

Dark Matter III

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Unveiling Dark Matter

Direct Search:

- Detect WIMPs on Earth by elastic scattering
- Determine local density of WIMPs

Indirect Search:

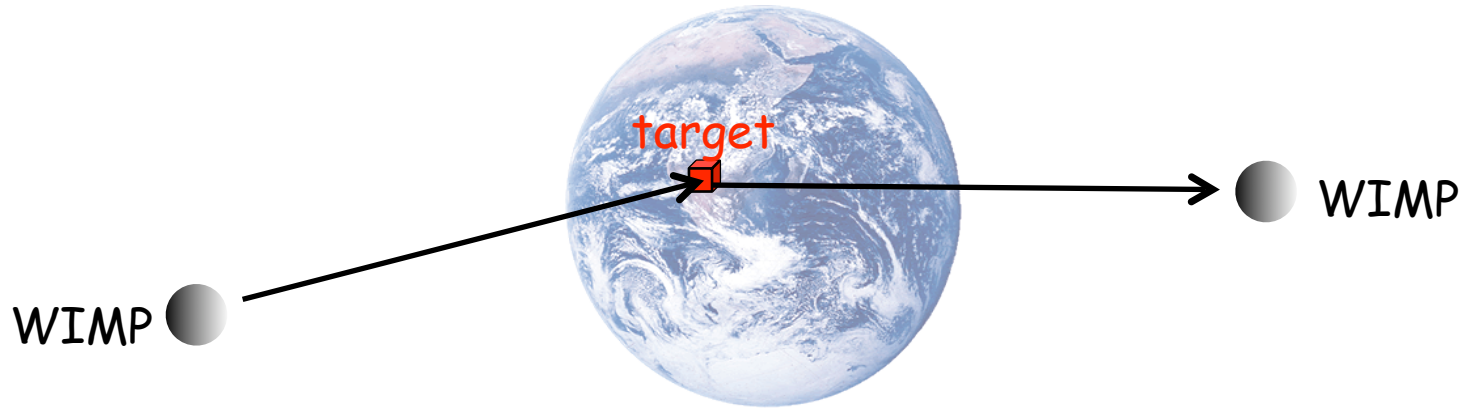
- Probe WIMPs outside of Earth
- Annihilation of slow WIMPs
- Detect final-state particles on Earth or in space

Accelerator Search:

- Produce and detect WIMPs directly

- Discovery with accelerators may have nothing to do with WIMPs
- Discovery of direct search may

Direct Search: Estimate Rates



For a perfect detector, the rate of collision is:

$$R = \frac{dN_{\text{det}}}{dt} = \sigma_{xN} N_{\text{tgt}} \phi_x = \sigma_{xN} N_{\text{tgt}} \frac{\rho_x}{m_x} v_x \approx \langle \sigma_{xN} \rangle N_{\text{tgt}} \frac{\langle \rho_x \rangle}{m_x} \langle v_x \rangle$$

ϕ_x = flux of WIMP

N_{tgt} = number of nuclei in the target

m_x = mass of the WIMP, input from particle physics

σ_{xN} = cross section of elastic scattering of WIMP with
a nucleus

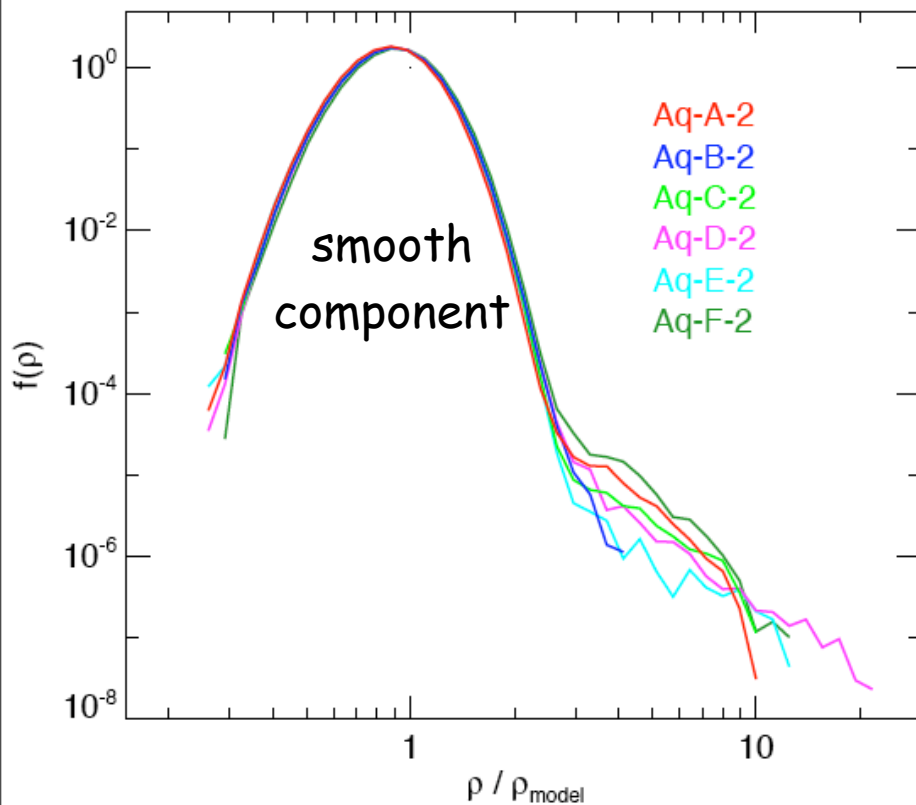
ρ_x = local mass density of WIMP

Local Density of WIMPs

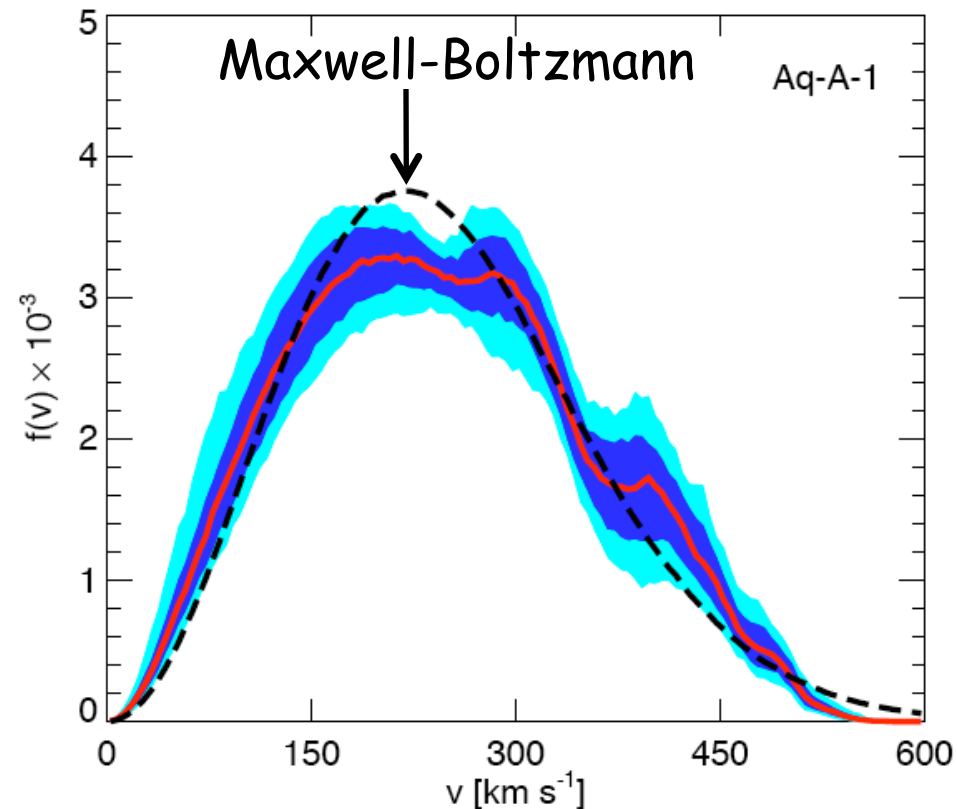
- From Particle Data Group: $\rho_{\text{halo}} = 0.1\text{-}0.7 \text{ GeV}/\text{cm}^3$
- Taking $M_{\text{WIMP}} = 100 \text{ GeV}$:
 $\rho_{\text{WIMP}} = 10^{-2}\text{-}10^{-3} \text{ WIMPs}/\text{cm}^3$

Local Mass and Speed Distributions

- Based on simulation without ordinary matter:



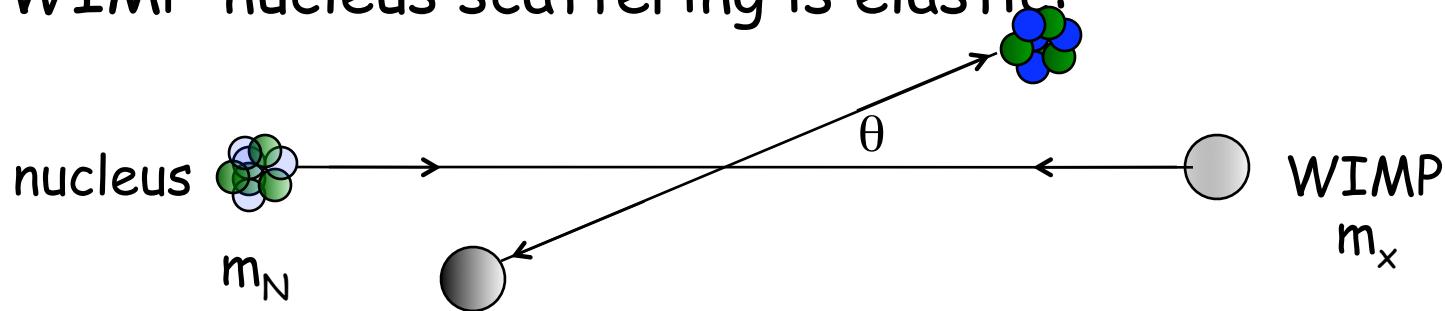
- Local mass density is in the smooth component (smooth to $< 15\%$ from the mean).



- Speed distribution is close to a Maxwellian distribution in the vicinity of the Sun. [arXiv: 0812.0362](https://arxiv.org/abs/0812.0362)

Kinematics of Elastic Scattering

- For local dark matter: $v_{\text{WIMP}} \sim 10^{-3}c$, non-relativistic.
- WIMP-nucleus scattering is elastic:



Momentum transfer to the recoiled nucleus:

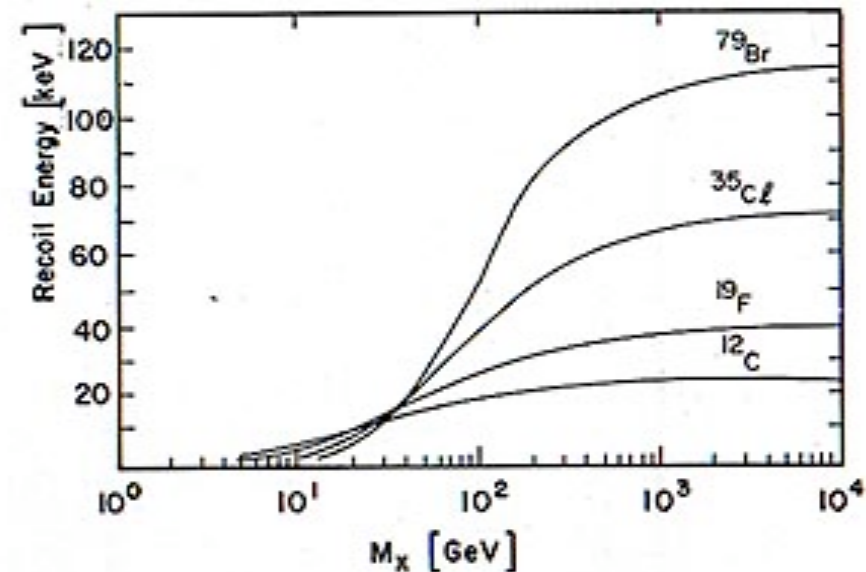
$$q^2 = 2\mu^2 v_x^2 (1 - \cos \theta)$$

μ is the reduced mass.

Kinetic energy of recoiled nucleus:

$$E_r = \frac{q^2}{2m_N} = \frac{\mu^2 v_x^2}{m_N} (1 - \cos \theta)$$

$$\Rightarrow \frac{dR}{dE_r} \propto e^{-\frac{E_r}{\langle E_r \rangle}}$$



Elastic Scattering Cross Sections

- Since the spin of WIMP can be 0, 1, 1/2...
 - The most general Lorentz-invariant Lagrangian density has scalar (S), pseudo-scalar (P), vector (V), axial-vector (A), and tensor (T) interactions.
- The elastic scattering processes of WIMP with nucleus can be classified as:

(1) Scalar interactions (spin-independent, coupled to nuclear mass)

$$\sigma_A^{SI} = \frac{4}{\pi} \frac{m_x^2 m_N^2}{(m_x + m_N)^2} [Z f_p + (A - Z) f_n]^2 F(q^2)$$

f_p, f_n = effective couplings to p and n.

$F(q^2)$ = nuclear form factor

(2) Spin-spin interactions (from the axial interactions)

$$\sigma_A^{SD} = \frac{32}{\pi} G_F^2 \frac{m_x^2 m_N^2}{(m_x + m_N)^2} \frac{J_N + 1}{J_N} [a_p \langle S_p \rangle + a_n \langle S_n \rangle]^2 F(q^2)$$

J_N = spin of nucleus

a_p, a_n = effective couplings to p and n.

$\langle S_p \rangle, \langle S_n \rangle$ = average values of the spin of p, n in the nucleus

Spin-dependent Enhancement

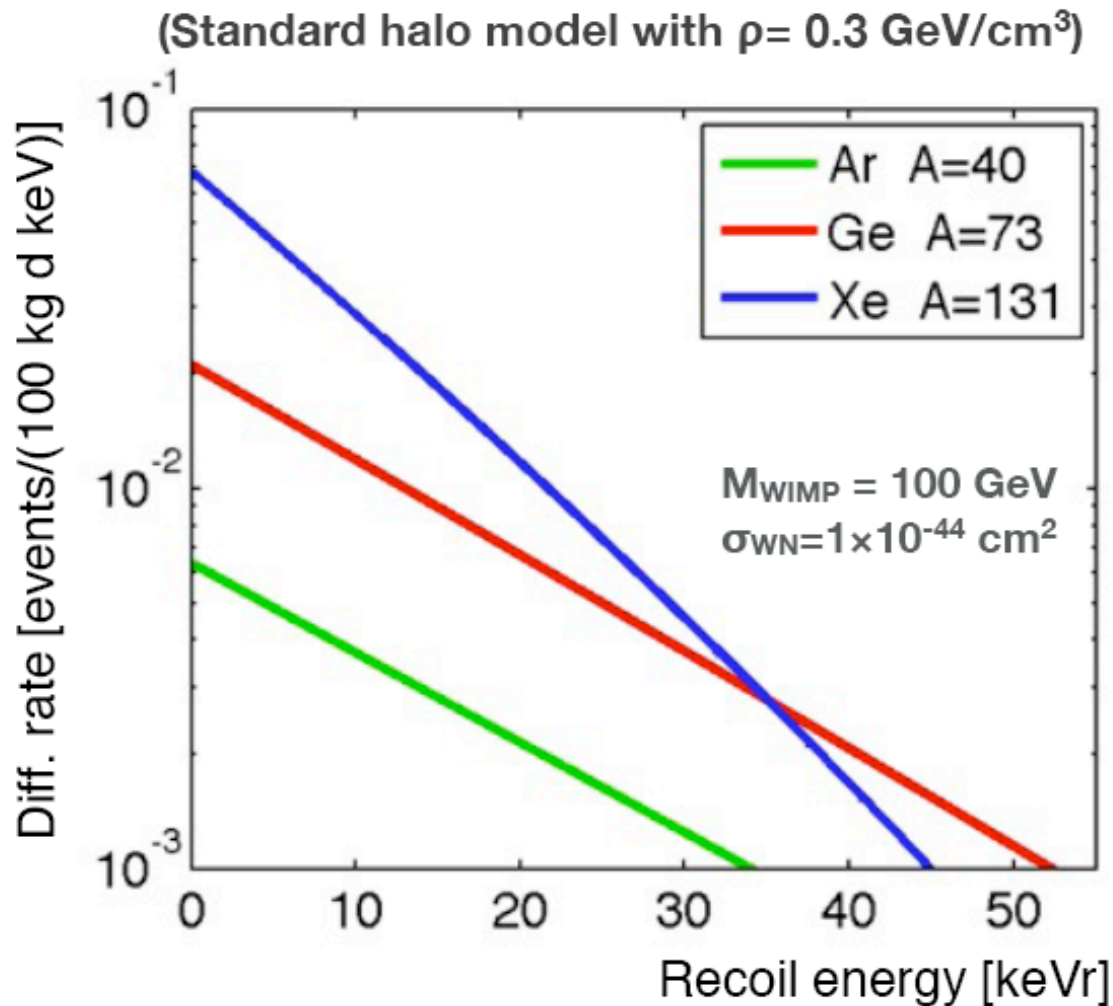
$$\sigma_A^{SD} \propto \gamma^2 J_N (J_N + 1)$$

Isotope	J_N	Unpaired	γ^2
^1H	1/2	p	1
^7Li	3/2	p	0.11
^{19}F	1/2	p	0.863
^{23}Na	3/2	p	0.011
^{29}Si	1/2	n	0.084
^{73}Ge	9/2	n	0.0026
^{127}I	5/2	p	0.0026
^{131}Xe	3/2	p	0.0147

^{19}F is the target of choice for spin-dependent scattering.

Estimated Rates

- After integrating over the Maxwellian velocity distribution, the estimated rate of scattering is:

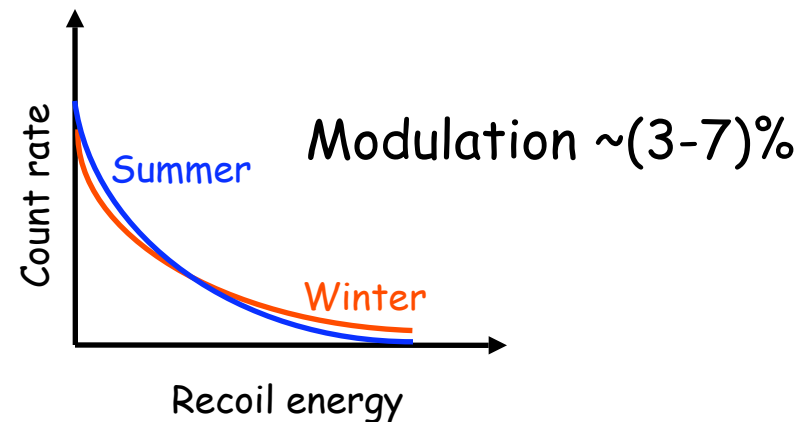
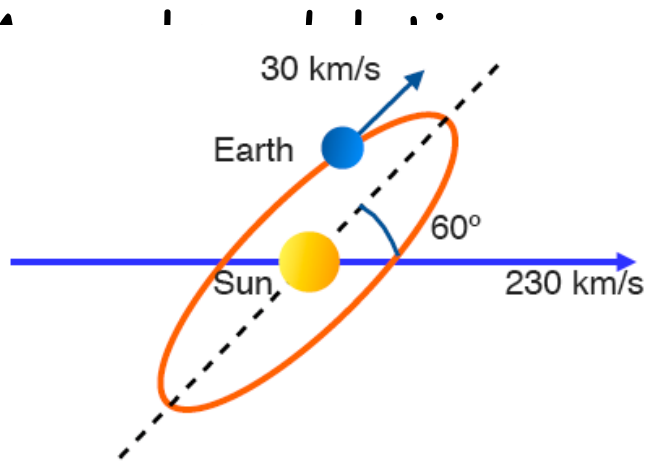


Experimental Requirements

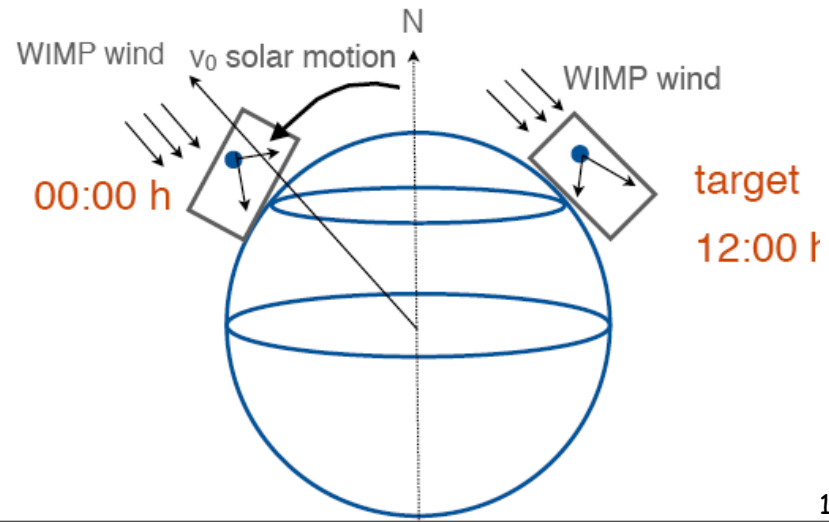
- Large target mass
 - At least 100 kg
- Need extremely low background: < 0.1 counts/kg/d
 - Reduce intrinsic background: use ultra radio-pure materials
 - Suppress gamma/neutron background
 - Go deep underground to cut down spallation neutrons
 - Shield detector against ambient radiation
- Capable of discriminating signal from background
 - Pixelize target
 - Energy and tracking
- Very low energy threshold
 - At the keV level
- Extremely stable operation

Signature of WIMP Signal

- Single scatters
 - Uniform throughout the fiducial volume of the target.
- A^2 -dependence of the target material.



- Day-night variation
 - (7-17)%
 - tracking capability is needed.

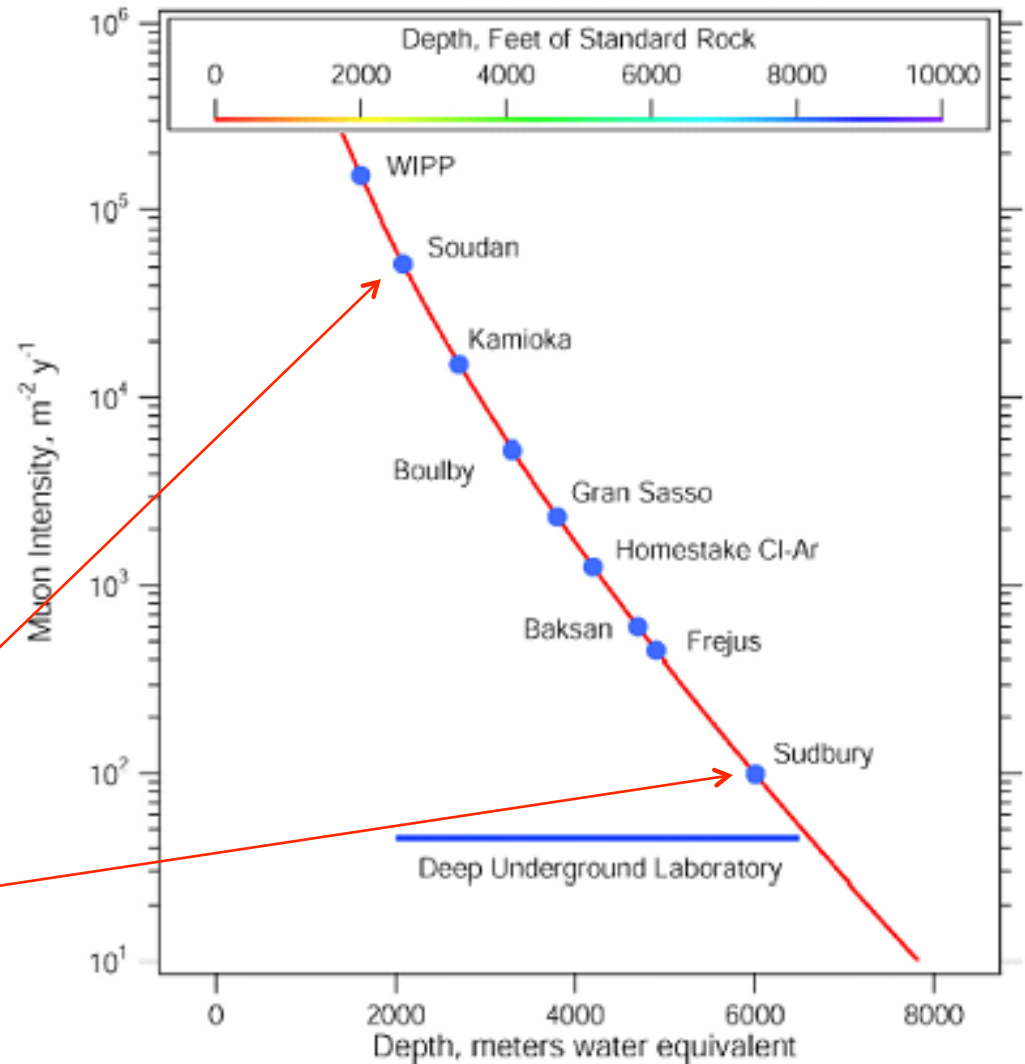


Neutron Background

- From natural radioactivity
 - (α, n) reactions
 - fission
- From muon-induced reactions
 - inside the target
 - in the shielding
 - in the surrounding rock

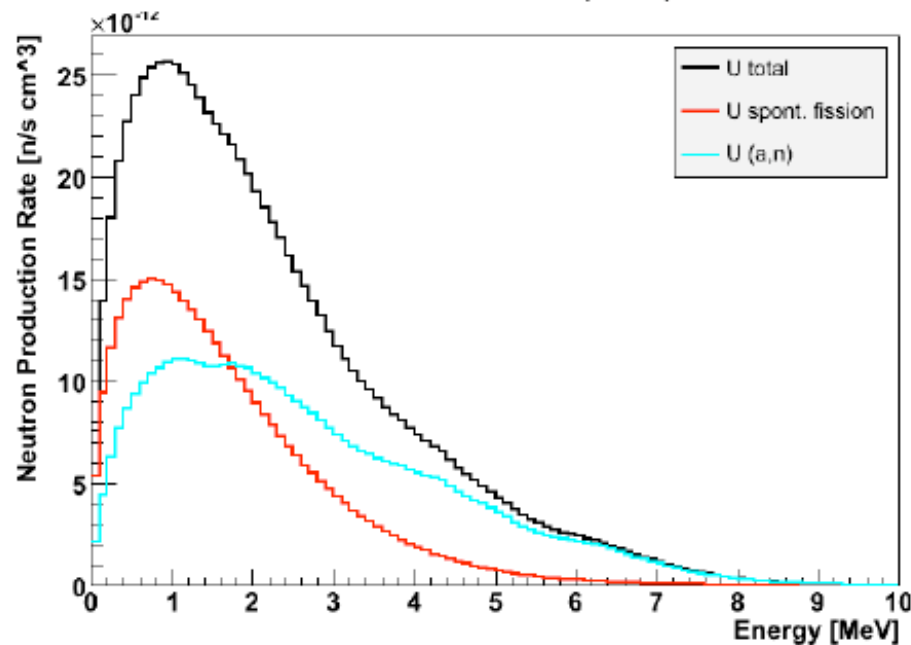
SOUDAN: 0.05 n/kg/d

SNOLAB: 0.2 n/ton/y

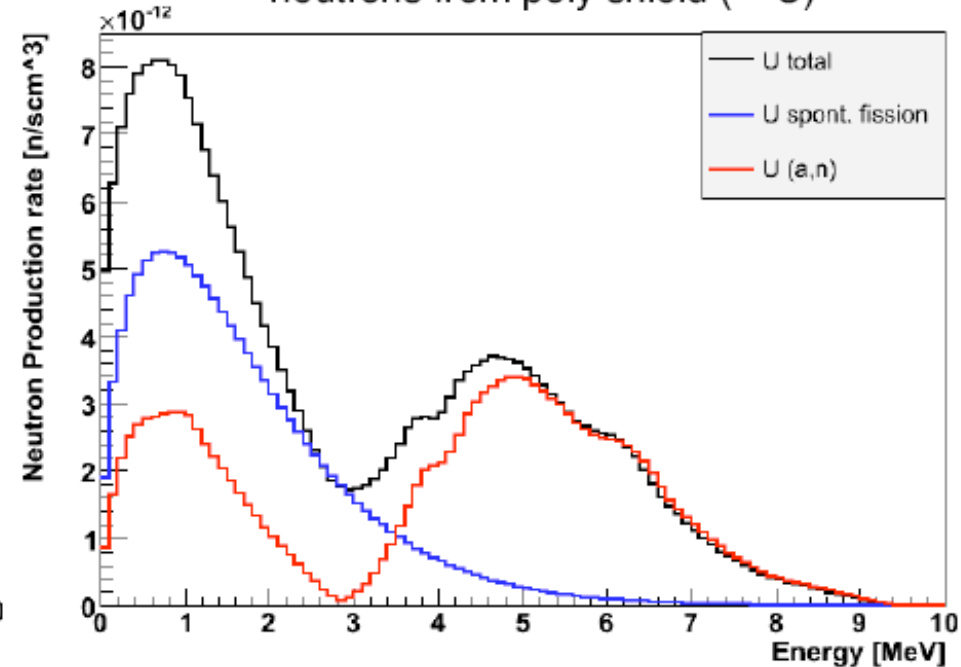


Energy Spectrum Of Neutron Background

neutrons from rock (^{238}U)



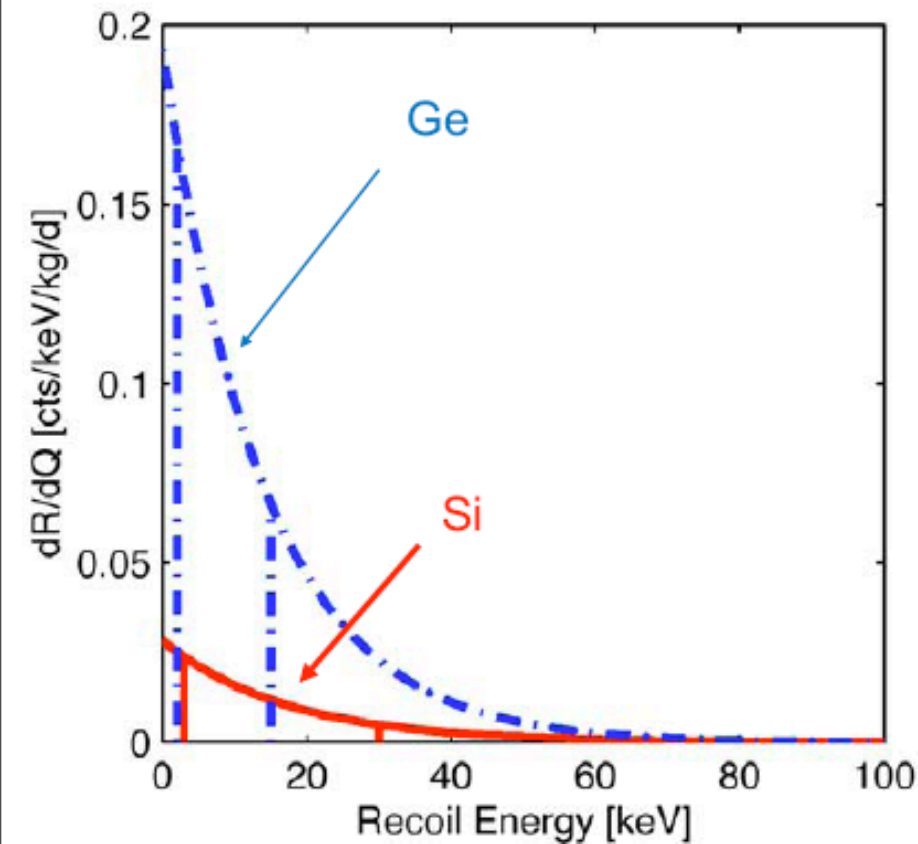
neutrons from poly shield (^{238}U)



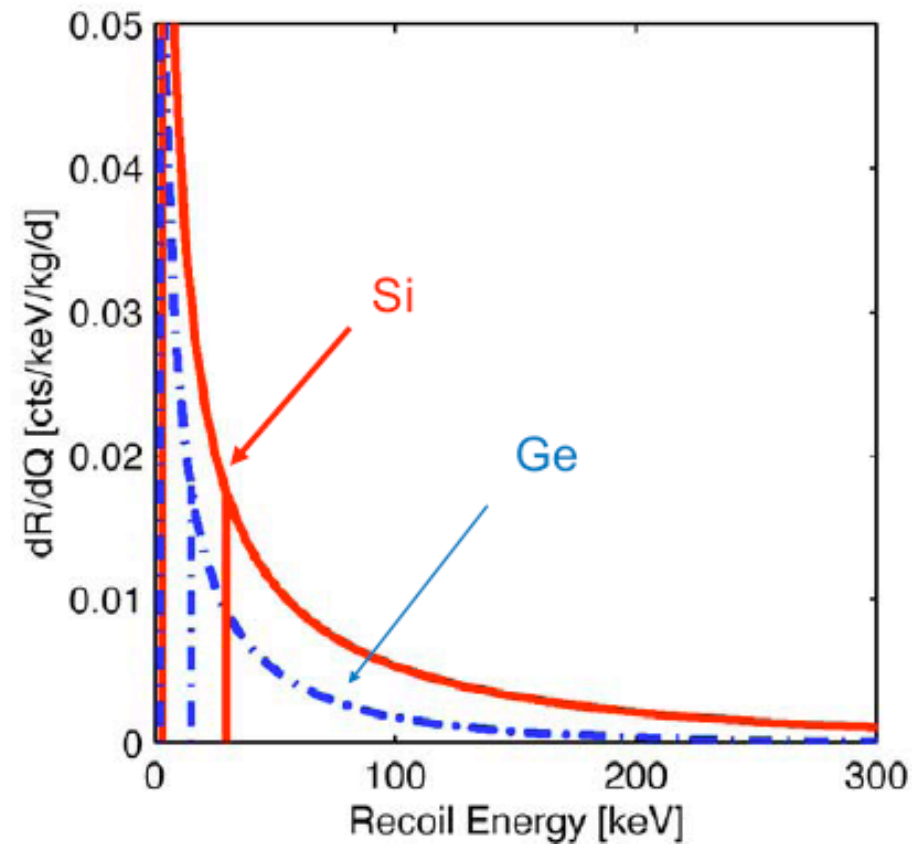
E. Tziaferi

Distinguishing Neutron From WIMP

- Neutrons have mean-free path of few cm in the target
- Different A -dependence for the E_r spectrum



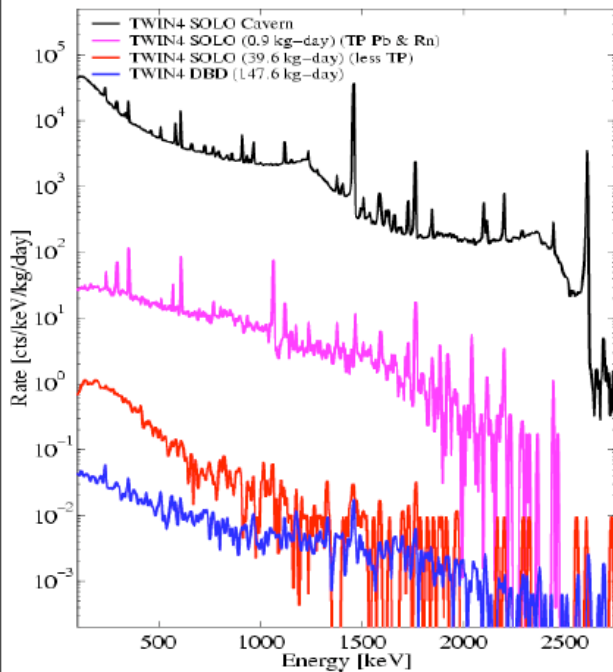
WIMP, $m_x = 40 \text{ GeV}$



neutron

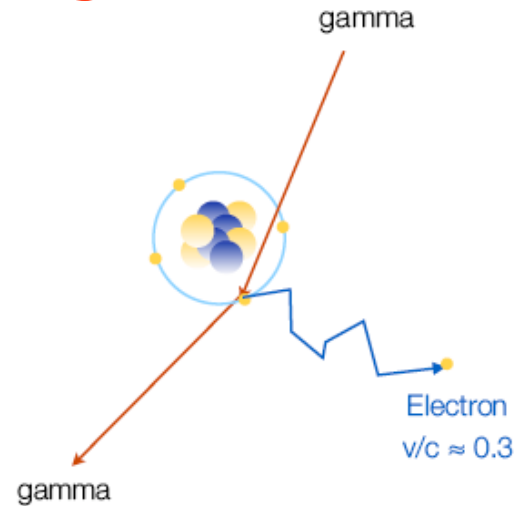
Gamma-ray background

- From natural radioactivity
- From radon decays



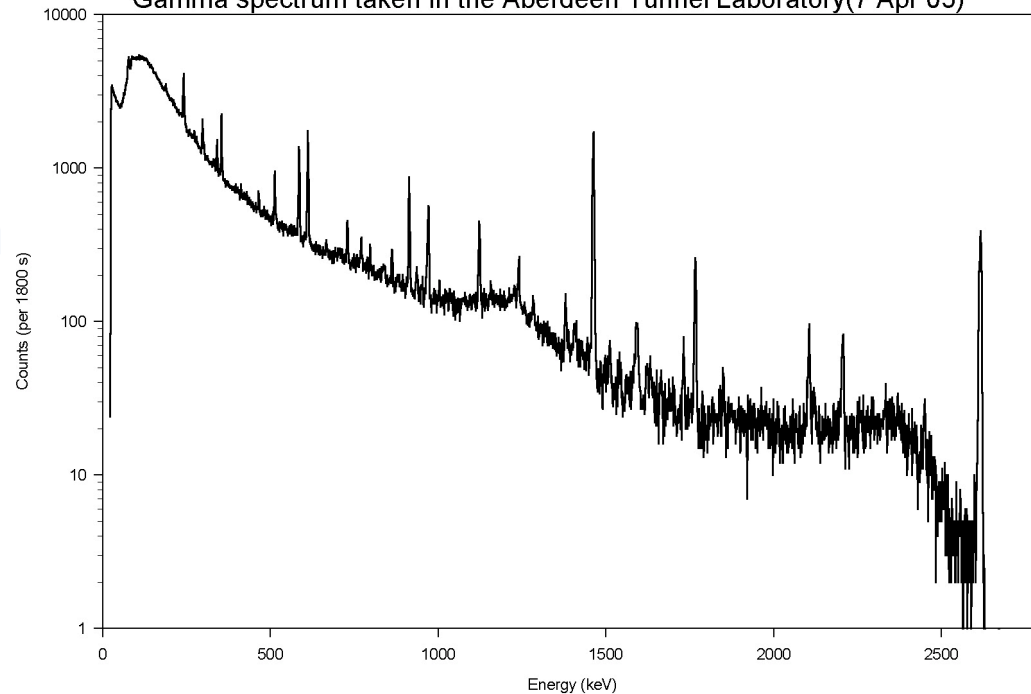
Ge detector underground, no shield

Ge detector underground, Pb shield and purge for Rn

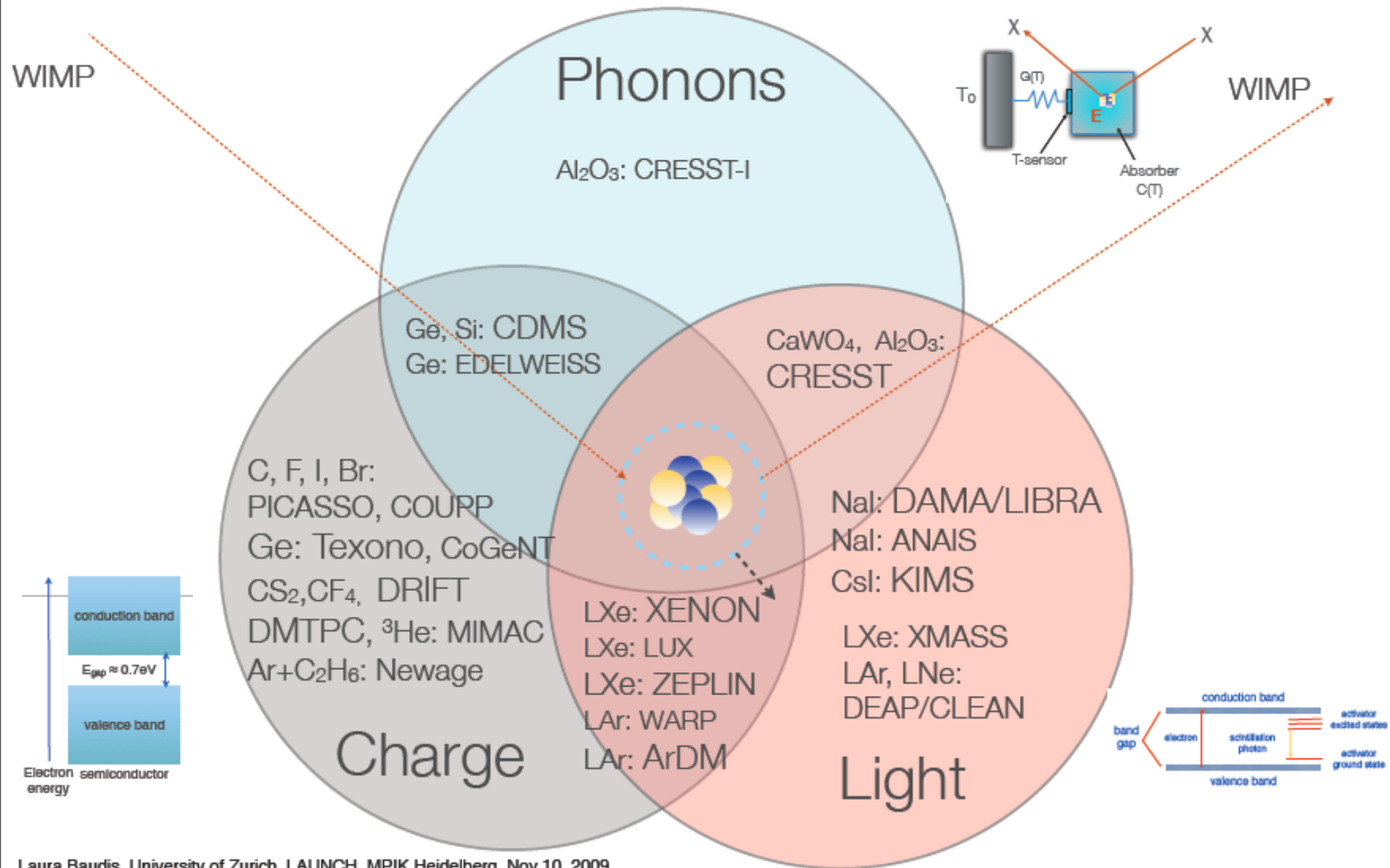


Underground laboratory in Hong Kong

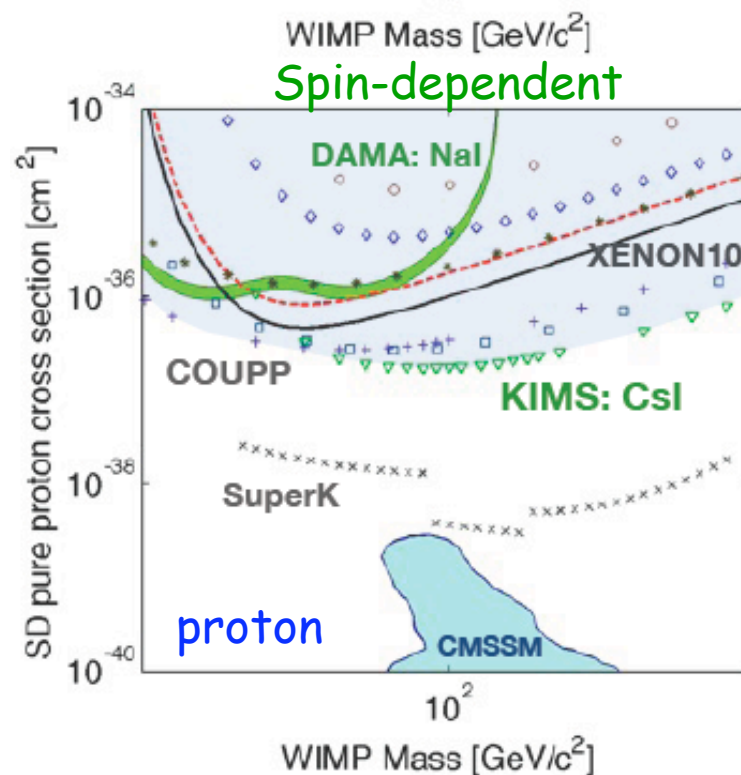
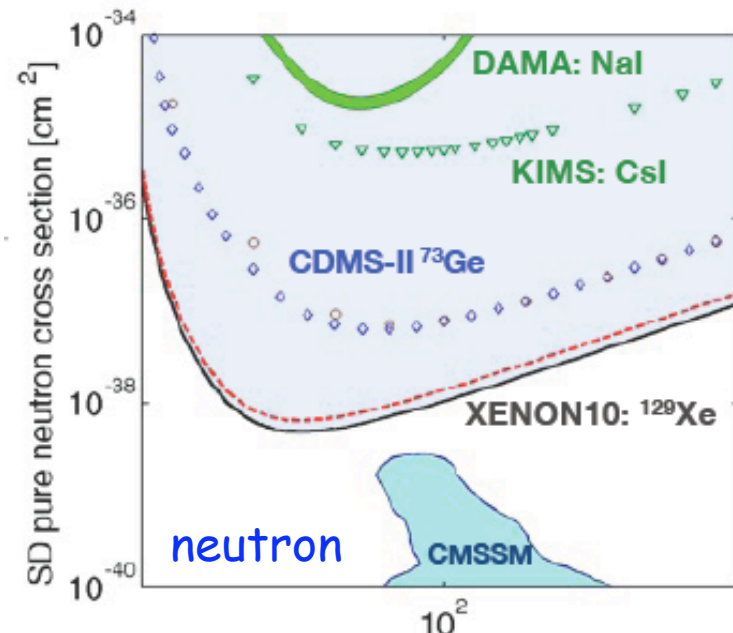
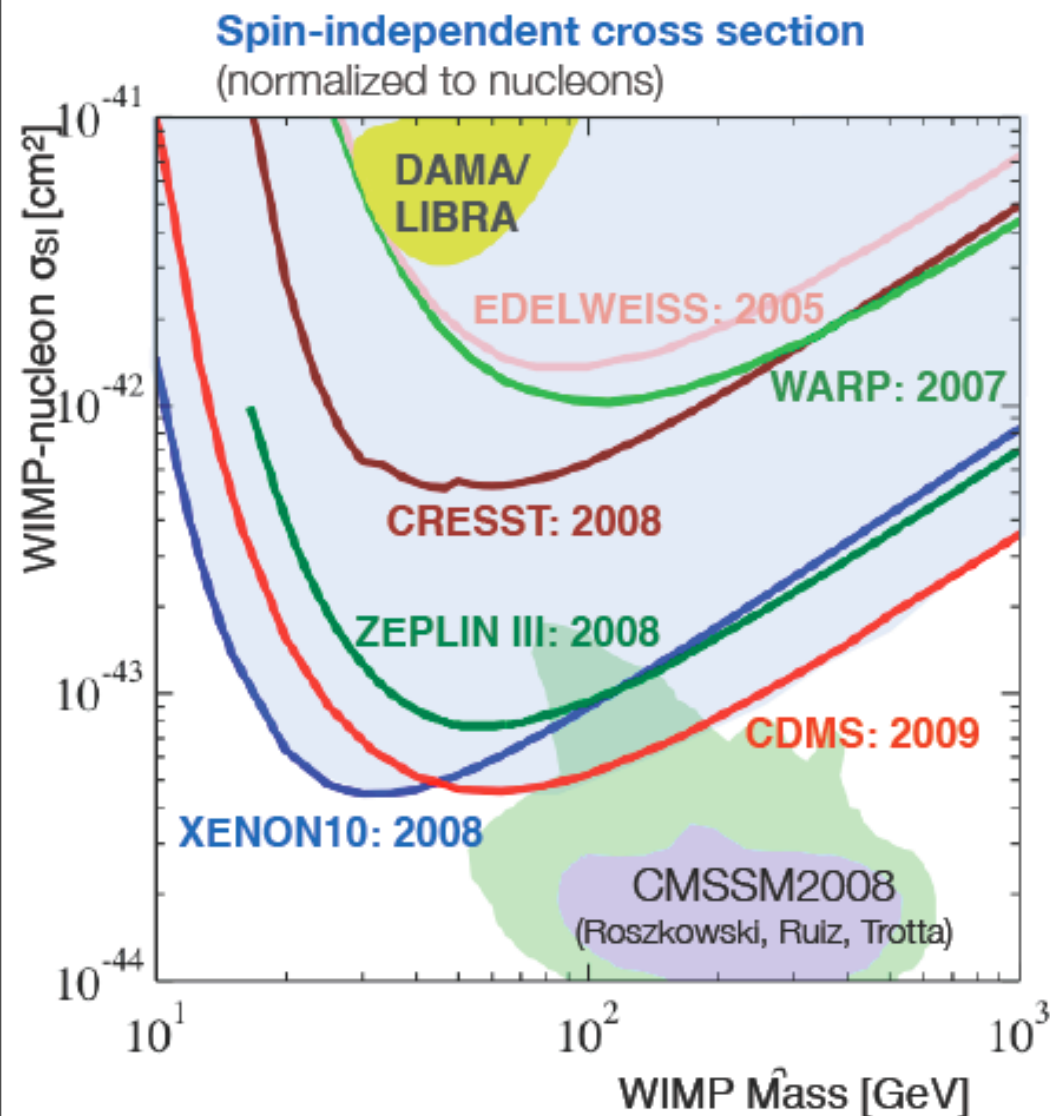
Gamma spectrum taken in the Aberdeen Tunnel Laboratory (7 Apr 05)



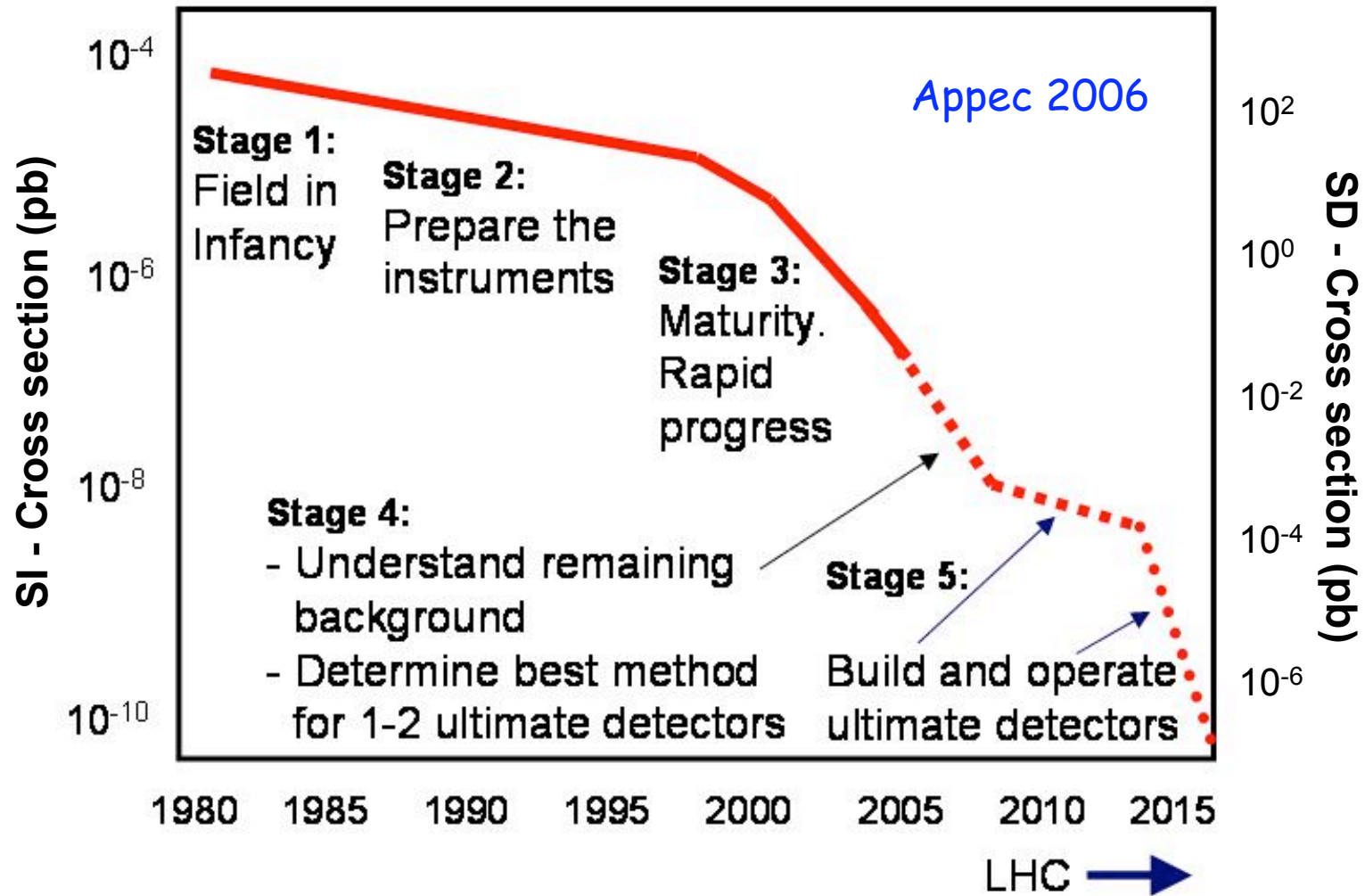
Techniques For Direct Search



Experimental Results



Evolution of Dark-matter Experiments



Summary

- There are compelling evidences that $\sim 20\%$ of the Universe is made up of something that we can't identify and is called 'dark matter'.
- Assuming dark matter is particle-like, its interactions with ordinary matter are weak with cross sections comparable or smaller than those of neutrinos at low energies.
- The open question is:
Are we making the right assumption to account for the $\sim 20\%$ of the Universe ?