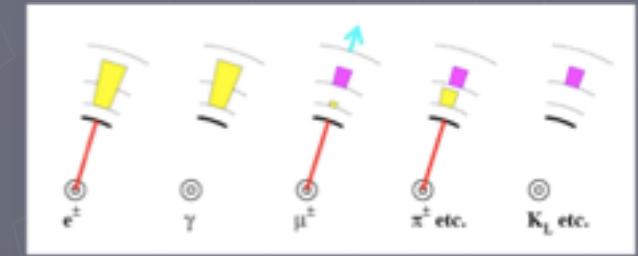
Charged Particles

Tracker's resolution is much better than that from calorimetry

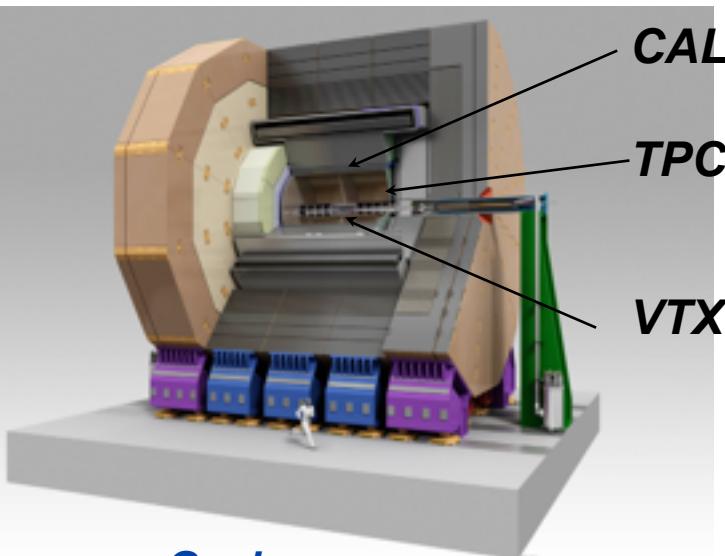
Use tracking devices

Neutral Particles

Use calorimetry



Detector R&D : ILD Component R&D



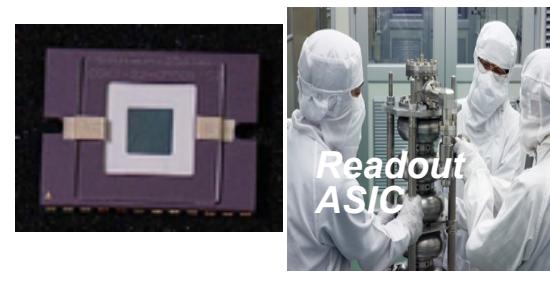
**Performance Goal
as compared to LHC detectors**

Vertex resolution	2-7 times better
Momentum resolution	10 times better
Jet energy resolution	2 times better

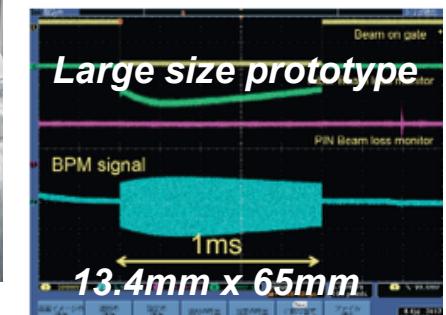
The key is ultra high granularity!

Detector	ILC	ATLAS	Granularity
Vertex Det.	5×5µm	400×50µm	x 800
Tracker	1×6mm	13mm	x 2.2
EM Calorimeter	Silicon: 5×5mm Scintillator : 5×45mm	39×39mm	x 61 x 7

Vertex Detector R&D



6um pixel now working!

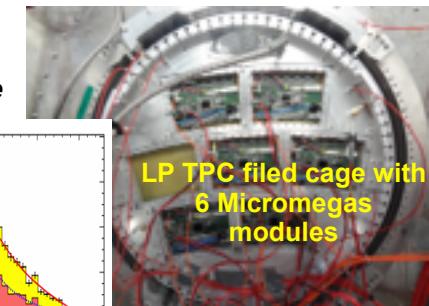
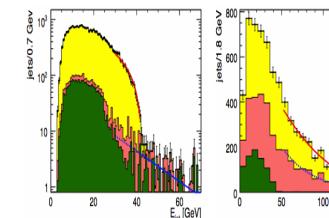


**Proof of principle for sensor technology finished!
Now R&D on ladder, support structure, and 2-phase CO2 cooling system.**

TPC R&D

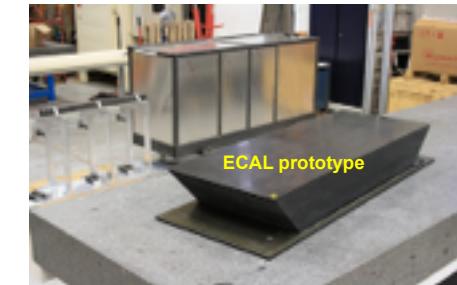
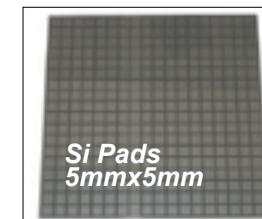
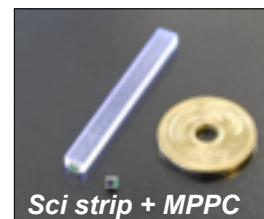


Spatial resolution
Asian GEM module



Both GEM and Micromegas modules have achieved the performance goal: point resolution < 100um (3.5T)

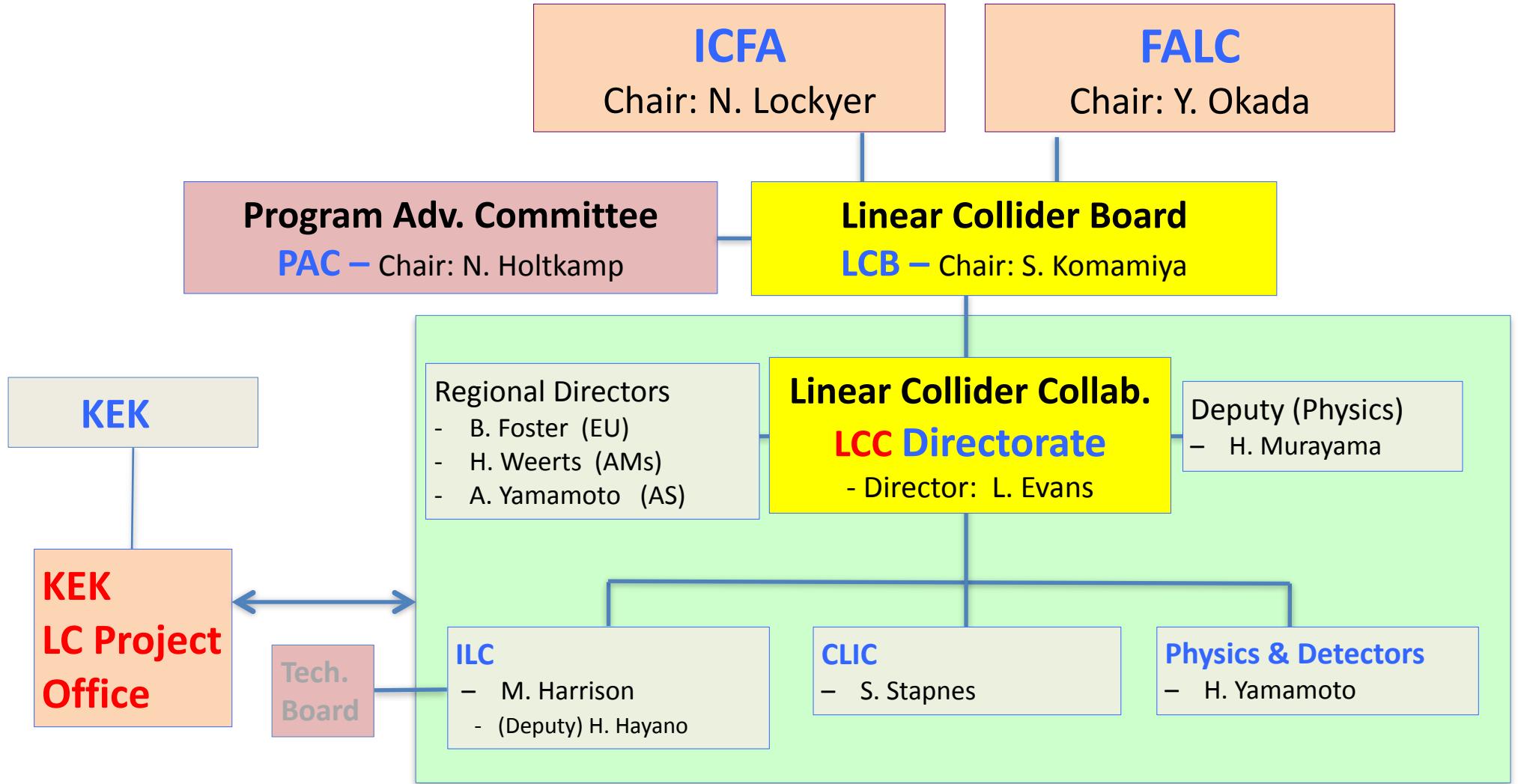
Calorimeter R&D



**Test beam data well reproduced by MC simulation,
one-particle energy resolution has reached
performance goal!**

Project Development

ILC in Linear Collider Collaboration



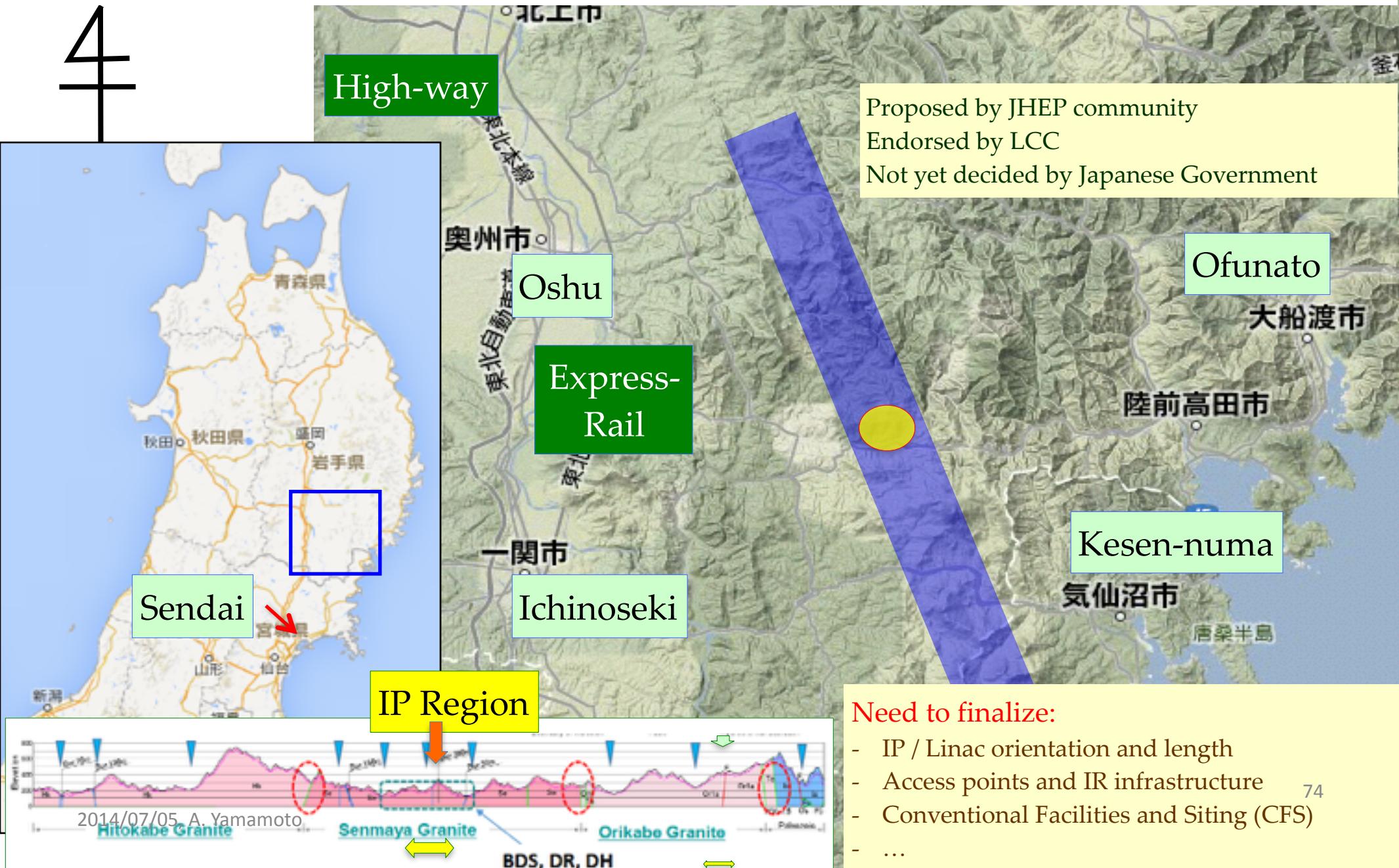
ILC Time Line: Progress and Prospect



ILC Site Candidate Location in Japan: Kitakami Area

Establish a site-specific Civil Engineering Design - map the (site independent) TDR baseline onto the preferred site - assuming "Kitakami" as a primary candidate

4



Need to finalize:

- IP / Linac orientation and length
- Access points and IR infrastructure
- Conventional Facilities and Siting (CFS)
- ...

Global Status

Year	Global Status	Status in Japan
2012	<ul style="list-style-type: none"> - <i>TDR “Draft” completed, and technically reviewed, and the cost estimate internally reviewed, in GDE</i> 	
2013	<ul style="list-style-type: none"> - <i>TDR Cost internationally and externally reviewed,</i> - <i>TDR published</i> - <i>“GDE” to “LCC”</i> - <i>European Strategy published</i> 	<ul style="list-style-type: none"> - <i>Candidate site by JHEP, unified,</i> - <i>Further study for q few year, recommended by SCJ (Science Council J.)</i>
2014	<ul style="list-style-type: none"> - - <i>US-P5 recommendation published</i> - - <i>Global supports well recognized</i> 	<ul style="list-style-type: none"> - <i>MEXT established ILC Task Force</i> - <i>ILC preparatory office starts at KEK</i> - <i>An official budget for the ILC investigation/preparation allocated, first time, in MEXT.</i>

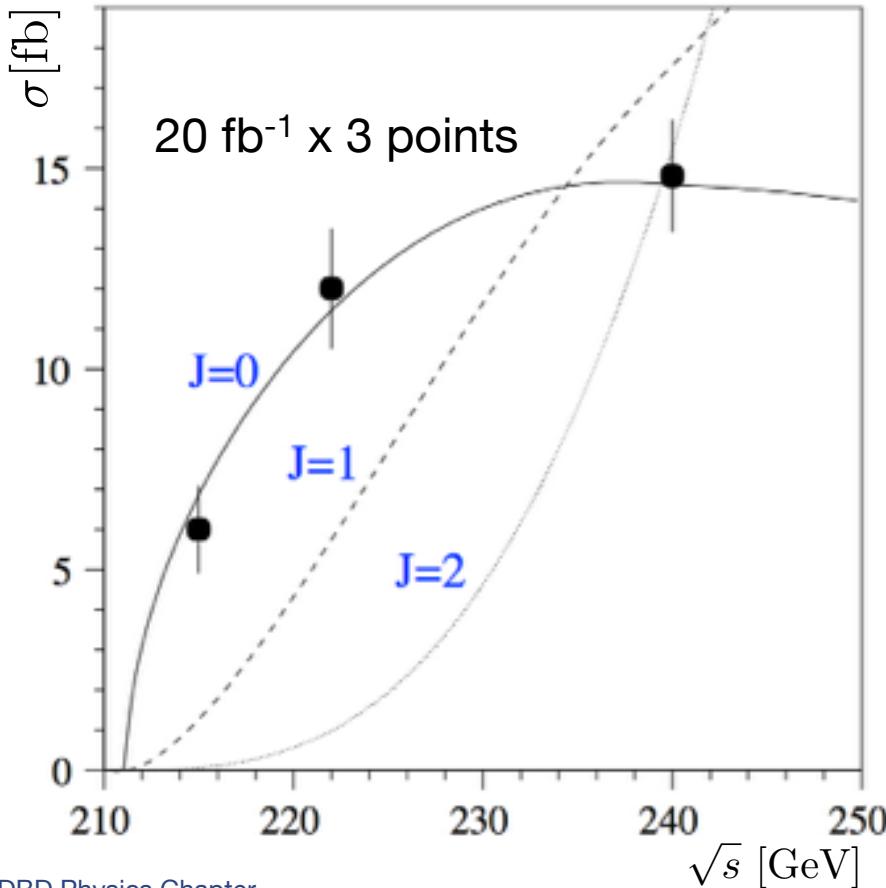
- ILC accelerator **technologies** have been sufficiently developed and matured for the project to move “from Design to Reality” in coming several years.
- **Global cooperation** needs to be further established,
- **LCC** is leading the project under supervision of ICFA and LCB
- Strong supports from EU and US, well recognized and acknowledged,

Higgs

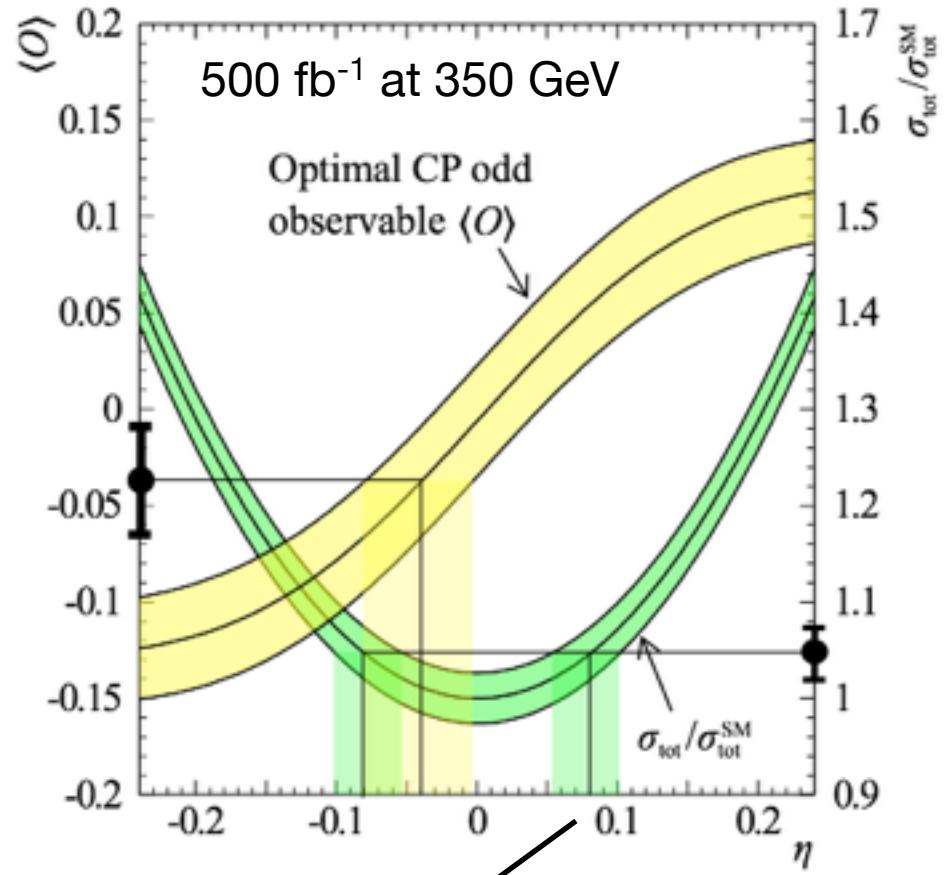
	Φ_1	Φ_2	u_R	d_R	ℓ_R	Q_L, L_L
Type I	+	-	-	-	-	+
Type II (SUSY)	+	-	-	+	+	+
Type X (Lepton-specific)	+	-	-	-	+	+
Type Y (Flipped)	+	-	-	+	-	+

Spin and CP Mixing

Measurements that compliment those at LHC



DBD Physics Chapter



Search for small CP-odd admixture to a few %

CP-odd ZHH coupling is loop-induced, may not be the best way, though.

SM Higgs BRs

arXiv: 1307.1347

Table 1.1. The Standard Model values of branching ratios of fermionic decays of the Higgs boson for each value of the Higgs boson mass m_h .

m_h (GeV)	$b\bar{b}$	$\tau^+\tau^-$	$\mu^+\mu^-$	$c\bar{c}$	$s\bar{s}$
125.0	57.7 %	6.32 %	0.0219 %	2.91 %	0.0246 %
125.3	57.2 %	6.27 %	0.0218 %	2.89 %	0.0244 %
125.6	56.7 %	6.22 %	0.0216 %	2.86 %	0.0242 %
125.9	56.3 %	6.17 %	0.0214 %	2.84 %	0.0240 %
126.2	55.8 %	6.12 %	0.0212 %	2.81 %	0.0238 %
126.5	55.3 %	6.07 %	0.0211 %	2.79 %	0.0236 %

Table 1.2. The Standard Model values of branching ratios of bosonic decays of the Higgs boson for each value of the Higgs boson mass m_h . The predicted value of the total decay width of the Higgs boson is also listed for each value of m_h .

m_h (GeV)	gg	$\gamma\gamma$	$Z\gamma$	W^+W^-	ZZ	Γ_H (MeV)
125.0	8.57 %	0.228 %	0.154 %	21.5 %	2.64 %	4.07
125.3	8.54 %	0.228 %	0.156 %	21.9 %	2.72 %	4.11
125.6	8.52 %	0.228 %	0.158 %	22.4 %	2.79 %	4.15
125.9	8.49 %	0.228 %	0.162 %	22.9 %	2.87 %	4.20
126.2	8.46 %	0.228 %	0.164 %	23.5 %	2.94 %	4.24
126.5	8.42 %	0.228 %	0.167 %	24.0 %	3.02 %	4.29

Systematic Errors

	Baseline	LumUp
luminosity	0.1%	0.05%
polarization	0.1%	0.05%
b-tag efficiency	0.3%	0.15%

arXiv: 1310.0763

Model-dependent Global Fit for Couplings

7-parameter fit

Model Assumptions

$$\kappa_c = \kappa_t \quad \text{and} \quad \Gamma_{\text{tot}} = \sum_{i \in \text{SM decays}} \Gamma_i^{\text{SM}} \kappa_i^2$$

$\kappa_i := g_i/g_i(\text{SM})$

Results

Facility	LHC	HL-LHC	ILC500	ILC500-up	ILC1000	ILC1000-up
\sqrt{s} (GeV)	14,000	14,000	250/500	250/500	250/500/1000	250/500/1000
$\int \mathcal{L} dt$ (fb $^{-1}$)	300/expt	3000/expt	250+500	1150+1600	250+500+1000	1150+1600+2500
κ_γ	5 – 7%	2 – 5%	8.3%	4.4%	3.8%	2.3%
κ_g	6 – 8%	3 – 5%	2.0%	1.1%	1.1%	0.67%
κ_W	4 – 6%	2 – 5%	0.39%	0.21%	0.21%	0.2%
κ_Z	4 – 6%	2 – 4%	0.49%	0.24%	0.50%	0.3%
κ_ℓ	6 – 8%	2 – 5%	1.9%	0.98%	1.3%	0.72%
$\kappa_d = \kappa_b$	10 – 13%	4 – 7%	0.93%	0.60%	0.51%	0.4%
$\kappa_u = \kappa_t$	14 – 15%	7 – 10%	2.5%	1.3%	1.3%	0.9%

Snowmass Higgs WG Report (Draft)

What observables limit the coupling precisions?

The 4 most important ones

Y_1 : recoil mass

Y_2 : WW-fusion $h \rightarrow bb$

Y_3 : higgsstrahlung $h \rightarrow bb$

Y_4 : WW-fusion $h \rightarrow WW^*$

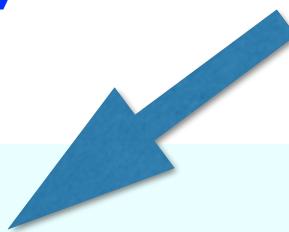
$$Y_1 = \sigma_{ZH} \propto g_{HZZ}^2$$

$$Y_2 = \sigma_{\nu\bar{\nu}H} \cdot \text{Br}(H \rightarrow b\bar{b}) \propto \frac{g_{HWW}^2 g_{Hbb}^2}{\Gamma_H}$$

$$Y_3 = \sigma_{ZH} \cdot \text{Br}(H \rightarrow b\bar{b}) \propto \frac{g_{HZZ}^2 g_{Hbb}^2}{\Gamma_H}$$

$$Y_4 = \sigma_{\nu\bar{\nu}H} \cdot \text{Br}(H \rightarrow WW^*) \propto \frac{g_{HWW}^4}{\Gamma_H}$$

$$\Delta g_{HZZ} \sim \frac{1}{2} \Delta Y_1$$

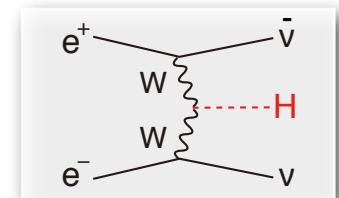
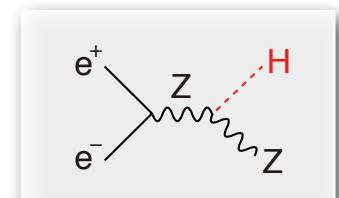


Both ZH and vvH productions matter!

$$\Delta g_{HWW} \sim \frac{1}{2} \Delta Y_1 \oplus \frac{1}{2} \Delta Y_2 \oplus \frac{1}{2} \Delta Y_3$$

$$\Delta g_{Hbb} \sim \frac{1}{2} \Delta Y_1 \oplus \Delta Y_2 \oplus \frac{1}{2} \Delta Y_3 \oplus \frac{1}{2} \Delta Y_4$$

$$\Delta \Gamma_H \sim 2\Delta Y_1 \oplus 2\Delta Y_2 \oplus 2\Delta Y_3 \oplus \Delta Y_4$$



For more details, see J.Tian @ Tokusui Workshop 2013

Expected Precision and Deviation

Combined Fit with LHC data

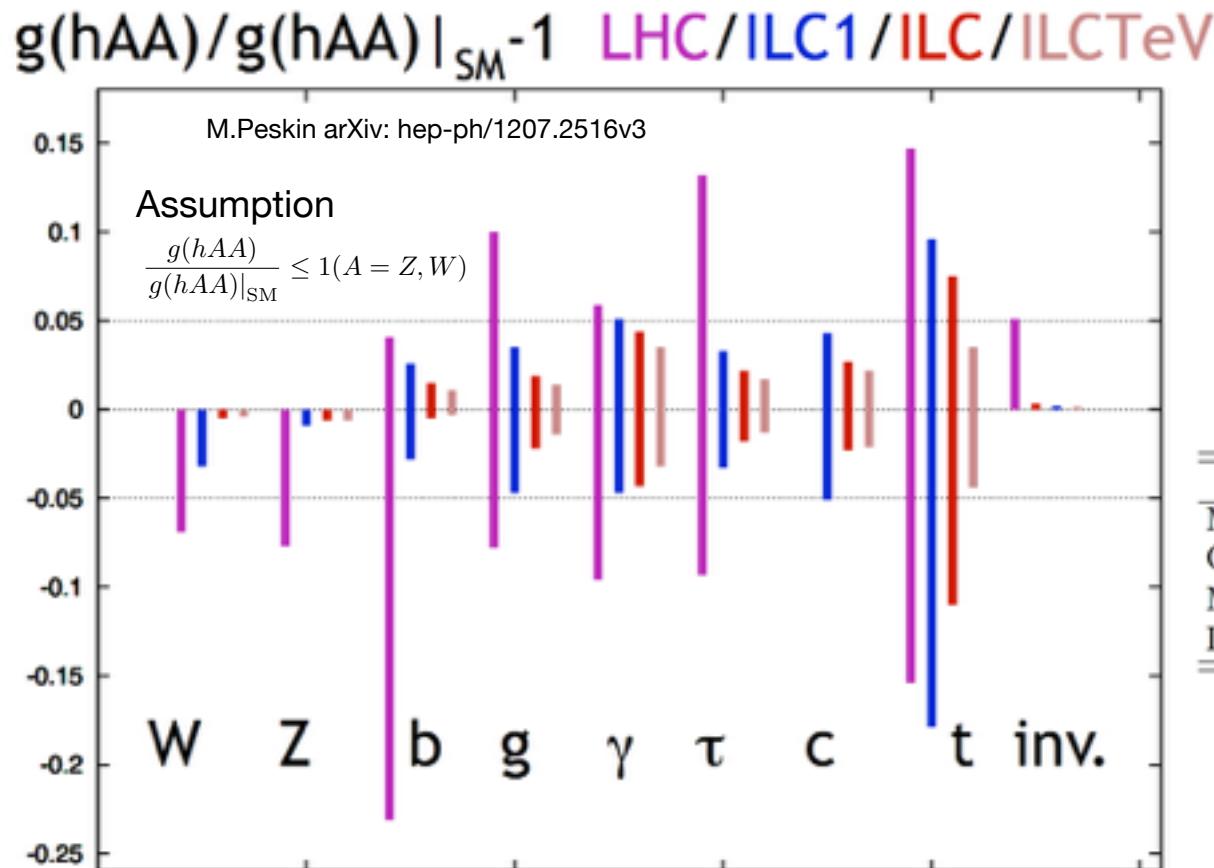


Figure 2: Comparison of the capabilities of LHC and ILC for model-independent measurements of Higgs boson couplings. The plot shows (from left to right in each set of error bars) 1σ confidence intervals for LHC at 14 TeV with 300 fb^{-1} , for ILC at 250 GeV and 250 fb^{-1} ('ILC1'), for the full ILC program up to 500 GeV with 500 fb^{-1} ('ILC'), and for a program with 1000 fb^{-1} for an upgraded ILC at 1 TeV ('ILCTeV'). More details of the presentation are given in the caption of Fig. 1. The marked horizontal band represents a 5% deviation from the Standard Model prediction for the coupling.

Assumed Luminosities

LHC = LHC14TeV: 300 fb^{-1}

HLC = ILC250: 250 fb^{-1}

ILC = ILC500: 500 fb^{-1}

ILCTeV = ILC1000: 1000 fb^{-1}

Maximum deviation when nothing but the 125 GeV object would be found at LHC

	ΔhVV	$\Delta h\bar{t}t$	Δhbb
Mixed-in Singlet	6%	6%	6%
Composite Higgs	8%	tens of %	tens of %
Minimal Supersymmetry	< 1%	3%	10% ^a , 100% ^b
LHC 14 TeV, 3 ab^{-1}	8%	10%	15%

R.S.Gupta, H.Rzehak, J.D.Wells

arXiv: 1206.3560v1

Mixing with singlet

$$\frac{g_{hVV}}{g_{h_{SM}VV}} = \frac{g_{hff}}{g_{h_{SM}ff}} = \cos\theta \simeq 1 - \frac{\delta^2}{2}$$

Composite Higgs

$$\frac{g_{hVV}}{g_{h_{SM}VV}} \simeq 1 - 3\%(1\text{ TeV}/f)^2$$

$$\frac{g_{hff}}{g_{h_{SM}ff}} \simeq \begin{cases} 1 - 3\%(1\text{ TeV}/f)^2 & (\text{MCHM4}) \\ 1 - 9\%(1\text{ TeV}/f)^2 & (\text{MCHM5}) \end{cases}$$

SUSY

$$\frac{g_{hbb}}{g_{h_{SM}bb}} = \frac{g_{h\tau\tau}}{g_{h_{SM}\tau\tau}} \simeq 1 + 1.7\% \left(\frac{1\text{ TeV}}{m_A}\right)^2$$

Fingerprinting is possible or we will get lower bounds on the BSM scale!

Hunting Ground for Extra Higgs Bosons

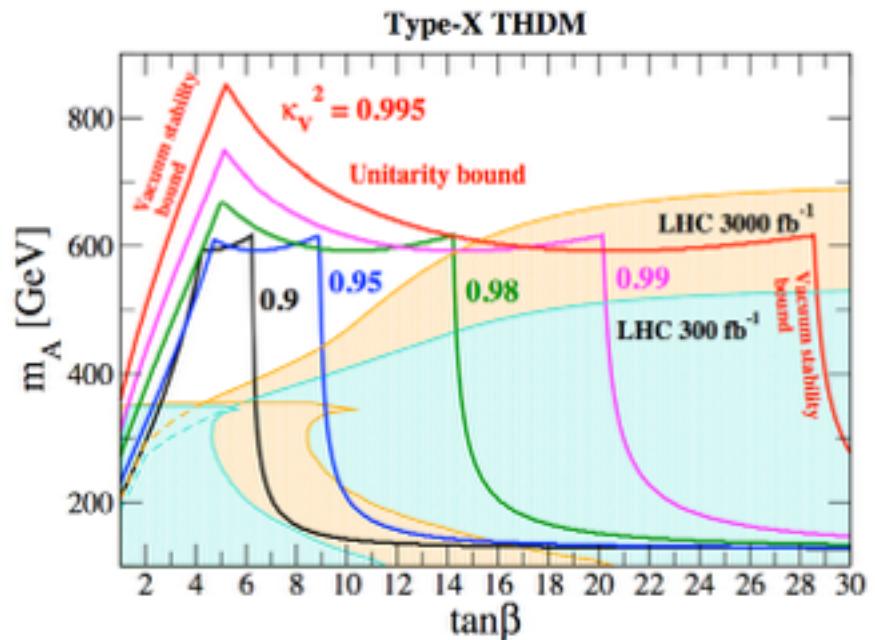
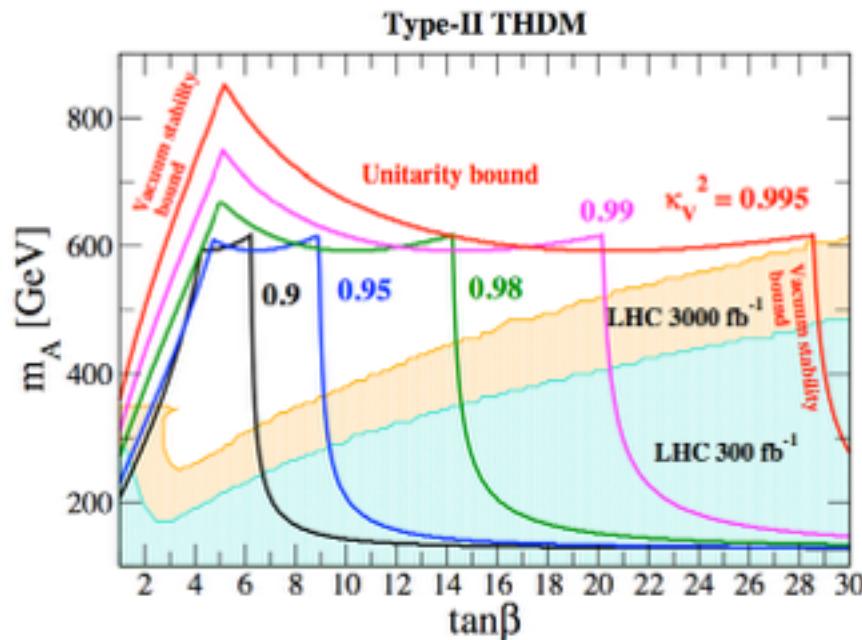


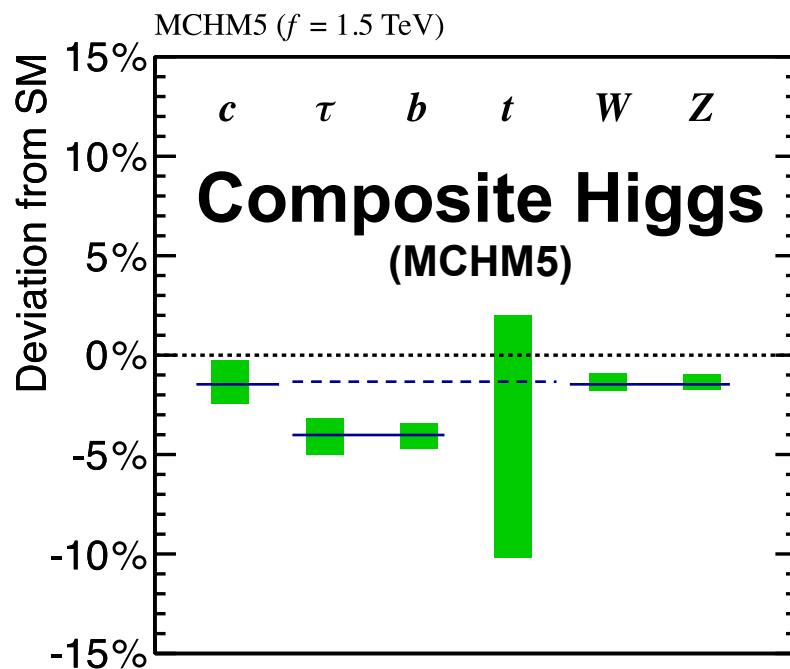
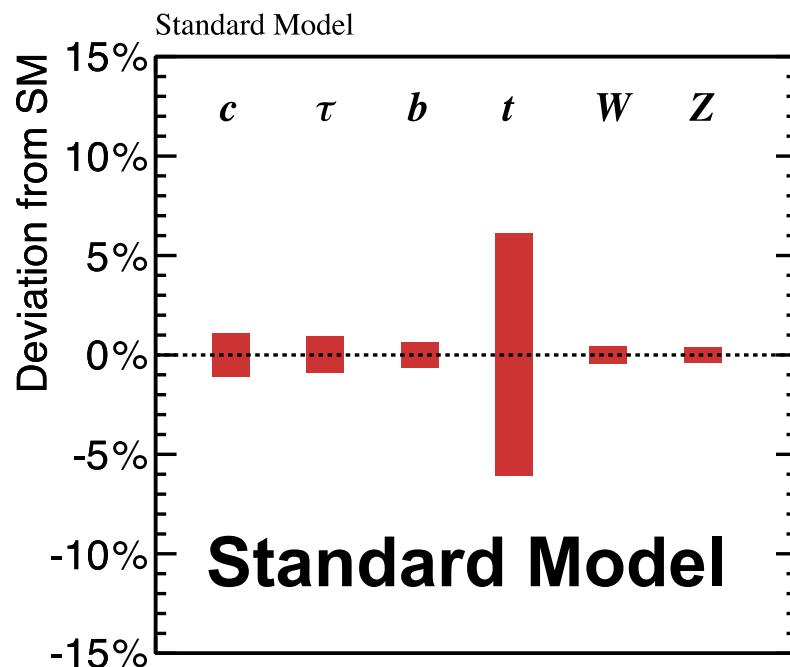
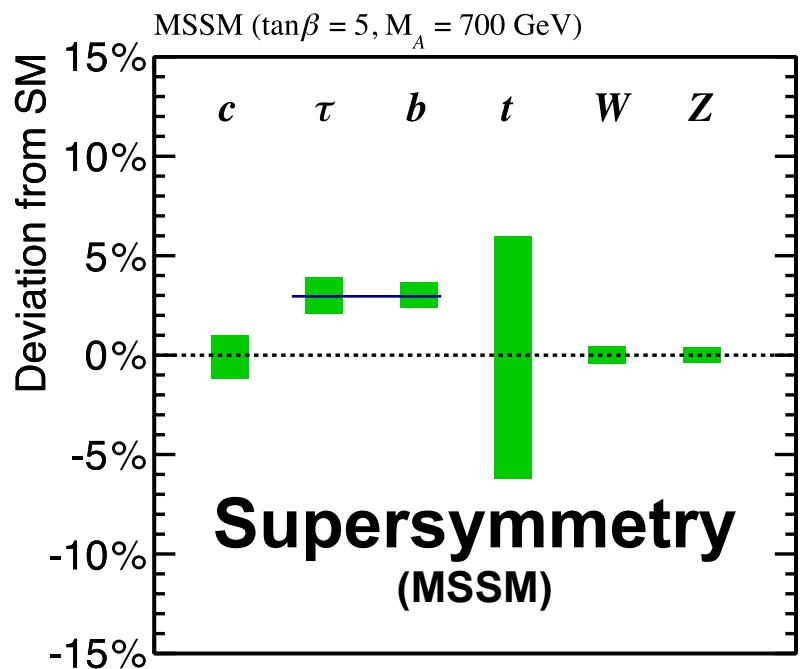
Figure 1.20. Regions below the curves are allowed by the constraints from unitarity and vacuum stability on the $\tan\beta$ - m_A plane for each fixed value of κ_V^2 for $M = m_A = m_H = m_{H^\pm}$ in the Type II and Type X 2HDMs. Expected excluded parameter spaces are also shown by blue (orange) shaded regions from the gluon fusion production and associate production of A and H with bottom quarks and tau leptons at the LHC with the collision energy to be 14 TeV with the integrated luminosity to be 300 fb^{-1} (3000 fb^{-1}).

Snowmass ILC Higgs White Paper (arXiv: 1310.0763)

Finger Printing: Elementary v.s. Composite

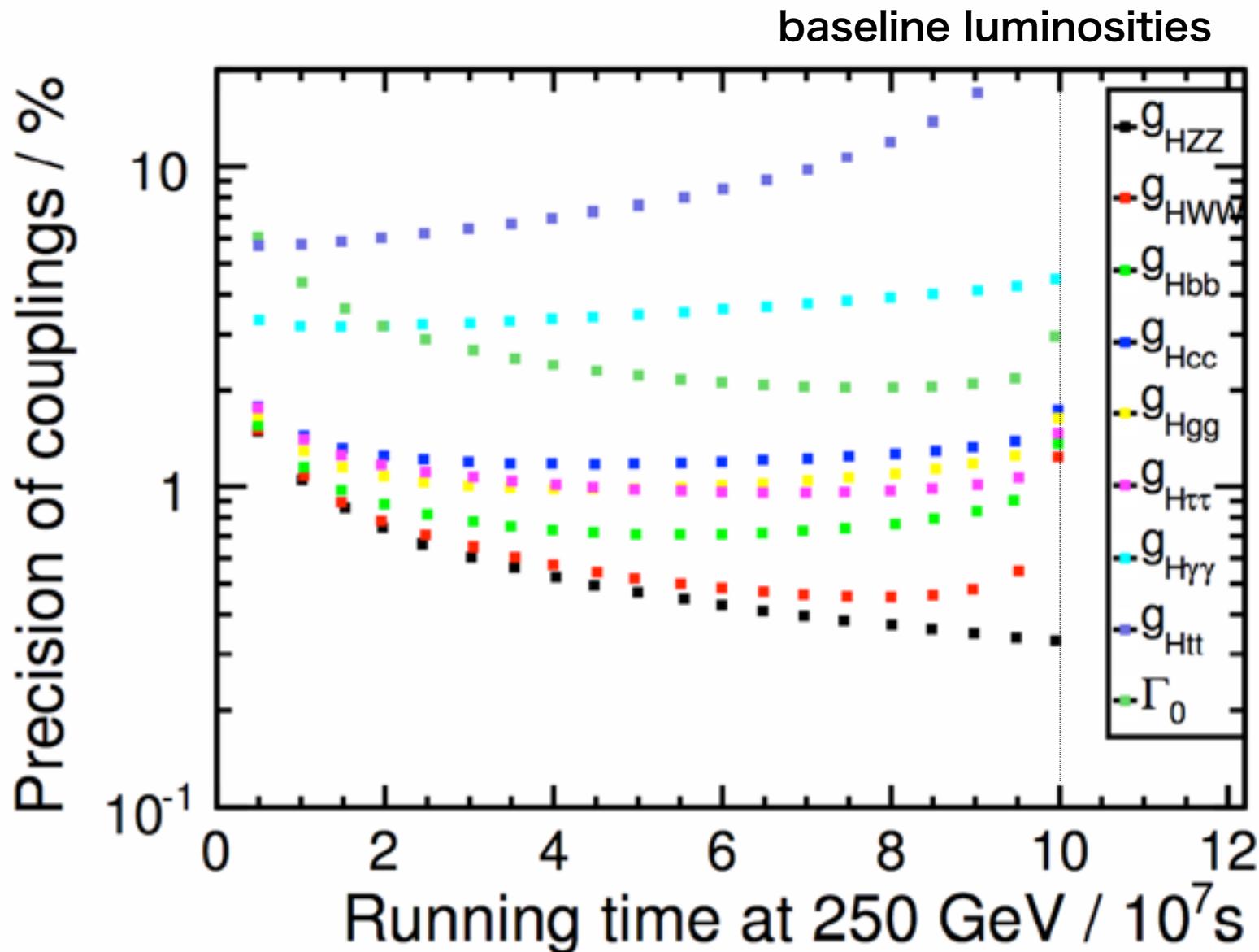
Deviations in Higgs couplings is a signature of many BSM theories. The pattern of the deviations can be specific to certain models. The precision Higgs coupling measurements at the ILC at the 1% level enable us to fingerprint the different models.

Lumi 1920 fb-1, $\text{sqrt}(s) = 250 \text{ GeV}$
Lumi 2670 fb-1, $\text{sqrt}(s) = 500 \text{ GeV}$



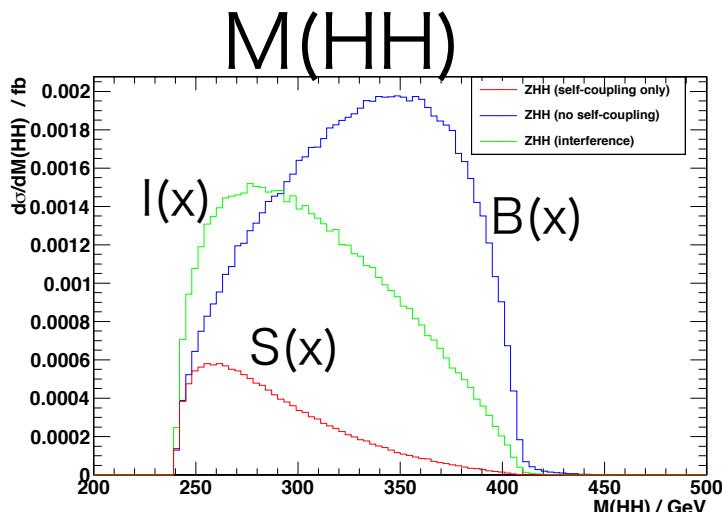
Coupling Precisions

Running Scenarios



Self-coupling Measurement

Weighting Method to Enhance the Sensitivity to λ

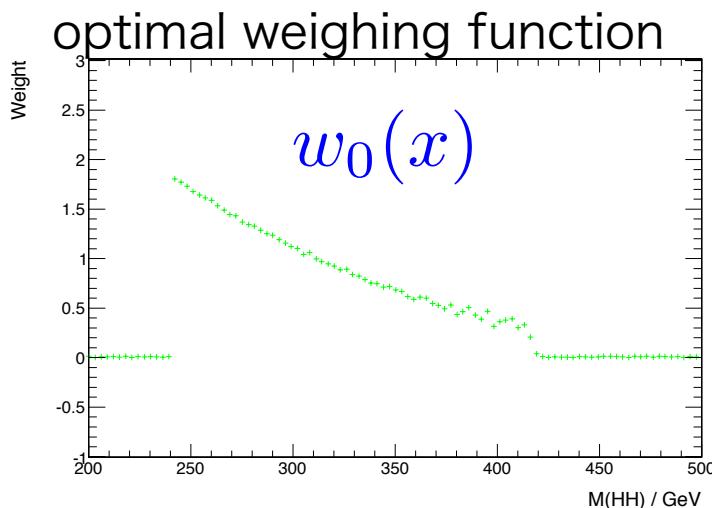


$$\frac{d\sigma}{dx} = B(x) + \lambda I(x) + \lambda^2 S(x)$$

irreducible interference self-coupling

Observable: weighted cross-section

$$\sigma_w = \int \frac{d\sigma}{dx} w(x) dx$$



Equation for the optimal $w(x)$ (variational principle):

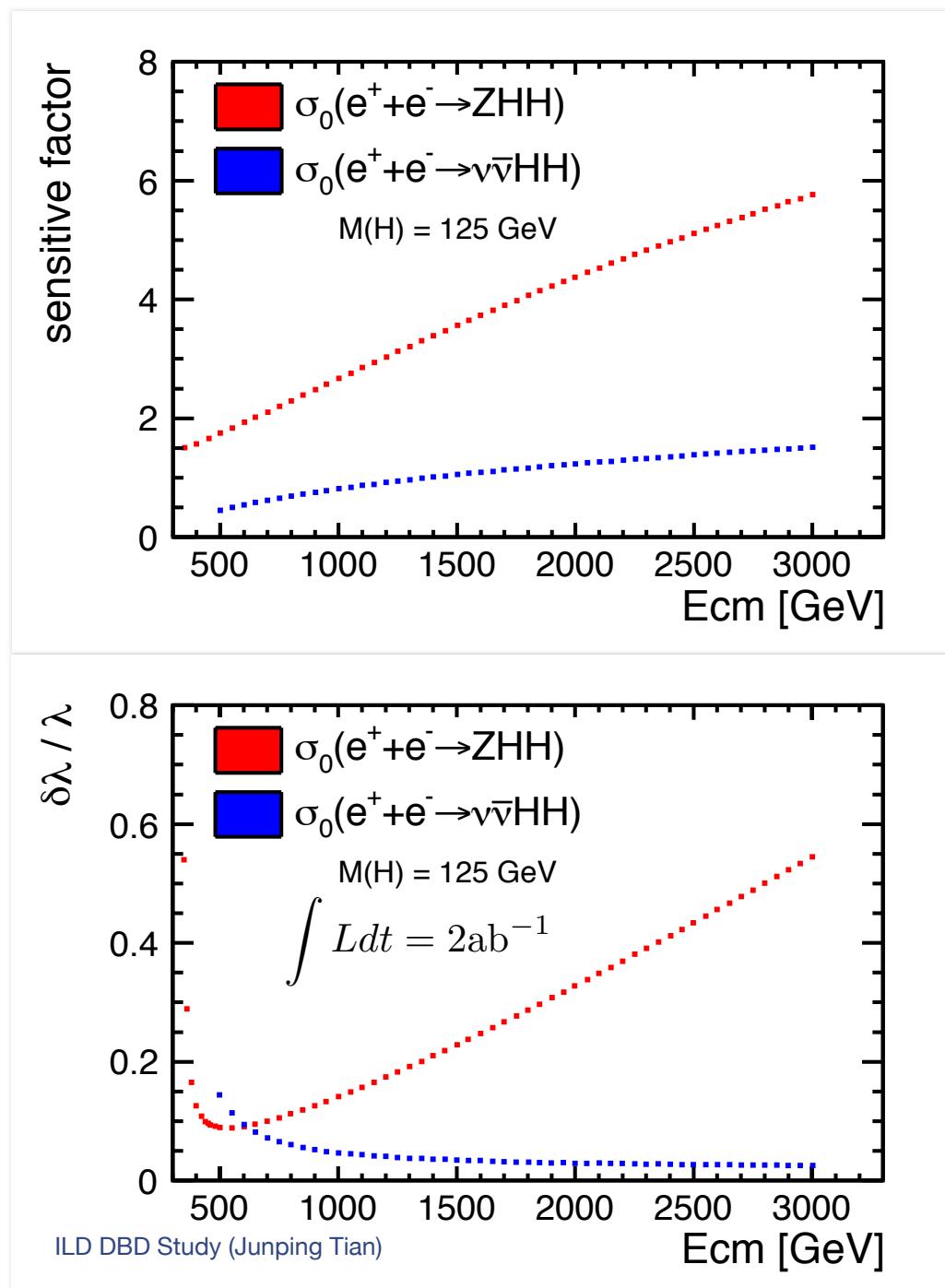
$$\sigma(x)w_0(x) \int (I(x) + 2S(x))w_0(x) dx = (I(x) + 2S(x)) \int \sigma(x)w_0^2(x) dx$$

General solution:

$$w_0(x) = c \cdot \frac{I(x) + 2S(x)}{\sigma(x)}$$

c: arbitrary normalization factor

Expected Coupling Precision as a Function of Ecm

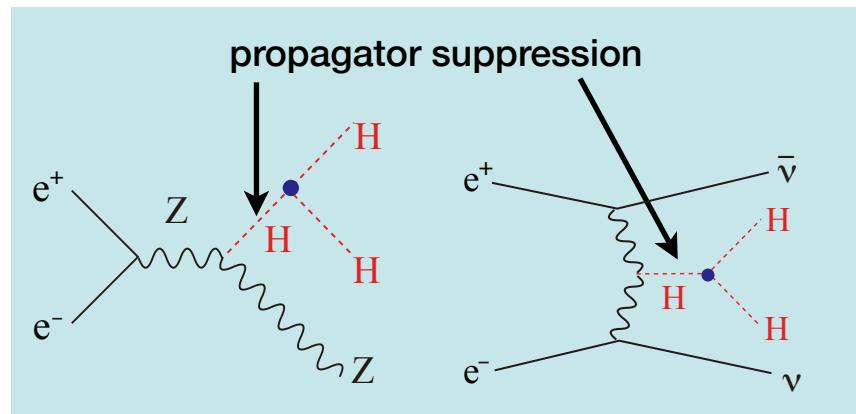


Sensitivity Factor

$$\frac{\Delta\lambda}{\lambda} = F \cdot \frac{\Delta\sigma}{\sigma}$$

$F=0.5$ if no BG diagrams there

BG diagrams dominate at high E_{cm}



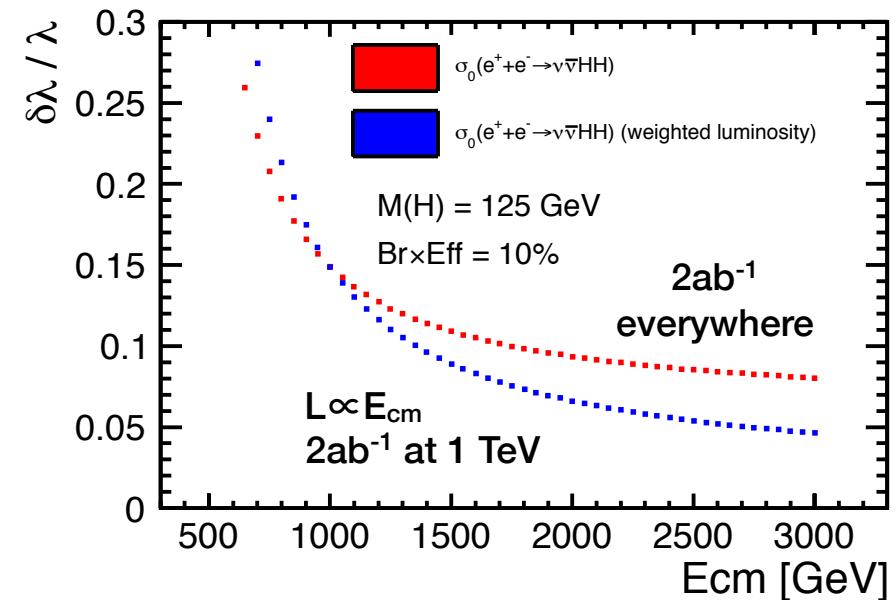
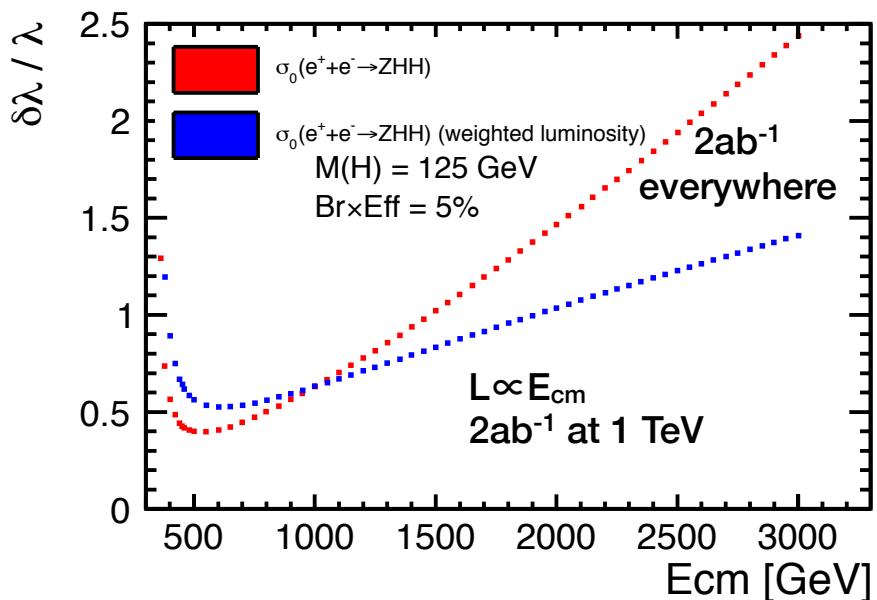
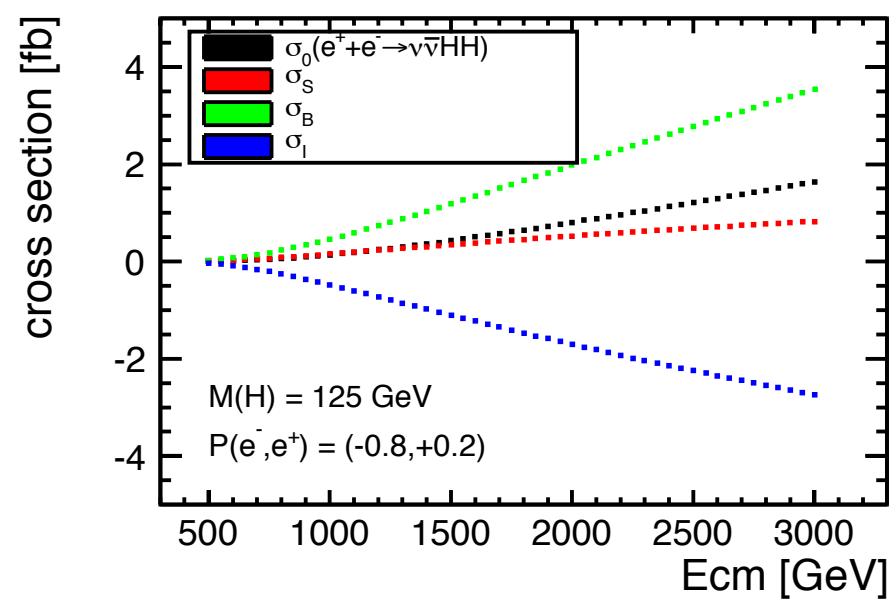
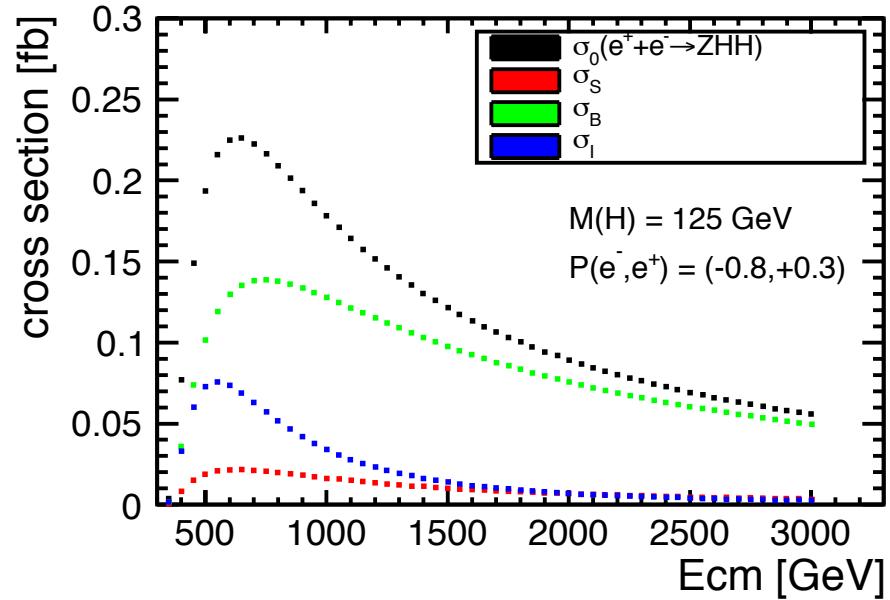
$\Rightarrow F$ grows quickly with E_{cm} !

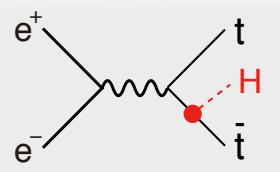
Coupling Precision

ZHH : optimal $E_{cm} \sim 500 \text{ GeV}$
 though the cross section maximum
 is at around $E_{cm} = 600 \text{ GeV}$

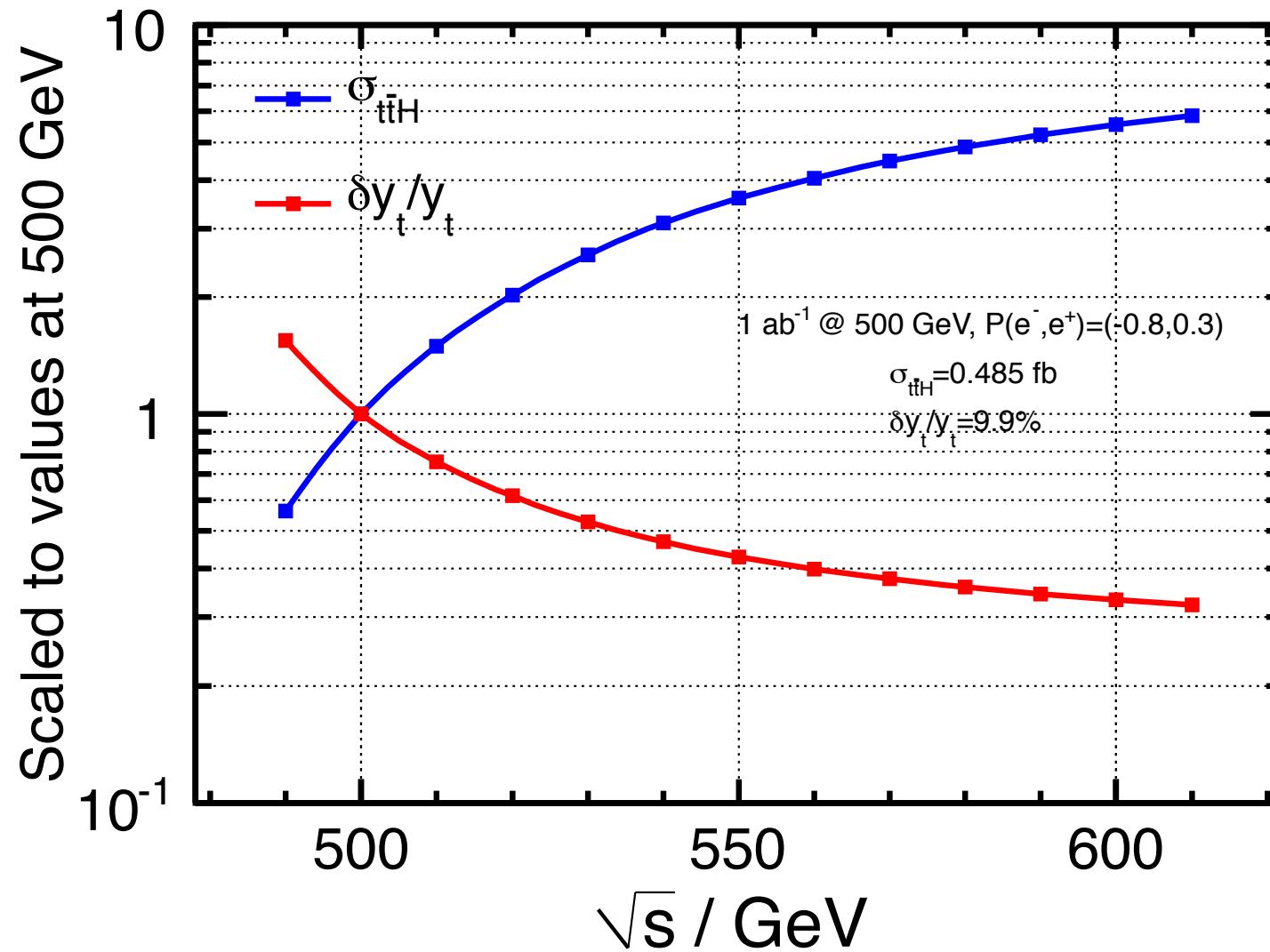
vvhH :
 Precision slowly improves with E_{cm}

Expected Coupling Precision as a Function of Ecm





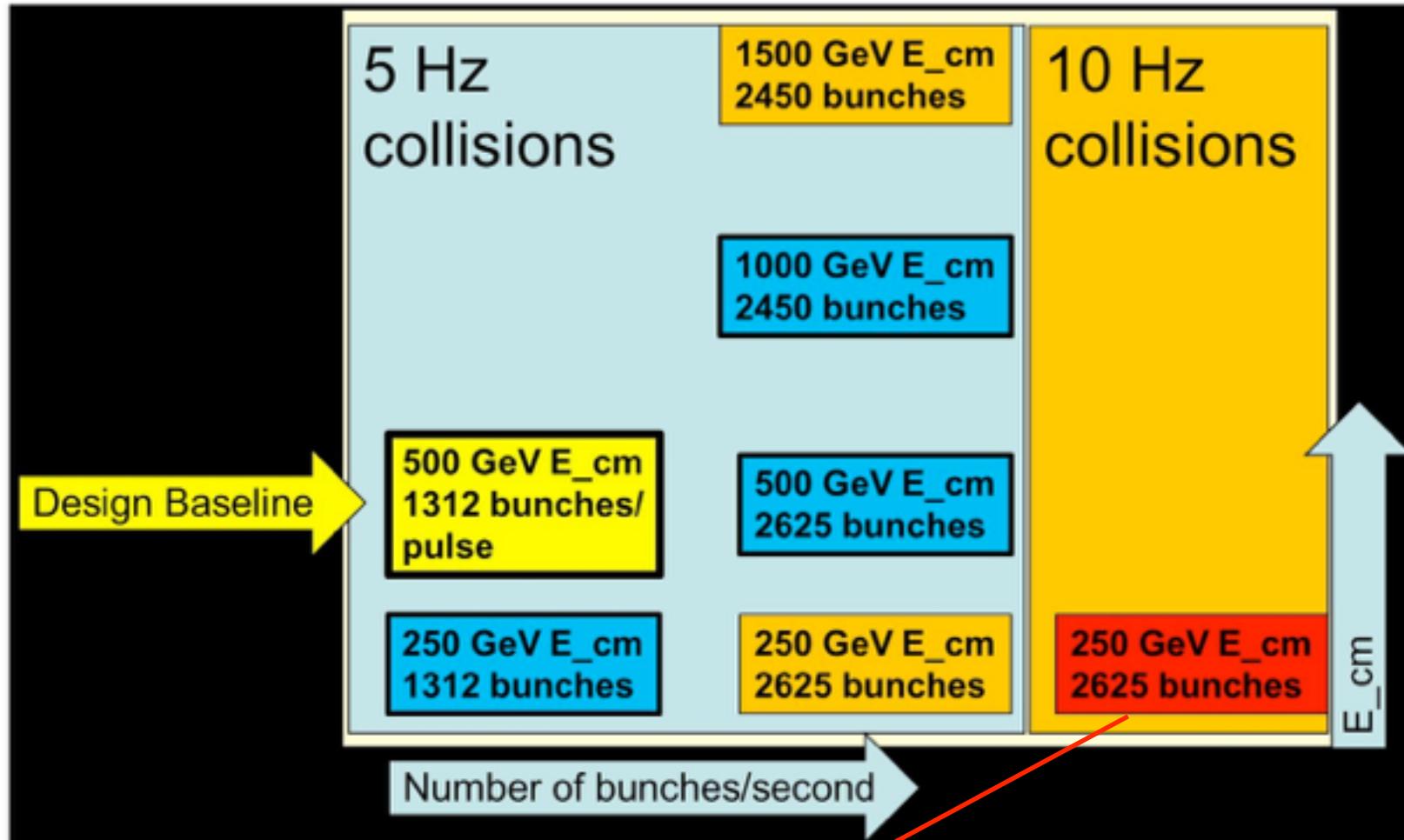
Top Yukawa coupling



Y. Sudo

HL-ILC ?

ILC Stages and Upgrades



Snowmass ILC Higgs White Paper (arXiv: 1310.0763)

x4 upgrade
@250GeV

Blue: upgrade described in TDR

The current ILC design is rather conservative!

TDR

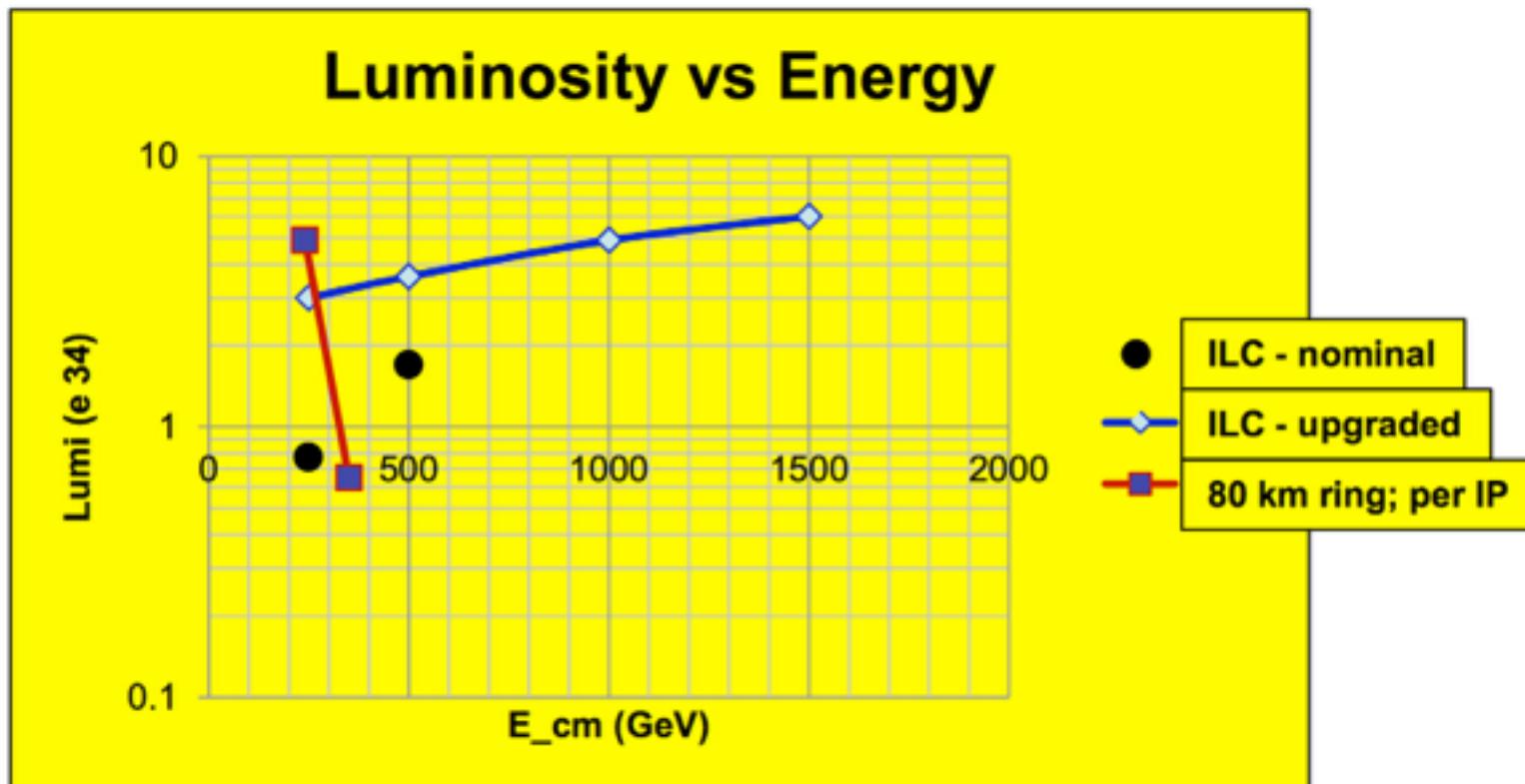
Center-of-mass energy	E_{CM}	GeV	Baseline 500 GeV Machine			1st Stage	L Upgrade	E_{CM} Upgrade	
			250	350	500			A	B
Collision rate	f_{rep}	Hz	5	5	5	5	5	4	4
Electron linac rate	f_{linac}	Hz	10	5	5	10	5	4	4
Number of bunches	n_b		1312	1312	1312	1312	2625	2450	2450
Bunch population	N	$\times 10^{10}$	2.0	2.0	2.0	2.0	2.0	1.74	1.74
Bunch separation	Δt_b	ns	554	554	554	554	366	366	366
Pulse current	I_{beam}	mA	5.8	5.8	5.8	5.8	8.8	7.6	7.6
Main linac average gradient	G_a	MV m^{-1}	14.7	21.4	31.5	31.5	31.5	38.2	39.2
Average total beam power	P_{beam}	MW	5.9	7.3	10.5	5.9	21.0	27.2	27.2
Estimated AC power	P_{AC}	MW	122	121	163	129	204	300	300
RMS bunch length	σ_z	mm	0.3	0.3	0.3	0.3	0.3	0.250	0.225
Electron RMS energy spread	$\Delta p/p$	%	0.190	0.158	0.124	0.190	0.124	0.083	0.085
Positron RMS energy spread	$\Delta p/p$	%	0.152	0.100	0.070	0.152	0.070	0.043	0.047
Electron polarization	P_-	%	80	80	80	80	80	80	80
Positron polarization	P_+	%	30	30	30	30	30	20	20
Horizontal emittance	$\gamma \epsilon_x$	μm	10	10	10	10	10	10	10
Vertical emittance	$\gamma \epsilon_y$	nm	35	35	35	35	35	30	30
IP horizontal beta function	β_x^*	mm	13.0	16.0	11.0	13.0	11.0	22.6	11.0
IP vertical beta function	β_y^*	mm	0.41	0.34	0.48	0.41	0.48	0.25	0.23
IP RMS horizontal beam size	σ_x^*	nm	729.0	683.5	474	729	474	481	335
IP RMS vertical beam size	σ_y^*	nm	7.7	5.9	5.9	7.7	5.9	2.8	2.7
Luminosity	L	$\times 10^{34} \text{ cm}^{-2}\text{s}^{-1}$	0.75	1.0	1.8	0.75	3.6	3.6	4.9
Fraction of luminosity in top 1%	$L_{0.01}/L$		87.1%	77.4%	58.3%	87.1%	58.3%	59.2%	44.5%
Average energy loss	δ_{BS}		0.97%	1.9%	4.5%	0.97%	4.5%	5.6%	10.5%
Number of pairs per bunch crossing	N_{pairs}	$\times 10^3$	62.4	93.6	139.0	62.4	139.0	200.5	382.6
Total pair energy per bunch crossing	E_{pairs}	TeV	46.5	115.0	344.1	46.5	344.1	1338.0	3441.0

HL-ILC

			1st Stage Higgs Factory	Baseline ILC, after Lumi Upgrade	High Rep Rate Operation
Center-of-mass energy	E_{CM}	GeV	250	250	250
Collision rate	f_{rep}	Hz	5	5	10
Electron linac rate	f_{linac}	Hz	10	10	10
Number of bunches	n_b		1312	2625	2625
Pulse current	I_{beam}	mA	5.8	8.75	8.75
Average total beam power	P_{beam}	MW	5.9	10.5	21
Estimated AC power	P_{AC}	MW	129	160	200
Luminosity	L	$\times 10^{34} \text{ cm}^{-2}\text{s}^{-1}$	0.75	1.5	3.0

Nickname	Ecm(1) (GeV)	Lumi(1) (fb^{-1})	+	Ecm(2) (GeV)	Lumi(2) (fb^{-1})	+	Ecm(3) (GeV)	Lumi(3) (fb^{-1})	Runtime (yr)	Wall Plug E (MW-yr)
ILC(250)	250	250							1.1	130
ILC(500)	250	250		500	500				2.0	270
ILC(1000)	250	250		500	500		1000	1000	2.9	540
ILC(LumUp)	250	1150		500	1600		1000	2500	5.8	1220

High Luminosity ILC



Independent Higgs Measurements

250 GeV: 250 fb⁻¹
 500 GeV: 500 fb⁻¹
 1 TeV: 1000 fb⁻¹



250 GeV: 1150 fb⁻¹
 500 GeV: 1600 fb⁻¹
 1 TeV: 2500 fb⁻¹

Hypothetical HL-ILC

(M_H = 125 GeV)

Ecm	250 GeV		500 GeV		1 TeV
luminosity · fb	250		500		1000
polarization (e-,e+)	(-0.8, +0.3)		(-0.8, +0.3)		(-0.8, +0.2)
process	ZH	vvH(fusion)	ZH	vvH(fusion)	vvH(fusion)
cross section	1.2%	-	1.7%	-	
	$\sigma \cdot \text{Br}$				
H→bb	0.56%	4.9%	1%	0.37%	0.3%
H→cc	3.9%		7.2%	3.5%	2%
H→gg	3.3%		6%	2.3%	1.4%
H→WW*	3%		5.1%	1.3%	1%
H→ττ	2%		3%	5%	2%
H→ZZ*	8.4%		14%	4.6%	2.6%
H→γγ	16%		19%	13%	5.4%
H→μμ	46.6%	-	-	-	20%

Coupling Measurements

Hypothetical HL-ILC

($M_H = 125 \text{ GeV}$)

250 GeV: 1150 fb^{-1}

500 GeV: 1600 fb^{-1}

1 TeV: 2500 fb^{-1}

$P(e^-, e^+) = (-0.8, +0.3)$ @ 250, 500 GeV

$P(e^-, e^+) = (-0.8, +0.2)$ @ 1 TeV

coupling	250 GeV	250 GeV + 500 GeV	250 GeV + 500 GeV + 1 TeV
HZZ	0.6%	0.5%	0.5%
HWW	2.3%	0.6%	0.6%
Hbb	2.5%	0.8%	0.7%
Hcc	3.2%	1.5%	1%
Hgg	3%	1.2%	0.93%
H $\tau\tau$	2.7%	1.2%	0.9%
H $\gamma\gamma$	8.2%	4.5%	2.4%
H $\mu\mu$	42%	42%	10%
Γ	5.4%	2.5%	2.3%
Htt	-	7.8%	1.9%

HHH

-

46%(*)

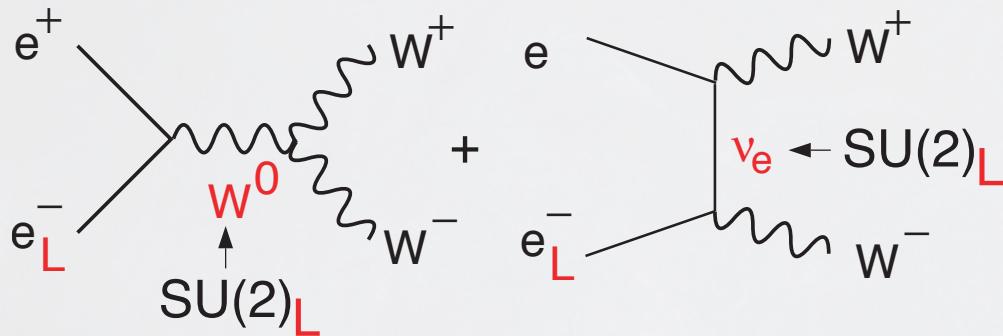
13%(*)

) With H->WW (preliminary), if we include expected improvements in jet clustering, it would become 10%!

SUSY

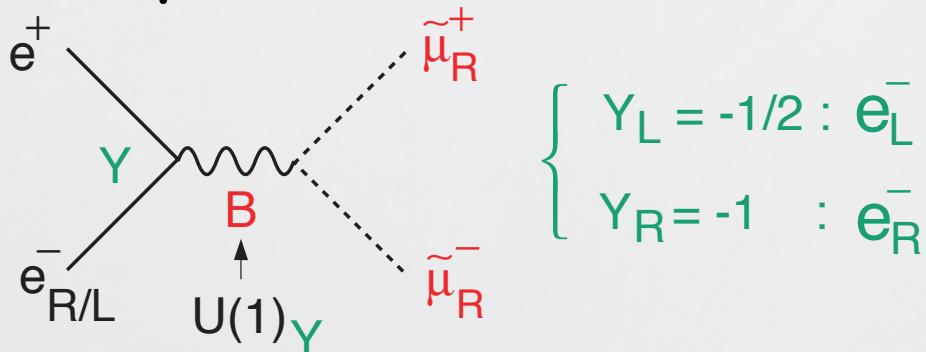
Power of Beam Polarization

W^+W^- (Largest SM BG)



In the symmetry limit, $\sigma_{WW} \rightarrow 0$ for e_R^- !

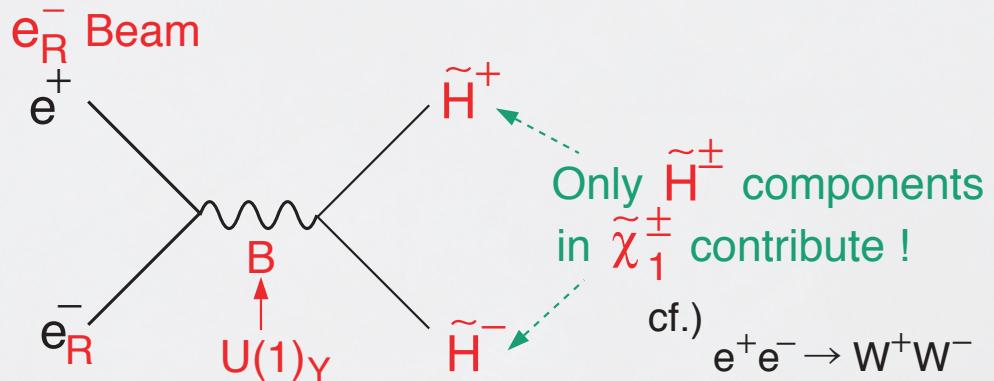
Slepton Pair



In the symmetry limit, $\sigma_R = 4 \sigma_L$!

BG Suppression

Chargino Pair



Only H^+ components in $\tilde{\chi}_1^\pm$ contribute!

cf.) $e^+e^- \rightarrow W^+W^-$

$$\tilde{\chi}_1^\pm = \bigcirc \cdot \tilde{W}^\pm + \bullet \cdot \tilde{H}^\pm$$

$$\langle \tilde{H}^\pm | \tilde{\chi}_1^\pm \rangle$$

Decomposition

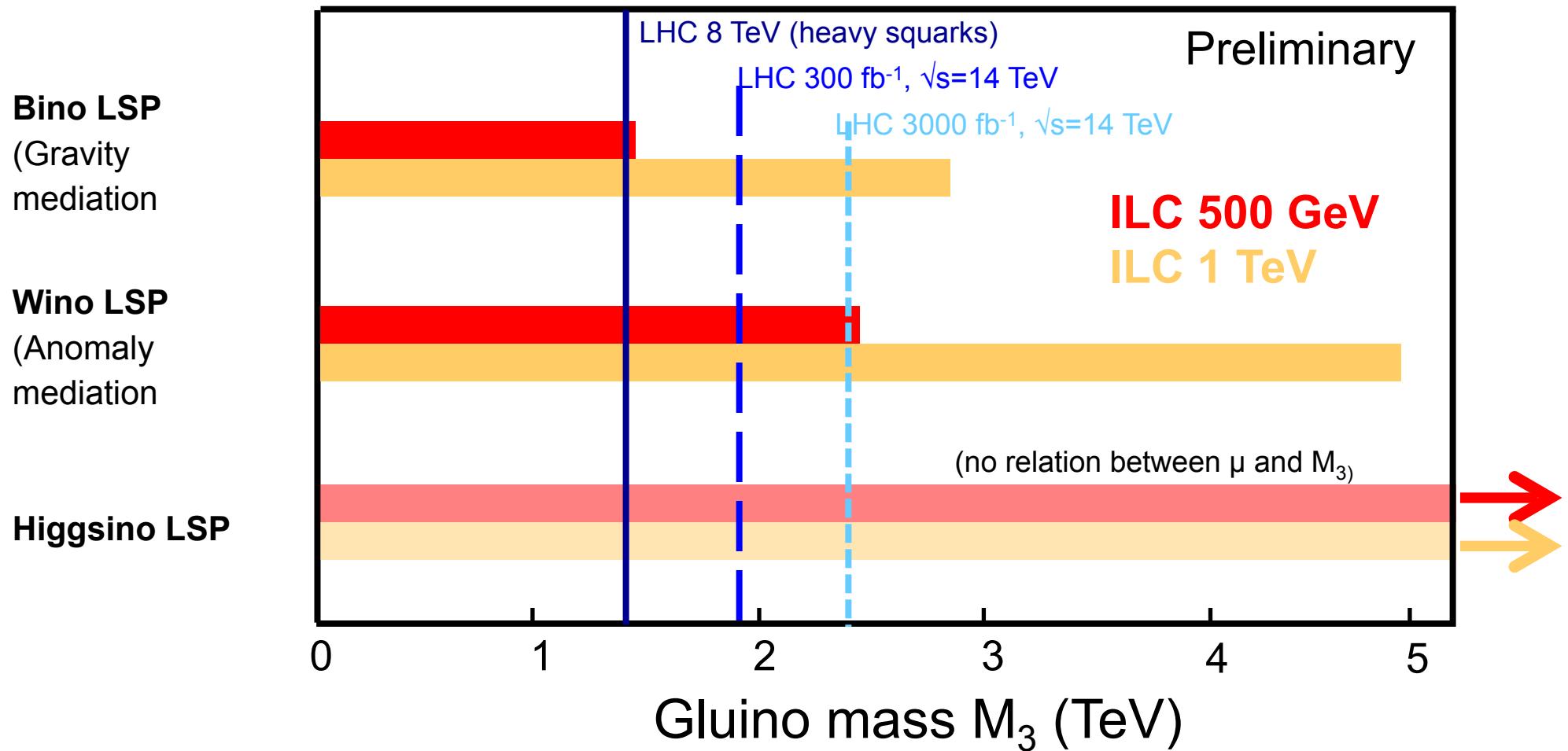
Signal Enhancement

Sensitivity to SUSY

Gluino search at LHC

Chargino/Neutralino search at ILC

→ Comparison assuming gaugino mass relations



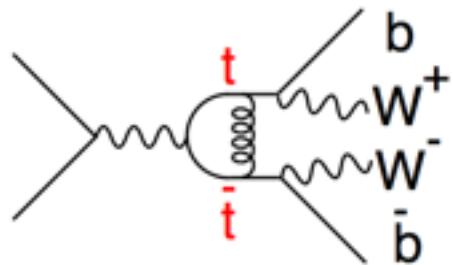
* Assumptions: MSUGRA/GMSB relation $M_1 : M_2 : M_3 = 1 : 2 : 6$; AMSB relation $M_1 : M_2 : M_3 = 3.3 : 1 : 10.5$

Top

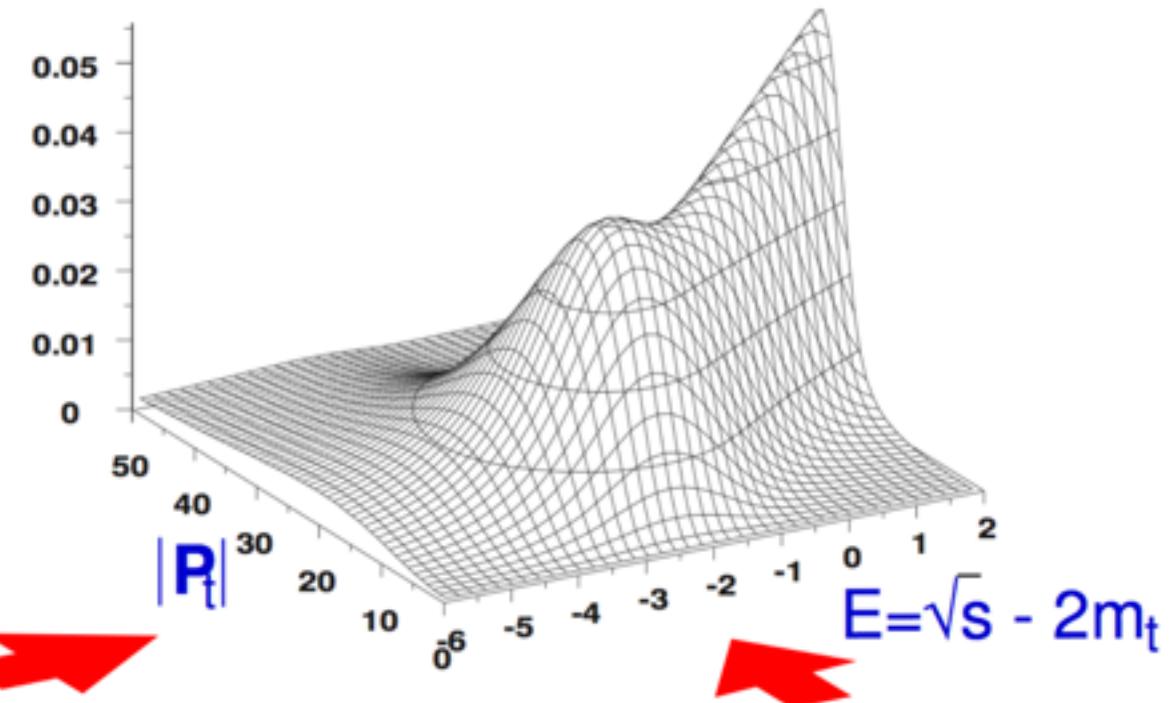
Top Quark

Threshold Region

How to access G experimentally



$$\mathbf{p}_{top} = \mathbf{p}_{bW} = \mathbf{p}_{3\text{jets}}$$



Momentum Dist.

$$\begin{aligned} \frac{d\sigma_{t\bar{t}}}{d|\mathbf{p}|} &\propto |\langle \mathbf{p} | G | \mathbf{x} = \mathbf{0} \rangle|^2 \\ &\simeq \left| \sum_n \frac{\phi_n(\mathbf{p}) \Psi_n^*(\mathbf{0})}{E - E_n + i\Gamma_n/2} \right|^2 \end{aligned}$$

momentum space wave fun.

Threshold Scan

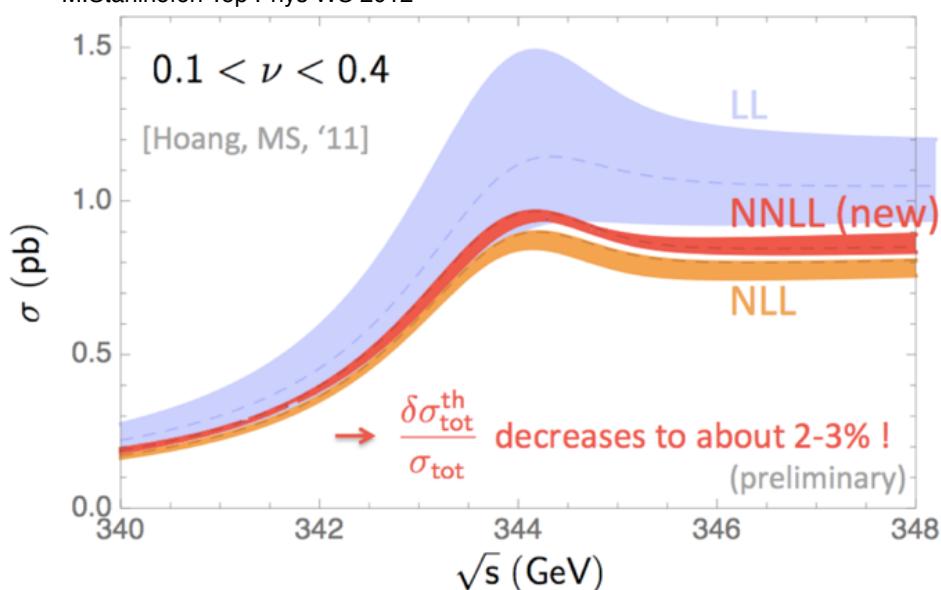
$$\begin{aligned} \sigma_{t\bar{t}} &\propto \text{Im} \langle \mathbf{x} = \mathbf{0} | G | \mathbf{x} = \mathbf{0} \rangle \\ &\simeq \text{Im} \sum_n \frac{|\Psi_n(\mathbf{0})|^2}{E - E_n + i\Gamma_n/2} \end{aligned}$$

wave function at origin

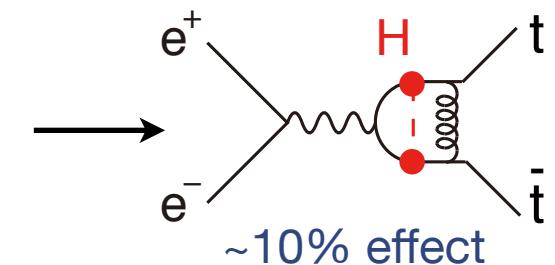
Top at Threshold

Threshold Scan

M.Stahlhofen Top Phys WS 2012



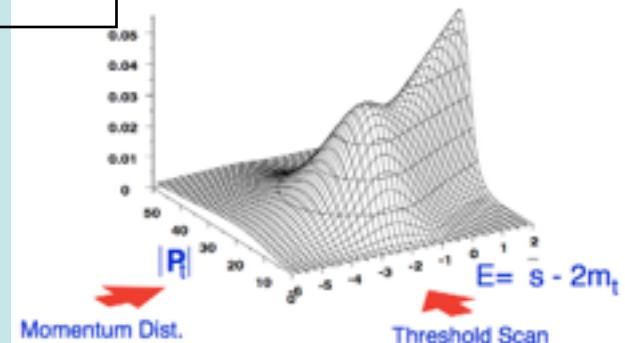
Theory improving!



Expected accuracies

$$\begin{aligned}\Delta m_t &= 34 \text{ MeV} \\ \Delta \alpha_s(m_Z) &= 0.0023 \\ \Delta \Gamma_t &= 42 \text{ MeV}\end{aligned}$$

Threshold scan alone



+ A_{FB} & Top Momentum

$$\begin{aligned}\Delta m_t &= 19 \text{ MeV} \\ \Delta \alpha_s(m_Z) &= 0.0012 \\ \Delta \Gamma_t &= 32 \text{ MeV}\end{aligned}$$

arXiv:hep-ph/0601112v2

Center-of-mass energy	E_{CM}	GeV	1st Stage	2nd Stage	High Rep Rate
			Higgs Factory	Top Phys WS 2012 Lumi Upgrade	Operation
Collision rate	f_{rep}	Hz	5	5	10
Electron linac rate	f_{linac}	Hz	10	10	10
Number of bunches	n_b		1312	2625	2625
Pulse current	I_{beam}	mA	5.8	8.75	8.75
Average total beam power	P_{beam}	MW	5.9	10.5	21
Estimated AC power	P_{AC}	MW	129	160	200
Luminosity	L	$\times 10^{34} \text{ cm}^{-2} \text{s}^{-1}$	0.75	1.5	3.0

$$\Delta m_t(\overline{MS}) \simeq 100 \text{ MeV}$$

Top Quark

Open Top Region

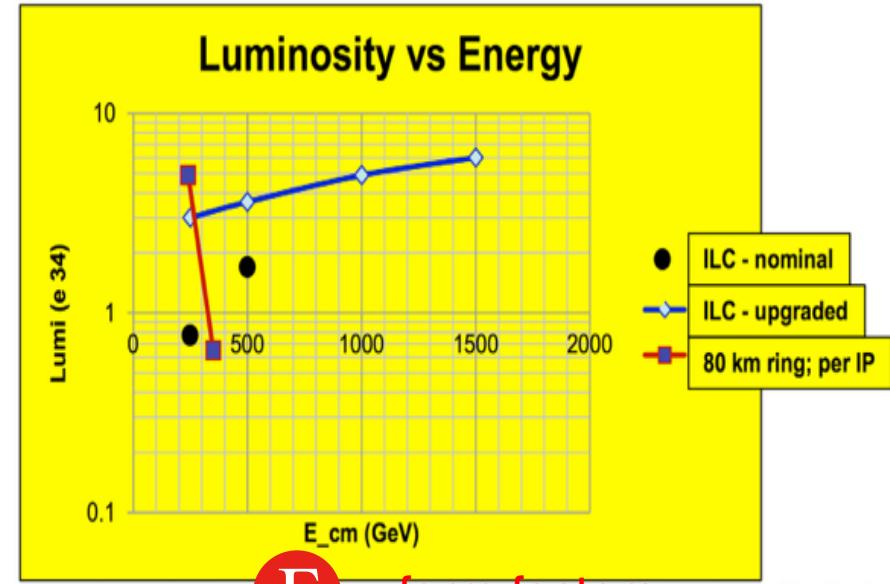
Key points

$\Gamma_t \approx 1.4 \text{ GeV}$ for $m_t = 175 \text{ GeV}$

The top decays before forming a top hadron.

Top spin is measurable by angular analysis of decay products.

+ Polarized beams are available at ILC



Γ = form factors

$$v_{\mu} \Gamma_P t = \mathcal{L}_{\text{int}}^{ttV} = g_W \left[V_\mu \bar{t} \gamma^\mu (F_{1L}^V P_L + F_{1R}^V P_R) t - \frac{1}{v} (\partial_\nu V_\mu) \bar{t} \sigma^{\mu\nu} (F_{2L}^V P_L + F_{2R}^V P_R) t \right] + \text{h.c.}$$

$$w_{\mu} \Gamma_D b = \mathcal{L}_{\text{int}}^{tbW} = \frac{g_W}{\sqrt{2}} \left[W_\mu^- \bar{b} \gamma^\mu (F_{1L}^W P_L + F_{1R}^W P_R) t - \frac{1}{v} (\partial_\nu W_\mu^-) \bar{b} \sigma^{\mu\nu} (F_{2L}^W P_L + F_{2R}^W P_R) t \right] + \text{h.c.}$$

Indirect BSM Searches

Two-Fermion Processes

Z' Search / Study

arXiv:0912.2806 [hep-ph]

hep-ph/0511335

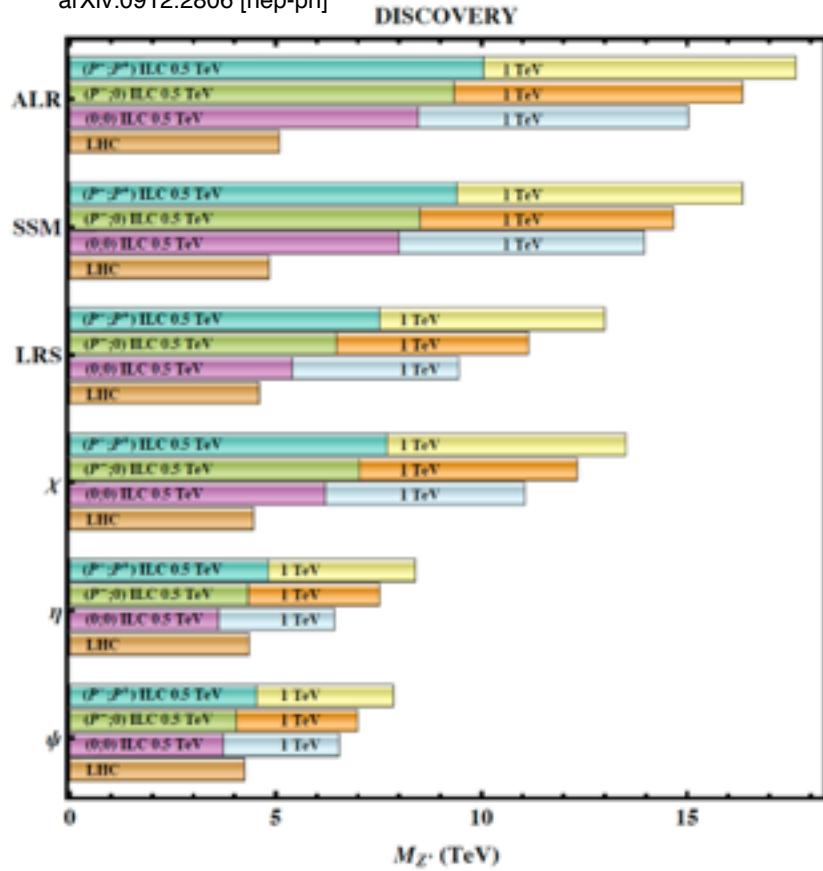
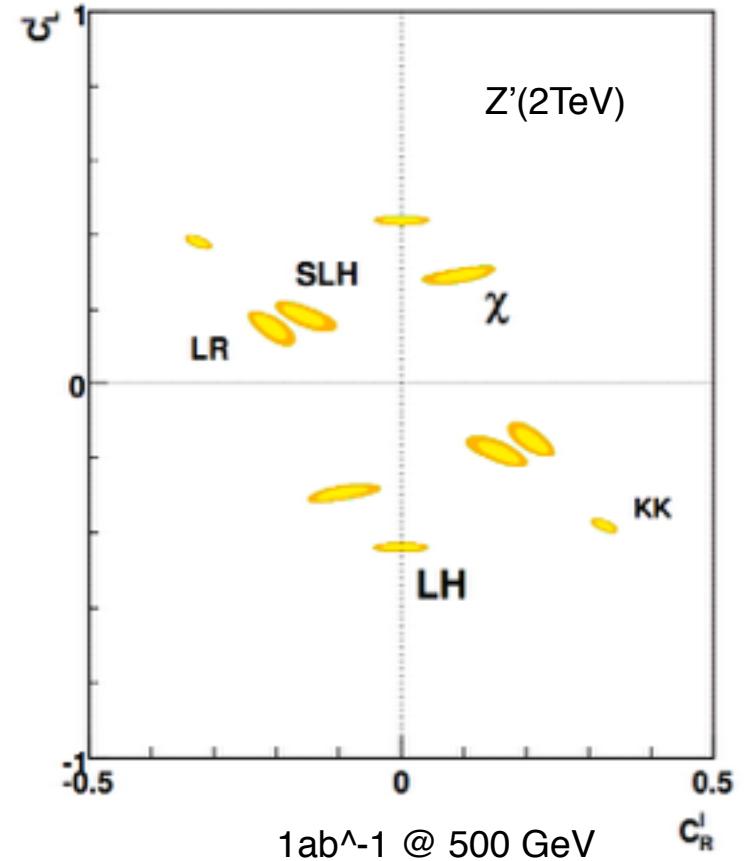


Figure 23: Sensitivity of the ILC to various candidate Z' bosons, quoted at 95% conf., with $\sqrt{s} = 0.5$ (1.0) TeV and $\mathcal{L}_{\text{int}} = 500$ (1000) fb^{-1} . The sensitivity of the LHC-14 via Drell-Yan process $pp \rightarrow \ell^+\ell^- + X$ with 100 fb^{-1} of data are shown for comparison. For details, see [14].

ILC's Model ID capability is expected to exceed that of LHC even if we cannot hit the Z' pole.

Beam polarization is essential to sort out various possibilities.



Two-Fermion Processes

Compositeness

S. Riemann, LC-TH-2001-007

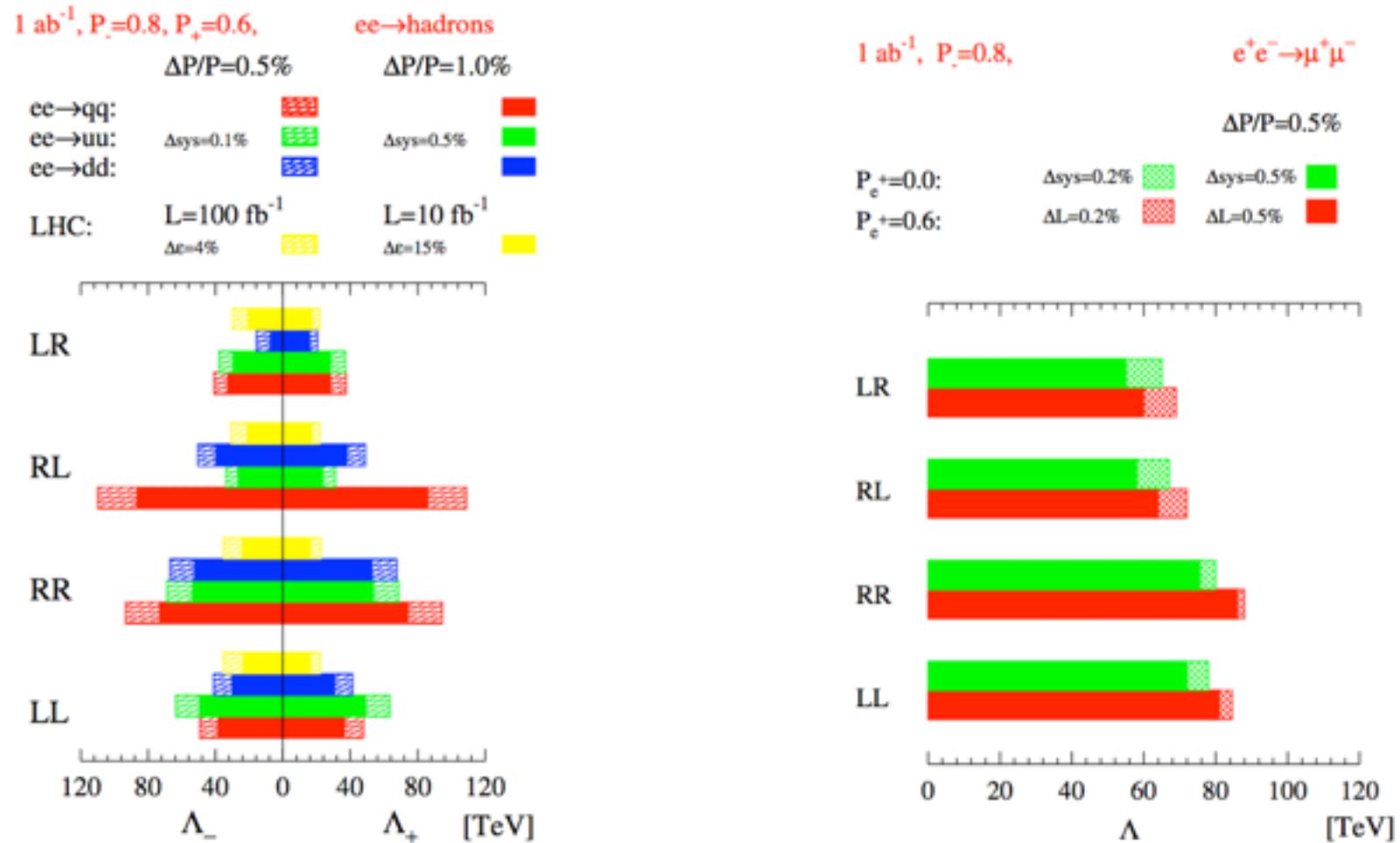


Figure 26: Sensitivities (95% c.l.) of a 500 GeV ILC to contact interaction scales Λ for different helicities in $e^+e^- \rightarrow \text{hadrons}$ (left) and $e^+e^- \rightarrow \mu^+\mu^-$ (right), including beam polarization [18].

Beam polarization is essential to sort out various possibilities.